



P802.1Qat Delay and Bandwidth Parameterization

Parameters for delay and bandwidth capacity calculations for IEEE P802.1Qat SRP

Version 1

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Disclaimer

- I would be surprised if this whole presentation is not in a textbook, already.
- But, I have not read that textbook.
- In the meantime, here is the information.
- If someone can provide a reference to the textbook, the Task Group, including me, would be grateful.

Introduction

Introduction

- The current revision of the assumptions document says:
 - Maximum Interference Amount per Hop
 - Class A: 1 Max size frame + Sum of the Maximum size of the Class A frames on each of its other ports – Ref 5
 - Class B: 1 Max size frame + 1 Max size Class A burst (based on max Class A BW allocation) + Amount of other Class B frames on each of its other ports
- This presentation will attempt to define what “Max size Class A burst” means, and extend the concept to any number of Classes.
- This will lead us to the appropriate management parameters to use to characterize the per-Class and Per-Port limitations on bandwidth reservations.

Latency Calculations

Worst-case latency contributions

- The **worst case latency** for a single hop from Bridge to Bridge, measured from arrival of the last bit at Port n of Bridge A to the arrival of the last bit at Port m of Bridge B, can be broken out into the following components:
 - Input queuing delay. (There are no input queues in the 802.1 architecture, but if present, the implementation must account for them.)
 - **Output queuing delay. (The subject of this presentation.)**
 - Frame transmission delay. (One maximum frame time at output line rate for non-cut-through architecture.)
 - LAN propagation delay. (Depends on length of output wire, measured by P802.1AS.)
 - Store-and-forward delay. (Includes all forwarding delays, assuming that the input and output queues are empty.)

Store and forward delay

- Store and forward delay includes all delay causes other than those enumerated in the previous slide. This would include, for example:
 - Time needed to pass from the input port to the output port, assuming empty queues.
 - The difference, if any, in the delay incurred by a frame that bypasses an empty queue, vs. that incurred by a frame that must be enqueued.
 - Time added by the lengthening of the frame due to additional frame headers such as Q-tags or Sec-tags (may be negative).
 - Time needed to encrypt an 802.1AE frame.

Output queuing delay

- The **output queuing delay** for frame X, in turn, can be broken out into the following components:

- The frame that was selected for transmission an arbitrarily small time before frame X arrived (became eligible for transmission selection).

This is well understood – it is “one max sized frame”.

- The delay caused by queued-up frames from all 802.1Qat frames with higher priority than frame X’s class (e.g., the “max size Class A burst”).

This is the tricky part.

- The fan-in delay caused by other frames in the same class as frame X.

Fan-in delay is explained in the following slide.

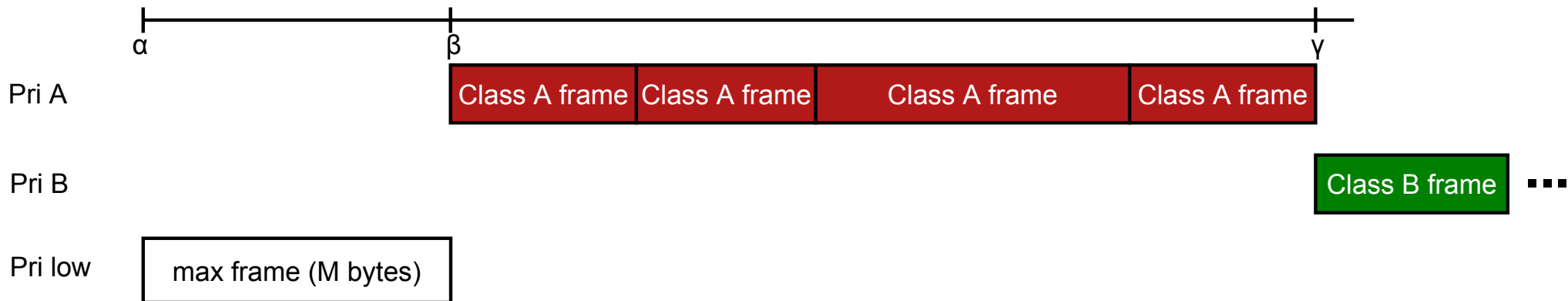
Fan-in contribution

- Both “Sum of the Maximum size of the Class A frames on each of its other ports” and “Amount of other Class B frames on each of its other ports” refer to the same issue:
 - In the worst case for a Bridge with n Ports, even if all Talkers are perfectly regulated, the Bridge may get unlucky, and on each Port 1 through Port $n-1$, a frame destined for Port n can arrive, all at the same instant.
 - One of those $n-1$ frames has to wait for all of the others to be transmitted before it can be transmitted.
- So, the fan-in contribution for Class Z on Port x on a Bridge with n Ports (including x) is $(n - 2) * (\text{transmit time for a max-sized Class Z frame})$.

Max-size higher-class burst

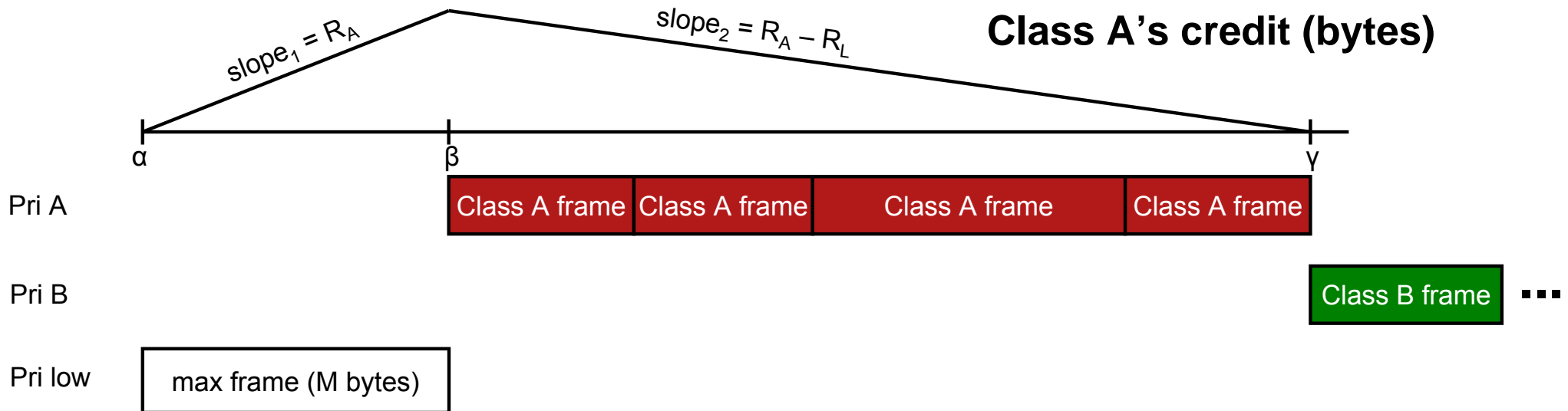
- Suppose that the queue for Class A is full, and has accumulated the maximum amount of credit.
 - Because Class A frames have priority over all other traffic (even BPDUs), the maximum credit for Class A is merely the credit accumulated during the “one max frame transmit time” required to transmit a lower-priority frame.
- Until the that credit is gone, Class B (C, D, ...) frames cannot be transmitted.
 - If Class A were permitted to use 100% of the LAN bandwidth, then the Class A queue would never catch up, because it would use credit as fast as it was gained.
 - If Class A were permitted to use 99% of the LAN bandwidth, then that max accumulated credit would be drained at 1% of the LAN bandwidth, until it is gone.

Max-size higher-class burst



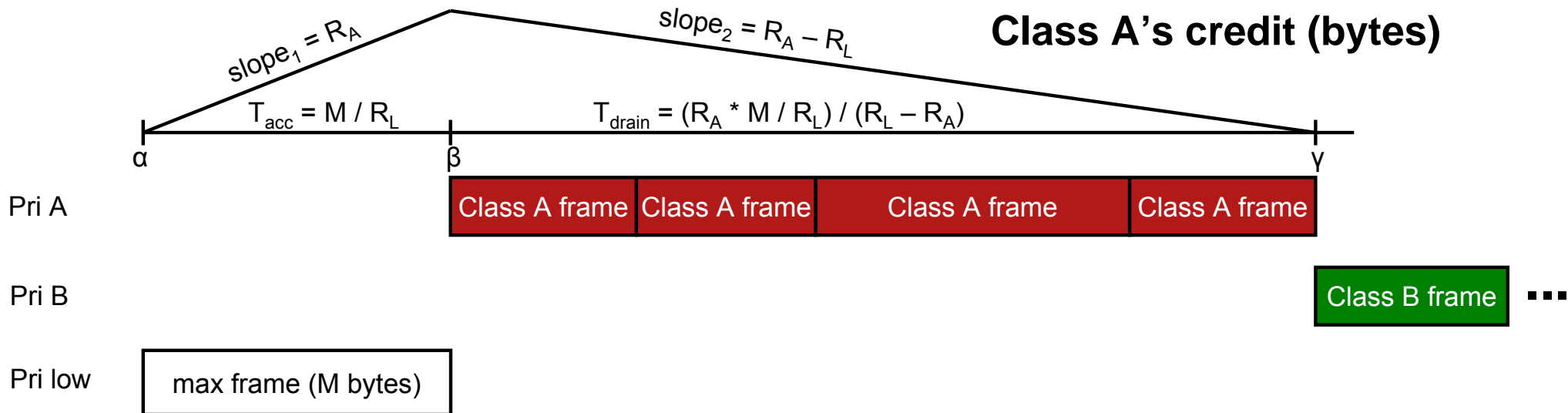
- At point α , the Class A and Class B queues are empty (else, they would be sending, not the low-priority queue), so low-priority frame starts sending.
- Between α and β , fan-in frames arrive for Class A.
- Between α and γ , fan-in frames arrive for Class B.
- Class A starts sending at time β , Class B at time γ .

Max-size higher-class burst



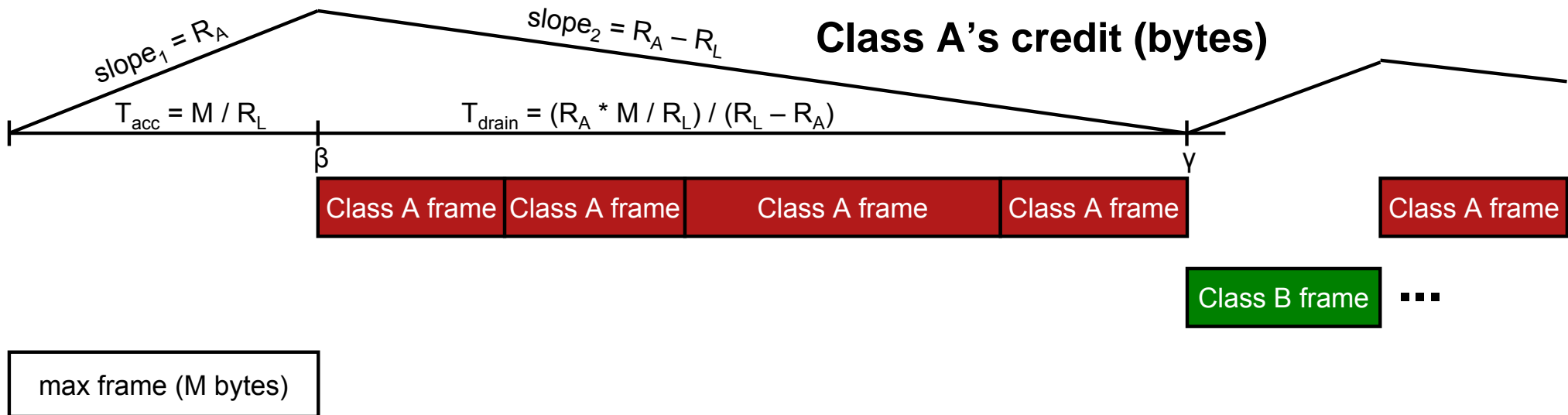
- Let R_L be the LAN data rate (bytes per second), R_A be Class A's maximum data rate, R_B for Class B, etc.
- Class A accumulates credit at the rate $\text{slope}_1 = R_A$ during the max frame transmission.
- This credit is drained at the rate $\text{slope}_2 = (R_A - R_L)$ [which is a negative value] during the burst.

Max-size higher-class burst



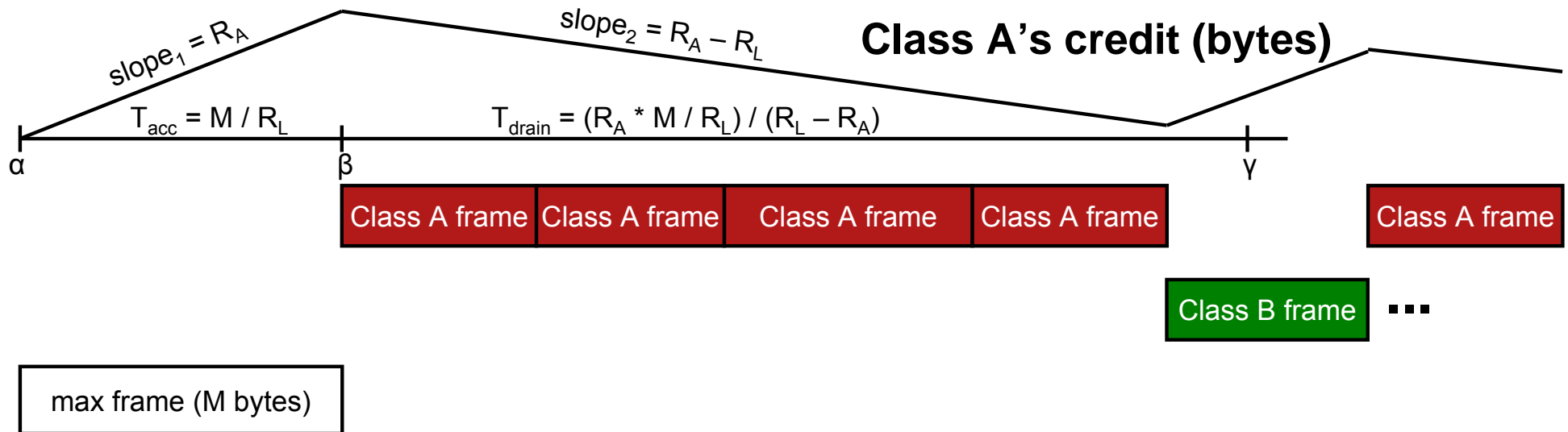
- Worst-case queuing delay for Class B is $T_{\text{acc}} + T_{\text{drain}}$.
- T_{acc} is the credit accumulation time, M bytes at rate R_L .
Bytes of credit accumulated = $R_A * T_{\text{acc}} = R_A * M / R_L$.
- T_{drain} is the time needed to exhaust that credit.
 $T_{\text{drain}} = -(\text{credit}) / (\text{slope}_2) = (R_A * M / R_L) / (R_L - R_A)$.

How fast does Class B drain?



- Class A frames will continue to be transmitted at rate R_A , even while Class B is “bursting”.
- In effect, Class B “bursts” at the rate $R_L - R_A$.
- Class B’s transmission rate R_B corresponds to the credit drain rate $slope_3 = R_L - R_A - R_B$. (B’s credit curve not shown, above.)

How fast does Class B drain?



- Note that this is a worst-case scenario. If the Class A frames available do not *exactly* fill up the T_{drain} time, then the Class B frame will jump in earlier than point γ , and so suffer less delay than the worst case.

Total Class A delay

- So, what is $T_{\text{acc}} + T_{\text{drain}} = \text{Class A's delay?}$

$$\begin{aligned}T_{\text{acc}} + T_{\text{drain}} &= M / R_L + (R_A * M / R_L) / (R_L - R_A) \\&= M / R_L + M * R_A / (R_L * (R_L - R_A)) \\&= M*(R_L - R_A)/(R*(R_L - R_A)) + M*R_A/(R*(R_L - R_A)) \\&= (M * (R_L - R_A) + M * R_A) / (R_L * (R_L - R_A)) \\&= (M * R_L - M * R_A + M * R_A) / (R_L * (R_L - R_A)) \\&= (M * R_L) / (R_L * (R_L - R_A))\end{aligned}$$

$$\text{Class A delay} = M / (R_L - R_A)$$

- (: An encouragingly simple result! :)

And Class B's total delay?

- During the delay, Class B accumulates this much credit:

$$(\text{time}) * R_B = M * R_B / (R_L - R_A)$$

- So, Class B takes this long to drain:

$$(M * R_B / (R_L - R_A)) / (R_L - R_A - R_B)$$

- Adding Class B's accumulation and drain times, we get:

$$\begin{aligned} & M / (R_L - R_A) + (M * R_B / (R_L - R_A)) / (R_L - R_A - R_B) \\ &= (M * R_L - M * R_A - M * R_B + M * R_B) / ((R_L - R_A) / (R_L - R_A - R_B)) \\ &= M * (R_L - R_A) / (R_L - R_A) / (R_L - R_A - R_B) \\ &= M / (R_L - R_A - R_B) = \text{Class B's worst-case delay.} \end{aligned}$$

- And, of course, Class B's accumulation + drain times equals Class C's accumulation time.

What about Class C delay?

- Class C's total credits = (accumulation time) * R_C .

$$\text{credits} = M * R_C / (R_L - R_A - R_B)$$

- Class C's drain time is therefore:

$$\text{credits} / \text{drain} = M * R_C / (R_L - R_A - R_B) / (R_L - R_A - R_B - R_C)$$

- And so on ...

Class A vs. Class B vs. Class C

- Class X's accumulation time = Class (X-1)'s total delay.
- Accumulation time before draining:
 - Class A: $M * R_L$
 - Class B: $M / (R_L - R_A)$
 - Class C: $M / (R_L - R_A - R_B)$
 - ...
- Total delay:
 - Class A: $M / (R_L - R_A)$
 - Class B: $M / (R_L - R_A - R_B)$
 - Class C: $M / (R_L - R_A - R_B - R_C)$
 - ...

Max credits and buffer sizes

- Over and above fan-in issues, a Class can be collecting frames and accumulating credits during its worst-case delay scenario, while the better-delay Classes are bursting (after *their* worst-case scenarios).
- Obviously, if the buffer overflows during this time, frames will be lost. So, **the minimum buffer size required for each Class is a function both of fan-in and worst-case delay**. Or, if you prefer, the minimum buffer size is a function of the worst-case delay.
- Also, **max_credits must be large enough to absorb that worst-case buffer size**, or successive worst-case events will cause frame loss.

Parameterization

Per-Class Parameters

- The obvious choice for Bandwidth parameters to use are the W_A values:
 1. Reserved for worse-than-A traffic $W_A = (R_L - R_A)$
 2. Reserved for worse-than-B traffic $W_B = (W_A - R_B)$
 3. Reserved for worse-than-C traffic $W_C = (B_B - R_C)$
 4. ...
- Then, computing the total worst-case output queue delay is trivial:
 - Delay for Class X = M / W_X

Per-Class Parameters

- Using W_x , it is natural to allow Class X to use Class (X-1)'s bandwidth, if there is no Class X-1 traffic.
 - Natural, because Class X doesn't care which of the better-delay Classes can source the frames that contribute to its worst-case delay.
 - If we use R_x , instead of W_x , then any bandwidth not reserved by Class X streams can only be used to carry non-SRP traffic.
 - If we do use W_x , then any bandwidth not reserved by Class X or better can be reserved for and used by all worse-Class traffic, whether SRP or non-SRP.
- If we use W_x , however, we also need a **minimum allocable bandwidth G_x** for each Class X when Class X+1 is configured; otherwise, worse-delay classes can hog the network. ($G_x = 0$ is the same as no G_x .)

Per-Port Parameters

- In some environments, e.g. in an enterprise with 500-port Bridges, but only one SRP Class, the fan-in component can contribute more to buffers size and delay than the burst component.
- Also, some Ports can have different buffer capacities, relative to their speeds.
- It would therefore be useful to define a **maximum fan-in** F_P for each Port P , that can be less than the physical fan-in. The fan-in limitation could cause a reservation to be rejected (or rescinded) because the number of Talker Ports sending traffic to some Listener Port P would exceed the allowable F_P for that Port.

Per-Port, Per-Class Parameters?

- Home Bridges are typically simple, with some number of identical Ports, and perhaps a few “uplink” Ports.
- There also exist complex Bridges for the enterprise environment that have wide ranges of optional line card and Port capabilities and/or media types.
- W_X , G_X , and F_P may not be able to allocate complex Bridges’ resources to support a reasonable range of applications’ demands.
- It may therefore be worth our while to:
 - Allow W_X and G_X to depend on the Port, as well as the Class ($W_{X,P}$ and $G_{X,P}$); and/or
 - Allow F_P to depend on the Class, as well as the Port ($F_{X,P}$).

Relationships among parameters

- Each W_x must be smaller than the next-better-delay W_{x-1} .
- Each W_x must be greater than or equal to the sum of all of the same-or-better Classes' G_x values.
- Each difference $(W_x - W_{x-1})$ must be greater than or equal to G_x .
- “All $G_x = 0$ ” means that all of the reservable bandwidth (the worst-delay W_x) is available for reservation by all Classes on a highest-Rank-wins basis.
- “Each $W_x = \text{sum of all same-or-better Classes' } G_x \text{ values}$ ” means that the part of G_x not actually reserved by Class X is unavailable to any other Class; it can only be used by non-SRP traffic. That is, $W_x = R_x$.
- The simple relationships among W_x , max delay, and max credits makes it relatively easy to figure out which ones limit a given Bridge, Port, or Class, and to compute the other parameter(s).

One last observation to be discussed

- A reasonable way to optimize multiple parameters (namely, F_x , G_x , W_x , bandwidth, and Rank) is to:
 1. Allocate resources to requests in order of one of those parameters, namely Rank, until the first request fails;
 2. Reject (or rescind) all remaining requests.
- If less-demanding requests are granted after a failure, then unless some complex utility function $U(F_x, G_x, W_x, \text{bw}, \text{Rank})$ is used to select the “best” requests, the set of requests granted can be sensitive to the order in which they are processed, e.g., after a topology change.
- Any such utility function would likely cause more controversy and confusion than it would provide gains in network utilization.

Summary

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- Parameters are:
 - W_X , the total bandwidth allocated for use by all Classes that have worse latency than Class X, including non-SRP traffic;
 - G_X , the minimum bandwidth guaranteed to be available for reservation for Class X, alone; and
 - F_P , the fan-in allowed for any Port.
 - (Or, probably, $W_{X,P}$ and $G_{X,P}$, and perhaps $F_{X,P}$, as well.)
- The worst-case output **queuing delay** = $M * W_X$, where M is the size of the largest frame transmissible on the port (from start of frame to start of next frame).
- Both the **buffer size** required and the **maximum credits** allocated for a Port's shaper must be sufficient to handle the worst-case delays for all Classes that can be transmitted on the Port.
- A “**utility function**” is probably not desirable.

Next steps

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1. Discuss, correct, validate, rewrite, or discard this presentation.
2. Re-examine the assumptions list in light of the results.