

Comment i-104 (145.2.8.5, P 158, L 10)

The use of I_{peak-2P_unb} can be simplified if we adopt the following principles:

- a) The system unbalance for P_{class_PD} and P_{peak_PD} is almost the same (simulated differences around 0.2%)
- b) If I_{peak} is met, then I_{peak-2P_unb} is intrinsically met and no need to measure it for compliance.

Mathematical Analysis:

$$I_{Con-2P_unb} = 0.5 \times I_{Con} \times (1 + P2Punb) = 0.5 \times \frac{P_{Class}}{V_{pse}} \times (1 + P2Punb)$$

$$I_{Peak-2P_unb} = 0.5 \times I_{Peak} \times (1 + K_{I_{peak_max}}) = 0.5 \times \frac{1.05 \times P_{Class}}{V_{pse}} \times (1 + K_{I_{peak_max}})$$

If $P2Punb = K_{I_{peak_max}}$ then $\frac{I_{Peak-2P_unb_max}}{I_{Con-2P_unb}} = 1.05 \rightarrow$ I_{peak-2P_unb} is limited as I_{con-2P-unb} does.

Proposed Remedy:

Editor to add the following text to page 158 after line 12:

"PDs shall not exceed pair-to-pair unbalance ratio of Equation (145-XYZ) for power levels from P_{Class_PD} to at least P_{peak_PD}. PDs that meet this requirement, intrinsically meet the limits of I_{peak-2P_unb_max}."

$$P2PUnb = (2 \times I_{Con-2P_unb} - I_{Con}) / I_{Con} \quad (145-XYZ)$$

where

I_{con} is defined by Equation 145-9.

I_{con-2P_unb} is specified in Table 145-16.

End of Baseline

