

Comment: #111 and others (This is part B of darshan_01_0317.pdf)

I_{peak-2P_unb} has the flexibility to be adjusted as function of the V_{pse}, P_{class-PD} and R_{ch}. This flexibility has many advantages. I_{con-2P_unb} can benefit with the same advantages by reusing means that we have already in the spec. I_{peak} that was used for I_{peak-2P_unb} can be used for I_{con-2P_unb} as well. This is due to the fact that the system pair to pair unbalance factor that is represented by I_{peak} for I_{peak-2P_unb} is the same for I_{con-2P_unb}.

Proposed Remedy:

Make the following changes:

145.2.8.5 Continuous output current capability in the POWER_ON state

I_{Port-2P} and I_{Port-2P-other} are the currents on the pairs with the same polarity of the two pairsets and are defined in Equation (145–5) and in Equation (145–6).

$$I_{\text{Port-2P}} = \left\{ \begin{array}{l} I_{\text{Port-2P-pri}} \text{ for the Primary Alternative} \\ I_{\text{Port-2P-sec}} \text{ for the Secondary Alternative} \end{array} \right\}_A \quad (145-5)$$

$$I_{\text{Port-2P-other}} = \left\{ \begin{array}{l} I_{\text{Port-2P-sec}} \text{ for the Primary Alternative} \\ I_{\text{Port-2P-pri}} \text{ for the Secondary Alternative} \end{array} \right\}_A \quad (145-6)$$

I_{Port} is the total current on both pairs with the same polarity and is defined in Equation (145–7).

$$I_{\text{Port}} = \{I_{\text{Port-2P}} + I_{\text{Port-2P-other}}\}_A \quad (145-7)$$

where

I_{Port-2P-pri} is the output current sourced on the Primary Alternative
I_{Port-2P-sec} is the output current sourced on the Secondary Alternative

PSEs shall be able to source I_{Con-2P}, the current the PSE supports on each powered pairset, as defined in Equation (145–8).

$$I_{\text{Con-2P}} = \left\{ \begin{array}{l} P_{\text{Class}}/V_{\text{PSE}} \text{ when in 2-pair mode} \\ \min(I_{\text{Con}} - I_{\text{Port-2P-other}}, I_{\text{Con-2P-unb}}) \text{ when 4-pair powering a single-signature PD} \\ P_{\text{Class-2P}}/V_{\text{PSE}} \text{ when 4-pair powering a dual-signature PD} \end{array} \right\}_A \quad (145-8)$$

where

P_{Class} is P_{Class} as defined in Equation (145–2)
P_{Class-2P} is P_{Class-2P} as defined in Equation (145–3)
V_{PSE} is the voltage at the PSE PI as defined in 145.1.3
I_{Con} is the total current a PSE is able to source as defined in Equation (145–9)
I_{Con-2P-unb} is the current a PSE is able to source on a pairset due to unbalance as defined in Table 145–16 [or in Equation 145-XY](#)
I_{Port-2P-other} is the output current on the other pairset as defined in Equation (145–6)

$$I_{Con-2P_unb} = (1 + KI_{peak}) \times \frac{I_{Con}}{2} \quad (145-XY)$$

where

KI_{Peak} The value of KI_{Peak} , defined in Equation (145-13), is based on a curve fit and is dimensionless

I_{Con} is the total current a PSE is able to source as defined in Equation (145-9)

Alternatively an over-margined value of I_{con-2P_unb} defined in Table 145-16 may be used.

When powering a single-signature PD over 4-pairs, a PSE supports:

- A total current of I_{Con} , defined in Equation (145-9), over both pairs with the same polarity;
- A minimum current of $I_{Con-2P-unb}$ over one of the pairs of the same polarity under maximum unbalance condition (see 145.2.8.5.1) in the $POWER_ON$ state.

$$I_{Con} = \left\{ \frac{P_{Class}}{V_{PSE}} \right\}_A \quad (145-9)$$

where

P_{Class} is P_{Class} as defined in Equation (145-2)

V_{PSE} is the voltage at the PSE PI as defined in 145.1.3

The PSE shall support the AC current waveform parameter $I_{Peak-2P}$, defined in Equation (145.2.8.5.1), on each powered pairset, while within the operating voltage range of V_{Port_PSE-2P} , for a minimum of $TCUT-2P$ and a duty cycle of at least 5%.

$$I_{Peak-2P} = \left\{ \begin{array}{ll} I_{Peak} & \text{when in 2-pair mode} \\ \min(I_{Peak} - I_{Port-2P-other}, I_{Peak-2P_unb}) & \text{when 4-pair powering a single-signature PD} \\ \frac{V_{PSE} - \sqrt{V_{PSE}^2 - 4 \times R_{Chan-2P} \times P_{Peak_PD-2P}}}{2 \times R_{Chan-2P}} & \text{when 4-pair powering a dual-signature PD} \end{array} \right\}_A \quad (145-10)$$

where

I_{Peak} is the total peak current a PSE supports per Equation (145-14)

$I_{Port-2P-other}$ is the output current on the other pairset as defined in Equation (145-6).

$I_{Peak-2P-unb}$ is the minimum current due to unbalance effects a PSE must support on a pairset as defined in Equation (145-12)

V_{PSE} is the voltage at the PSE PI as defined in 145.1.3 $R_{Chan-2P}$ is the pairset loop resistance; this parameter has a worst-case value of R_{Ch} defined in 145.1.3. R_{Ch} is defined in Table 145-1.

P_{Peak_PD-2P} is the peak power a dual-signature PD may draw per its assigned Class on a pair-set; see Table 145-28

I_{Peak} , defined in Equation (145–11), is the total current of the powered pairs with the same polarity that a PSE supports, when powering a PD over 2-pairs or powering a single-signature PD over 4-pairs.

$$I_{Peak} = \left\{ \frac{V_{PSE} - \sqrt{V_{PSE}^2 - 4 \times R_{Chan} \times P_{Peak_PD}}}{2 \times R_{Chan}} \right\}_A \quad (145-11)$$

where

- V_{PSE} is the voltage at the PSE PI as defined in 145.1.3
- R_{Chan} is the channel loop resistance as defined in 145.1.3
- P_{Peak_PD} is the total peak power a PD may draw for its Class; see Table 145–28

$I_{Peak-2P-unb}$, defined in Equation (145–12), is the minimum current due to unbalance effects that a PSE supports on a pairset when powering a single-signature PD over 4-pairs.

$$I_{Peak-2P-unb} = \left\{ (1 + K_{I_{Peak}}) \times \frac{I_{Peak}}{2} \right\}_A \quad (145-12)$$

where

- $K_{I_{Peak}}$ The value of $K_{I_{Peak}}$, defined in Equation (145–13), is based on a curve fit and is dimensionless
- I_{Peak} is the total peak current a PSE supports per Equation (145–11)

$$K_{I_{Peak}} = \left\{ \begin{array}{ll} 1 & \text{for Class 0 to 4} \\ \min(0.214 \times (R_{chan-2P})^{-0.363}, 0.331) & \text{for Class 5} \\ \min(0.199 \times (R_{chan-2P})^{-0.35}, 0.304) & \text{for Class 6} \\ \min(0.18 \times (R_{chan-2P})^{-0.335}, 0.27) & \text{for Class 7} \\ \min(0.176 \times (R_{chan-2P})^{-0.347}, 0.26) & \text{for Class 8} \end{array} \right\} \quad (145-13)$$

where

- $R_{Chan-2P}$ is the channel DC loop resistance per pairset, as defined in 145.1.3. $R_{Chan-2P}$ has a minimum value of 0.2 Ω when used in Equation (145–13).

Alternatively, an over-margined value of $I_{Peak-2P-unb}$, $I_{Peak-2P-unb_max}$, defined in Equation (145–14) may be used

$$I_{Peak-2P-unb_max} = \{I_{LIM-2P} - 0.002\}_A \quad (145-14)$$

where

- I_{LIM-2P} is the I_{LIM-2P} min value per pairset for the PSE, as defined in Table 145–16

End of Baseline