

Statistical Simulation Comparison Between Exact PDF & Quick PDF & Gaussian rms Generated PDF

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04-04-2012

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Simulation Parameters

- Channel for experiment
 - \meier_02_1011\Longest Link
 - Thru_S06-P20-10-AB_S14-P23-04-CD_NNN
 - FEXT_S14-P23-03-AB_S06-P20-10-CD_NNN
- For this analysis:
 - UI = 38 ps
 - No jitter, package, or die load capacitance
 - Termination is 50 ohm single ended (100 ohm differential)
 - All signals 1 Volt at source (peak to peak, differential)
 - FFE3 in the transmitter (8 bits resolution)
 - Pre cursor tap bound -.1
 - Post cursor tap bound -.4
 - DFE5 in the receiver (9 bits resolution)
 - Target signal amplitude (threshold) = 100 mV
 - CTLE (~ 6.7 dB boost at ~ 16 GHz)
 - Zero: 3.5GHZ
 - Poles: 10GHz, 30Ghz
 - BER: target 1e-12
 - No AGC
 - 80 bins for PDFs
 - Eye height coordinate descent optimization

Power Check Between FD and TD using crosstalk signal: FD

- Find ICN with $A=500$ mV, $UI=1/(66/64*25e9)$
 $fb=1/UI$, $Trf=.2*UI$ from clause 85 using filters

$$W_{ft}(f_n) = (A_{ft}^2/f_b) \text{sinc}(f_n/f_b)^2 \left[\frac{1}{1 + (f_n/f_{ft})^4} \right] \left[\frac{1}{1 + (f_n/f_r)^8} \right] \quad \sigma_{fx} = \left[2\Delta f \sum_n W_{ft}(f_n) 10^{-MDFEXT_{loss}(f_n)/10} \right]^{1/2}$$

- Reduces to

$$(FD \text{ rms}) \quad A * \sqrt{2 \cdot \frac{\Delta f}{fb} \cdot \sum_n \left(\text{sdd21}(f_n)^2 \cdot \text{sinc}\left(\pi \cdot \frac{f_n}{f_b}\right) \right)^2 \cdot \left[\frac{1}{1 + \left(f_n \cdot \frac{Trf}{.2365}\right)^4} \right] \cdot \left[\frac{1}{1 + \left(\frac{f_n}{fb \cdot .75}\right)^8} \right]}$$

Power Check Between FD and TD using crosstalk signal: TD

- Filter s-parameters like in FD

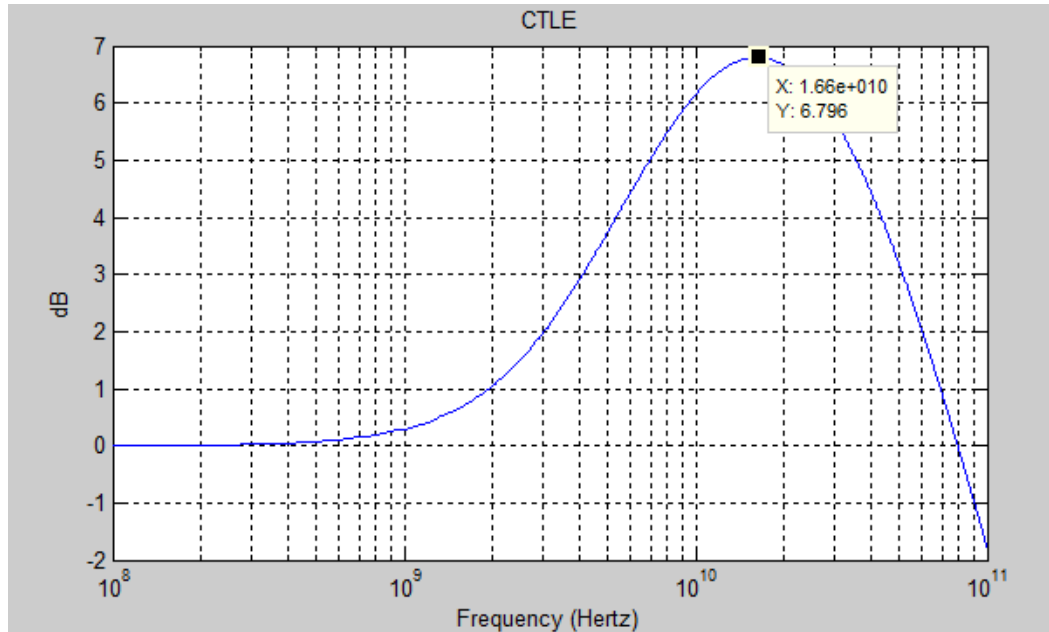
$$sdd21(f) = sdd21(f) * \sqrt{\frac{1}{1 + \left(\frac{f_n}{f_{ft}}\right)^4}} * \sqrt{\frac{1}{1 + \left(\frac{f_n}{f_r}\right)^8}}$$

- Find impulse response
 - $IR = iFFT(sdd21(f))$
- *Find response to PRBS data stream with amplitude of +/- 500 mV*
 - $IR \otimes PRBS$
- *Find RMS of resultant signal (TD rms)*

FD and TD RMS's are very close

- FD rms (mv) =4.5316
- TD rms (mv) =4.535
- Seems consistent with Parseval's theorem

CTLE, FFE and DFE solutions

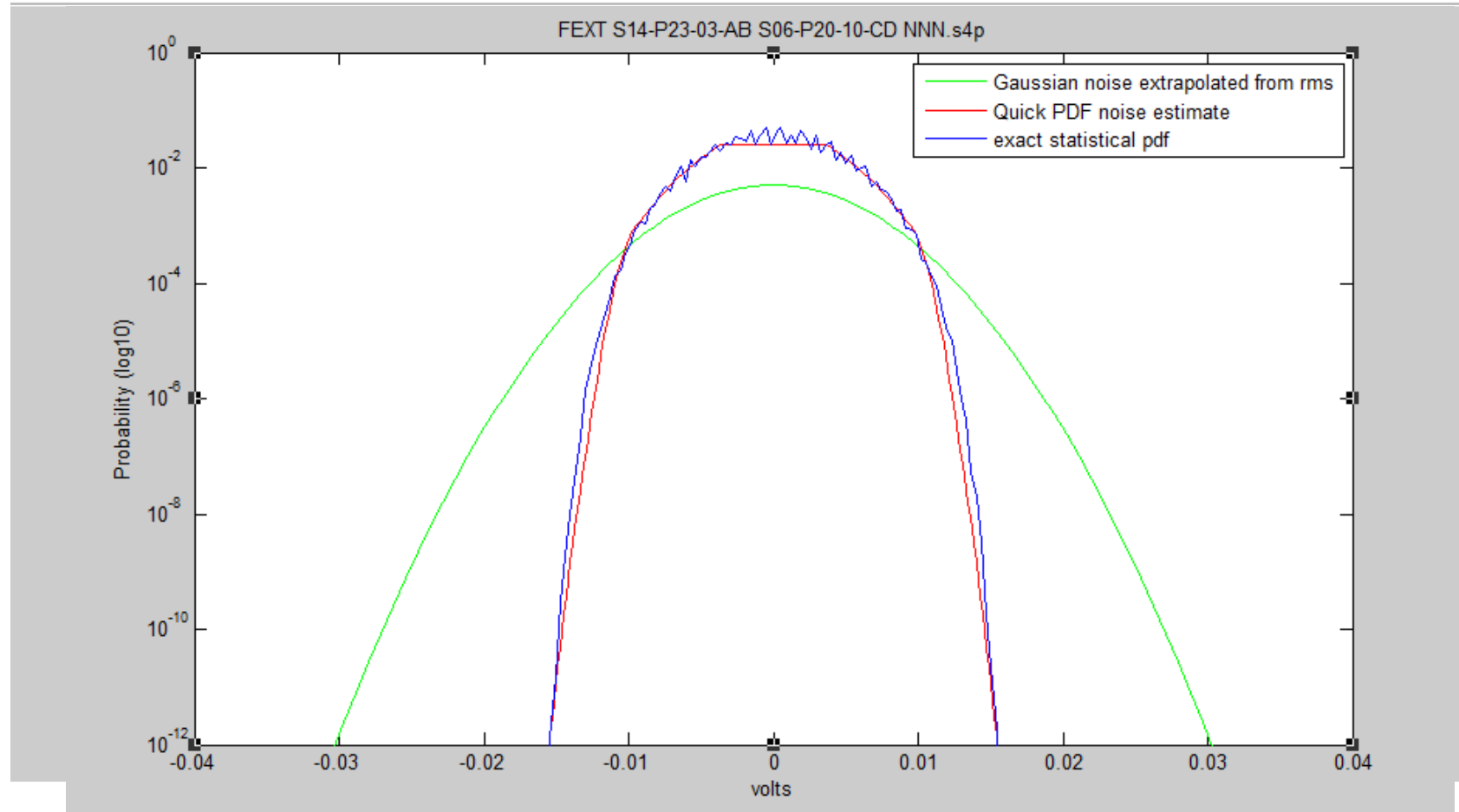


FFE taps (c-1, c0, c1) = -0.0625 0.585938 -0.35156

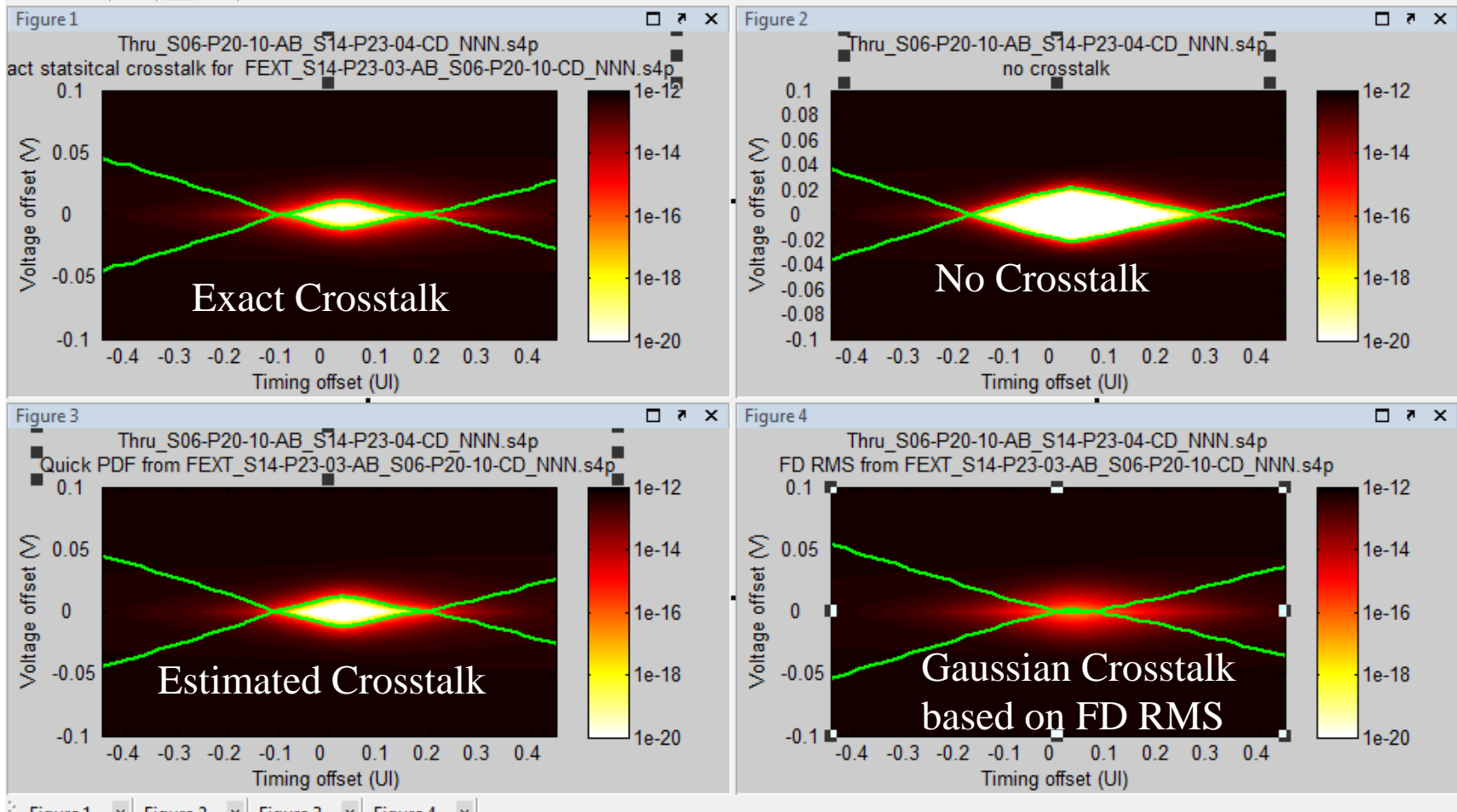
DFE tap (d1:5)=0.023438 -0.01172 -0.00195 0 0

- Optimization could be more tuned but they are constant across the experiment and in all cases only use the same thru file
- Simulation applies CTLE and DFE to crosstalk

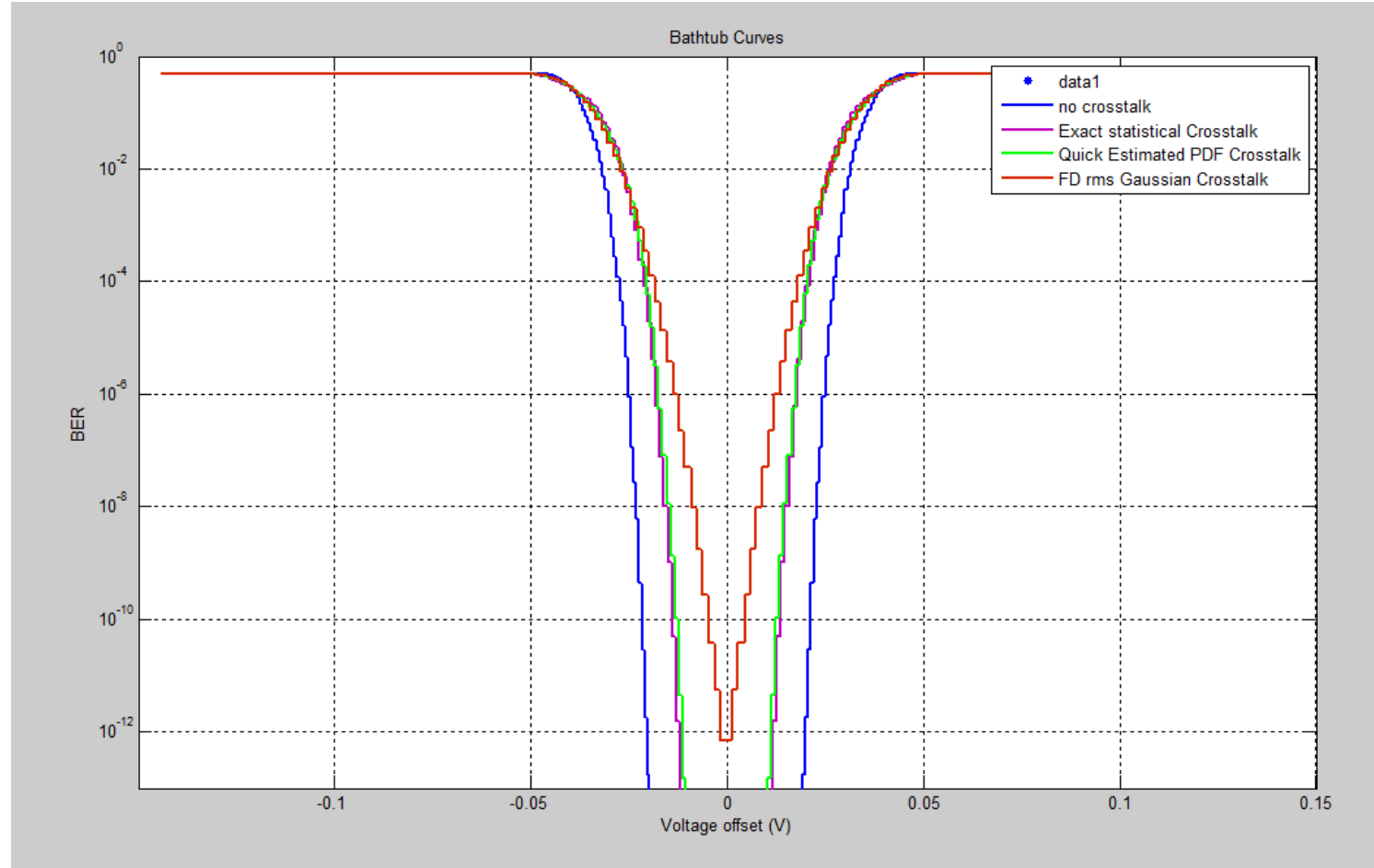
Comparison Between Probability Density Functions (PDF)



Results: Eye Diagrams



Results – Bathtub for Eye Height



Summary

- Results suggest quick PDF estimation tracks performance at target BER better than FD rms estimations
- Add more noises to analysis for next meeting
- Better explanation of the quick PDF method at next meeting.
- The key is analyzing statistics of the signals, is easier in TD but not in FD