

# FEC Performance Analysis for 400GbE with FOM Bitmux

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# Motivation

- KR4/KP4 RS FEC performance with Orthogonal/Non-Orthogonal bit mux methods are explored in “wang\_t\_3bs\_01\_0514” and “wang\_t\_3bs\_01\_0714”.
- FEC performance on multi-part links is investigate in “anslow\_3bs\_02\_0714”.
- Some difference of FEC performance exists in these two slides due to distinction on worst case assumptions in evaluation.
- In these slides, we hope to further the investigation of FEC performance on bit multiplexing architecture,
  - Different assumptions of worse case in one-part link;
  - Comparison of KR4/KP4 FEC performance for one-part link;
  - A method to calculate FEC performance in two-part link with random error in one link and bursty errors in another;
  - KR4/KP4 FEC performance results by the method above.

# FEC Performance Calculation

## □ Calculation programs in “wang\_t\_3bs\_01\_0714”

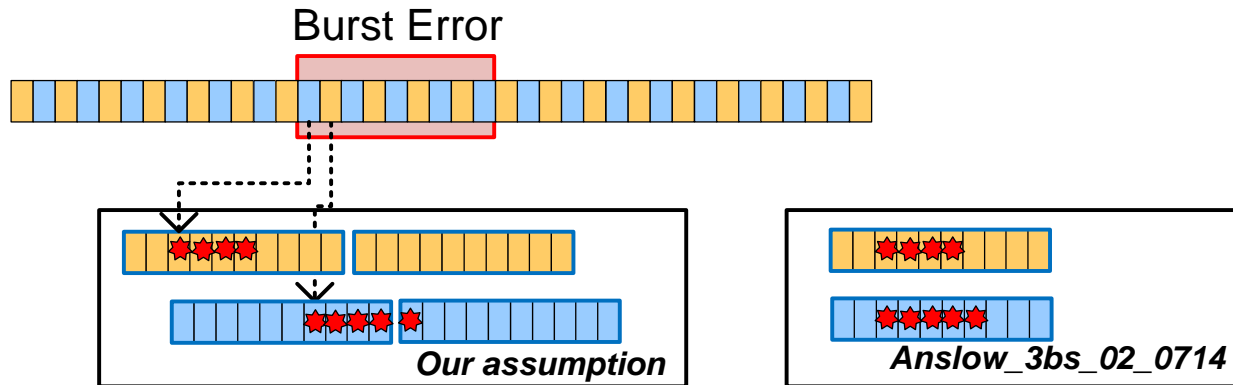
$$BER_{post} = \binom{n}{1} * M(t+1) * W(E) + \binom{n}{2} * \sum_{i=1}^t G(i) * M(t-i) * W(E) + \binom{n}{3} * \sum_{i=1}^t \sum_{j=1}^{t-i} G(i) * G(j) * M(t-i) * W(E) + \dots + \sum_{i=t+1}^n \binom{n}{i} * G(i) * W(E)$$

— Probability of having a single burst error longer than  $t+1$  symbols  
 — Probability of having two burst error whose total length is longer than  $t+1$  symbols  
 — Probability of having three burst error whose total length is longer than  $t+1$  symbols  
 — Probability of having more than  $t+1$  separate burst errors

## □ The following assumptions affect the evaluation:

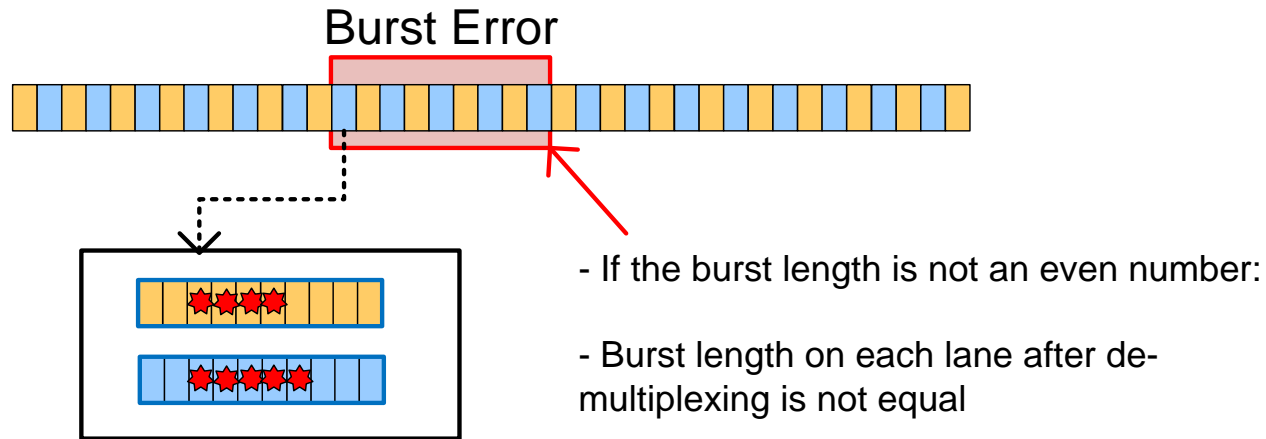
- Multiplexing symbol lanes without skews
- Unbalanced error distribution after de-multiplexing
- Permutation of burst error patterns

# Assumption 1 : Multiplexing Symbol Lanes without Skews



- Our assumption was the symbol lanes are not aligned and it may have random offset from (0-9); however the offset could be any value in  $\{0..9\}$ , but it is fixed once the hardware layout is finished.
- “No skew” scenario from Anslow\_02\_bs\_0714 is more realistic and simplified model, because layout skew difference is fixed yet unpredictable. We use this assumption in the following calculation.

## Assumption 2 : Unbalanced Error Distribution after De-Multiplexing



- Our assumption:
  - Every FEC codeword has 50% chance with longer partial burst, and 50% chance to have short one.
- Otherwise:
  - Always calculate on the lane with longer partial burst error.

# Assumption 3 : Burst Error Patterns Should be Counted

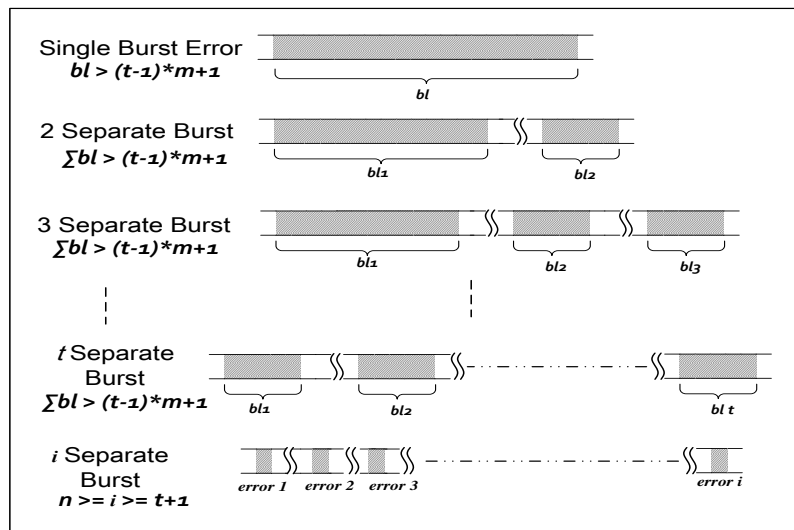


Figure 1

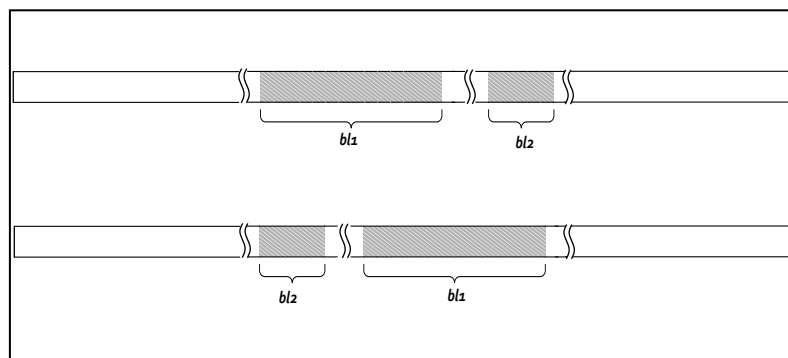


Figure 2

- All kinds of burst error patterns, longer than 8 symbols are counted. (As in Figure1 of “wang\_t\_3bs\_01\_0514” )
- The sequence of separate burst errors with different length should be considered, because it is another type of burst error occurrence, (Example in Figure2).
- The collective occurrence for all types of burst error affects the FEC performance.

# FEC Performance on One-part Link

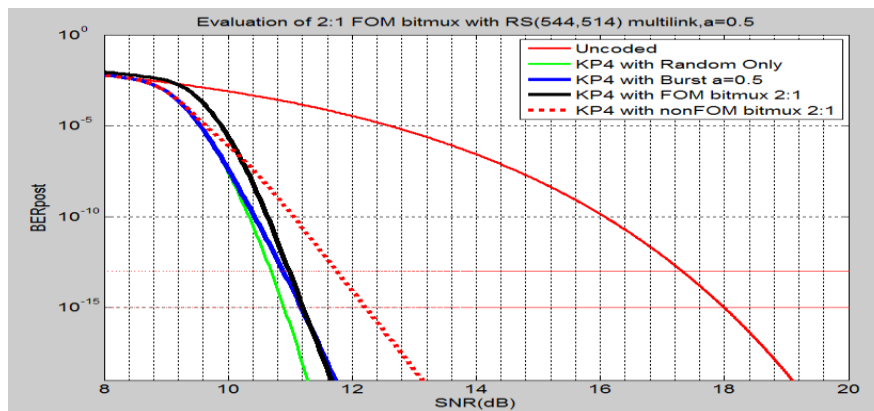
## □ KR4 FEC

	For FLR = 6.2E-11	For FLR = 6.2E-13
No FEC	1E-13	1E-15
1:2 Same FEC, a = 0.5	1.6E-7*	1.6E-8*
Burst, a = 0.5	9.6E-6*	3.3E-6*
1:2 Different FEC, a = 0.5	1.3E-5*	5.2E-6*
Random errors	3.8E-5	2.1E-5

	For FLR=6.2E-11	For FLR=6.2E-13
No FEC	1E-13	1E-15
Non FOM Bit Mux	3.5E-7	3.5E-8
Burst,a=0.5	1.4E-5	6.3E-6
FOM Bit Mux	1.9E-5	8E-6
Random errors	4E-5	2.2E-5

Refer to *Anslow\_3bs\_02\_0714*

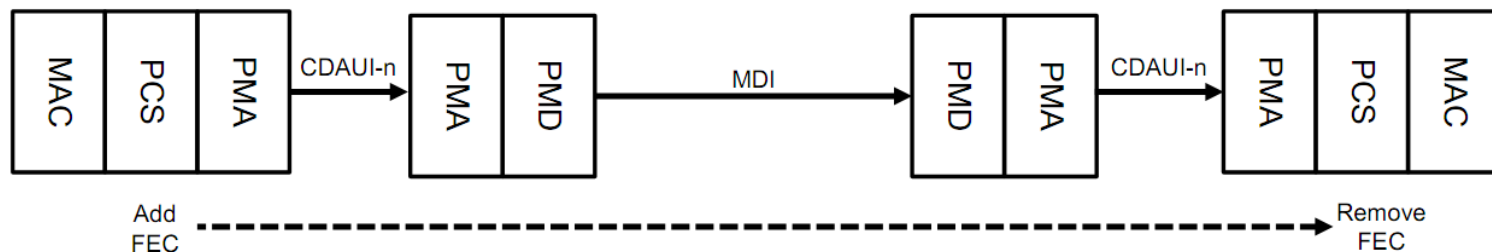
## □ KP4 FEC



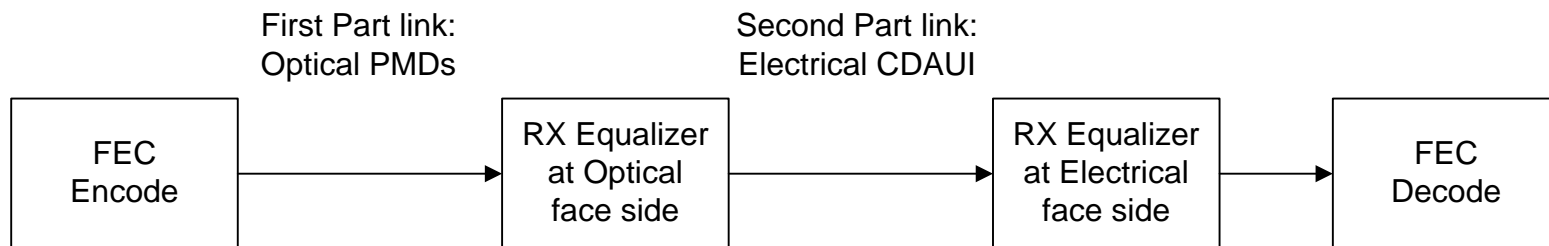
	For FLR=6.2E-11	For FLR=6.2E-13
No FEC	1E-13	1E-15
Non FOM Bit Mux	5.5E-5	2.2E-5
Burst,a=0.5	2.4E-4	1.5E-4
FOM Bit Mux	2E-4	1.5E-4
Random errors	3E-4	2.3E-4

# FEC Performance on Two-part Link

- Method of FEC performance on multi-part links is stated in “anslow\_3bs\_02\_0714”.
- FEC Strategies: End to End as in “gustlin\_3bs\_02\_0714”:



- The error behavior of CDAUI-n interface in TX and RX are most likely similar. We can simplify the FEC performance model with the following two-part links at first and further investigation on the multi-part links as in real system.





# FEC Performance on Two-part Link (burst + random)

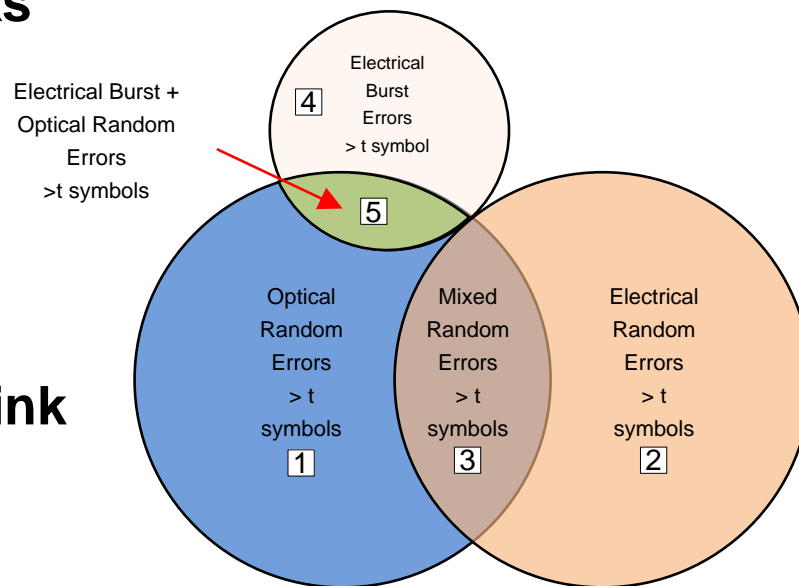
## Random errors from two sub-links

$$\sum_{i=8}^n \binom{n}{i} SER^i (1 - SER)^{n-i}$$

- Optical sub-link errors (1)
- Electrical sub-link errors (2)
- Optical + Electrical sub-link errors (3)

## Burst errors from electrical sub-link

- One burst, two bursts, ... seven bursts with total length > 8 symbols

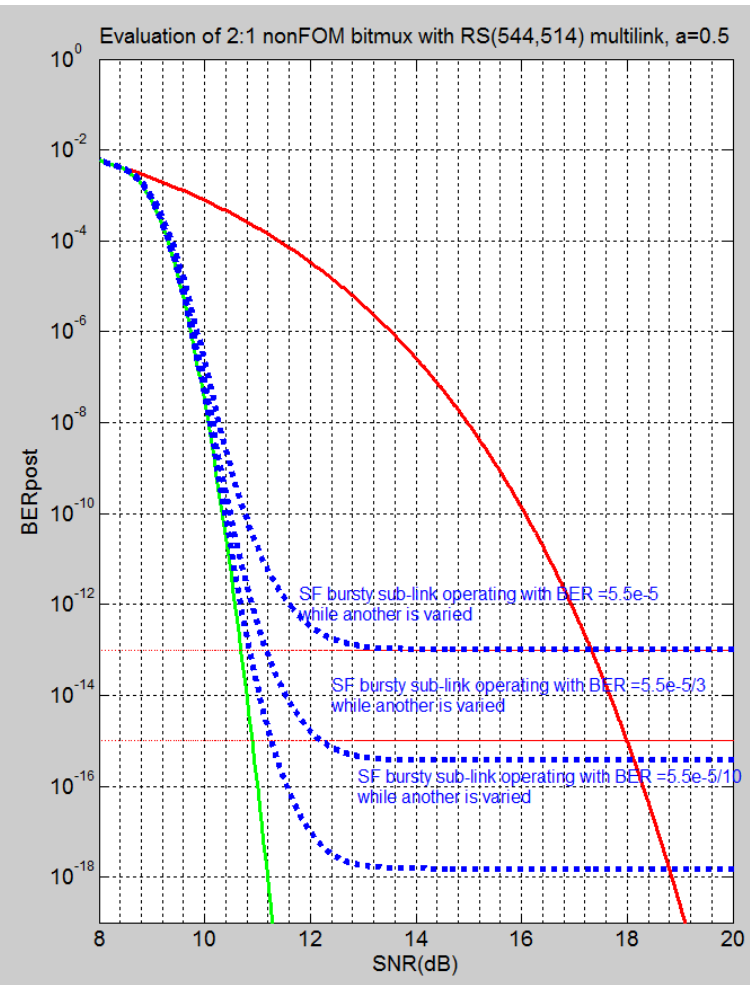
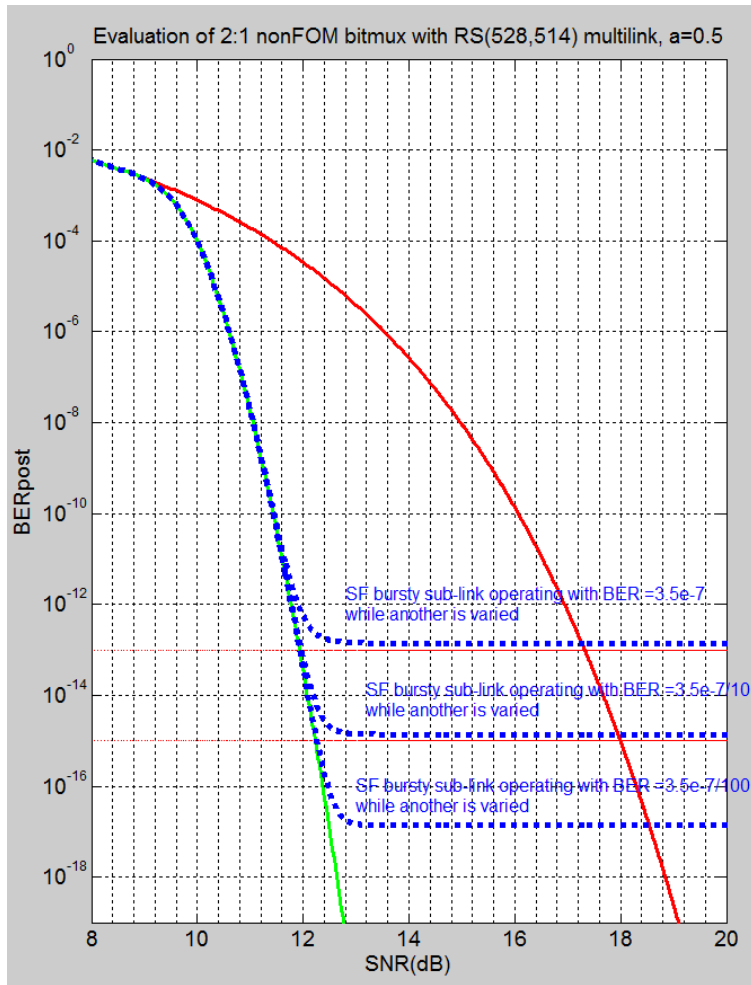


$$Burst\ Error(8) = \binom{n}{1} * M(t+1) + \binom{n}{2} * \sum_{i=1}^t G(i) * M(t+1-i) + \dots + \binom{n}{7} * \sum_{i=1}^t \dots \sum_{i_6=1}^{t-i-i_2-\dots-i_5} G(i) * G(i_2) * M(t+1-i_1-i_2-\dots-i_6) \quad (4)$$

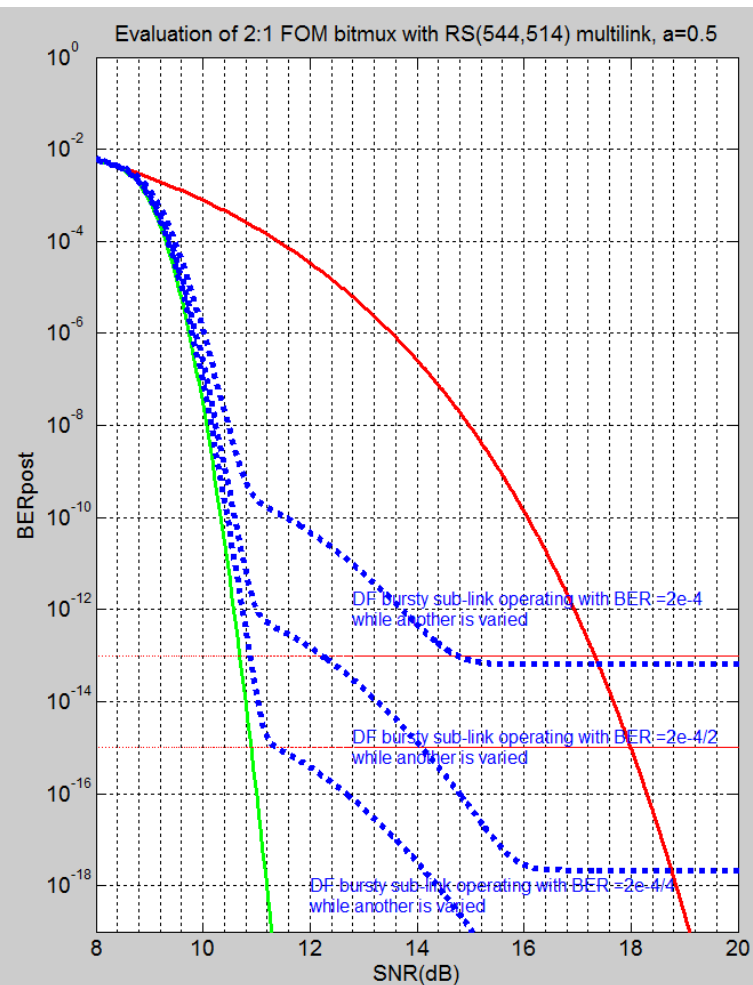
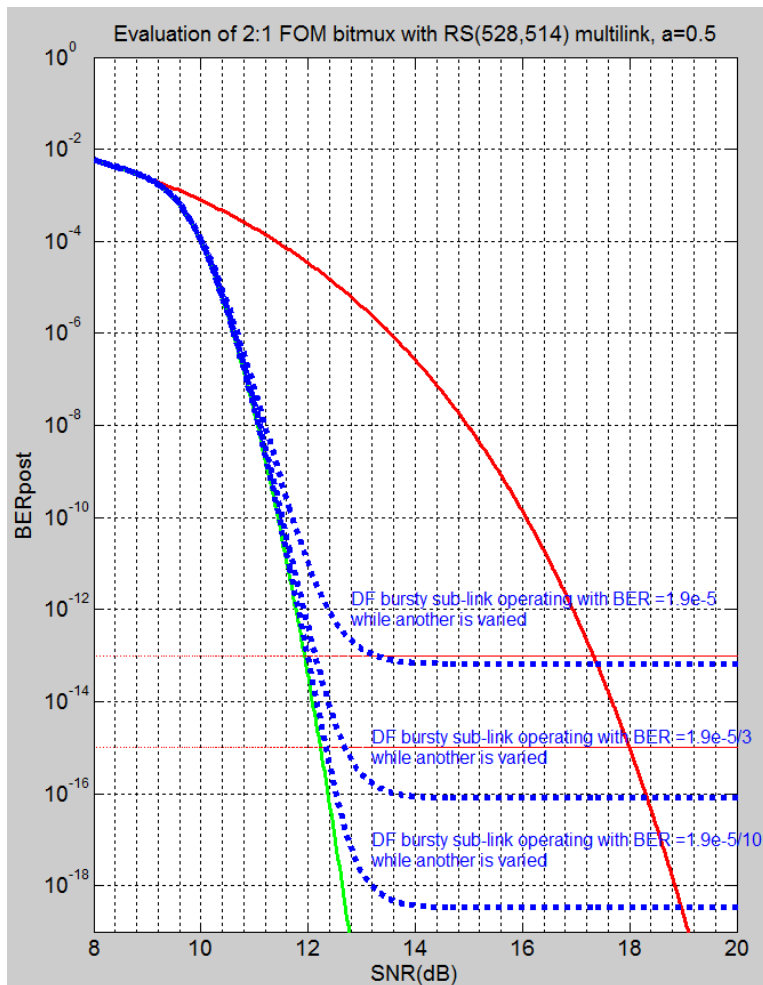
## Mixed burst errors and random errors

$$\sum_{i=1}^6 \binom{n}{i} SER^i (1 - SER)^{n-i} * Burst\ Error(8 - i) \quad (5)$$

# Non-FOM Bit mux Result of KR4/KP4 FEC



# FOM Bit Mux Result of KR4/KP4 FEC



# FEC Performance on Two-part Link (burst + burst)

## □ Random errors from two sub-links

- Optical sub-link errors (1)
- Electrical sub-link errors (2)
- Optical + Electrical sub-link errors (3)

## □ Burst errors from electrical sub-link

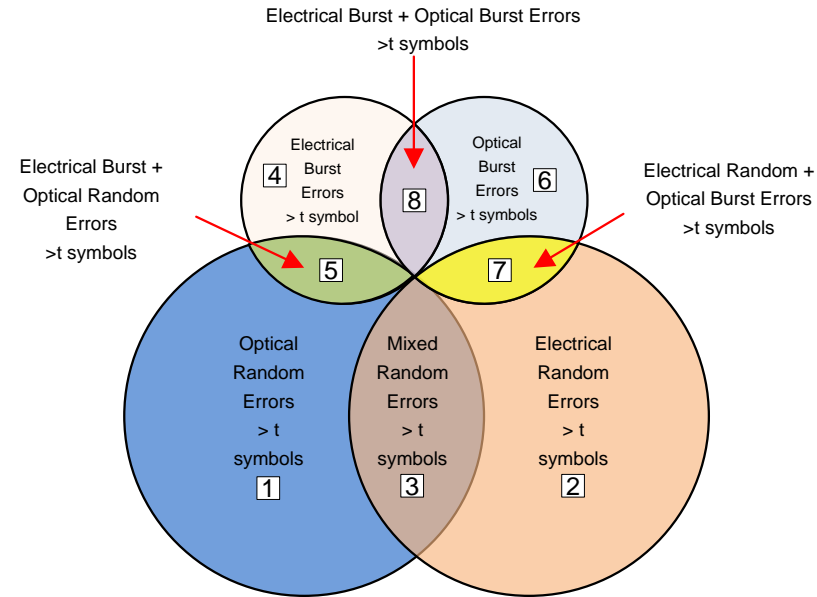
- One burst, two bursts, ... seven bursts with total length  $> 8$  symbols (4)
- One burst, two bursts, ... seven bursts with total length  $> 8$  symbols (5)

## □ Mixed burst errors and random errors from both sub-links

- Burst from optic and random from electrical link (6)
- Burst from electrical and random from optic link (7)

## □ Mixed burst errors from both sub-links

- Burst from both electrical and optic link (8)



# Summary

- Evaluation assumptions are examined and compared with other methods.
- KR4 FEC Performance for one part link conforms by different contributions. Due to distinct assumptions and program method, KR4 FEC Performance for multi-part link has small difference.
- KP4 FEC Performance for one part link and multi-part link has been investigated.
- Multi-part link with Burst + Burst error model has been explored and result will be compared and presented later.

Thank you