Transport Mechanisms for Data Centers: The Averaging Principle

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Overview

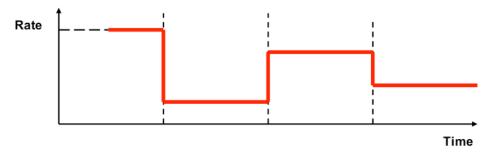
- Paper on QCN with same authors recently written; has two main parts
 - QCN: Algorithm and theoretical model
 - This has been presented to the WG in July '08 at the Denver meeting
 - The Averaging Principle
 - A control-theoretic idea which can be applied to general control systems, *not just* congestion control systems, and which makes them more robust to increases in loop delays
 - Underlies the reason for the good stability of the QCN and BIC algorithms
- We describe the AP, apply it to BCN
 - We have also applied it to other algorithms in the Internet context

Background to the AP

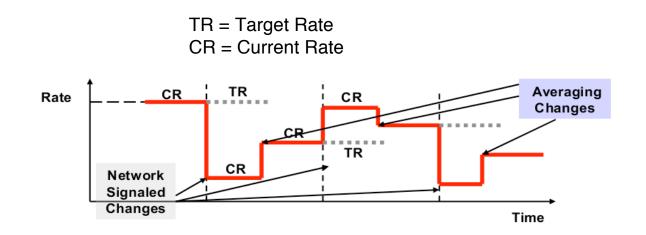
- When the lags in a control loop increase, the system becomes oscillatory and eventually becomes unstable
- Feedback compensation is applied to restore stability; the two main flavors of feedback compensation in are:
 - 1. Determine lags (round trip times), apply the correct "gains" for the loop to be stable (e.g. XCP, RCP, FAST).
 - 2. Include higher order queue derivatives in the congestion information fed back to the source (e.g. REM/PI, BCN).
- The Averaging Principle is a different method
 - It is suited to Ethernet where round trip times are unavailable
 - It is also a simpler method of coping with increasing lags than sending higher order derivatives
 - E.g. think of BCN v1.0 and v2.0

The Averaging Principle (AP)

• A source in a congestion control loop is instructed by the network to decrease or increase its sending rate (randomly) periodically



 AP: a source obeys the network whenever instructed to change rate, and then *voluntarily* performs *averaging* as below



Averaging applied to BCN

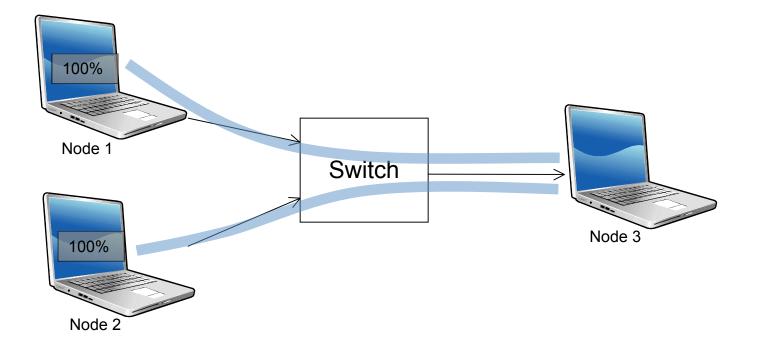
- Algorithm
 - When Fb (positive or negative) is received:
 - Apply Fb to modify Current Rate
 - Set Target Rate = old Current Rate
 - Apply averaging after 50 packets are sent:
 - Current Rate = alpha * Target Rate + (1 alpha) * Current Rate
- Recall: Rule for modifying current rate in BCN

$$R \leftarrow \begin{cases} R + G_i R_u F_b & \text{if } F_b \ge 0 \\ R(1 - G_d |F_b|) & \text{if } F_b < 0 \end{cases}$$

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BCN with AP: Scenario and Workload



- 2 flows destined to node destined node 3 (First flow from Node 1, second flow from Node 2)
- Each flow is at maximum rate (10Gbps)
- Traffic: uniform
- Duration: 3s
- Service rate at switch is decreased to 0.5G from 1s to 2s
- RTT: varying

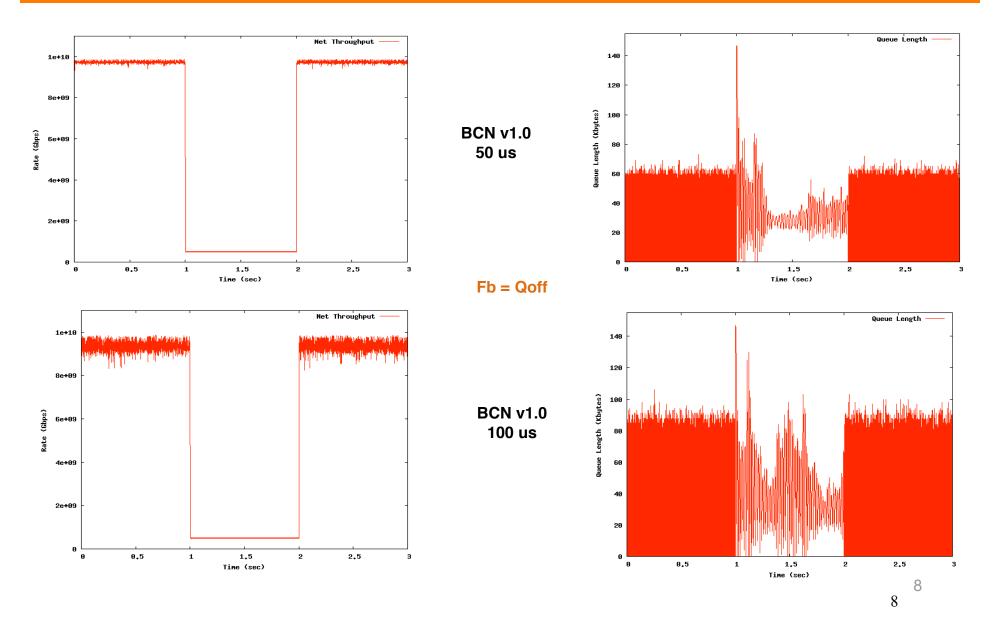
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BCN parameters

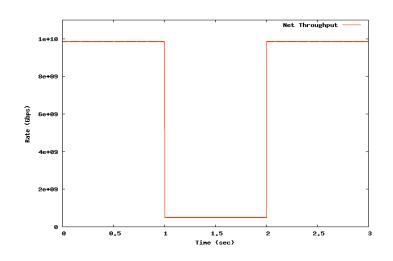
- – Qeq = 375
- - Qsc = 1600
- – Qmc = 2400
- - Qsat disabled
- - Ecm00 disabled
- - Gi = 0.53333 (varies with RTT)
- - W= 0 or 2
- -Gd = 0.00026667
- - Ru = 1,000,000
- - Rd = 1,000,000
- - Td = 1ms
- - Rmin = 1,000,000

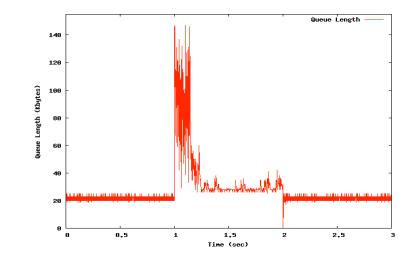
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BCN v1.0 Fb = Qoff



BCN v2.0 Fb = Qoff + 2 Qdelta





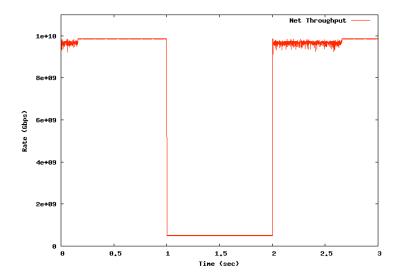
Fb = Qoff + 2Qdelta

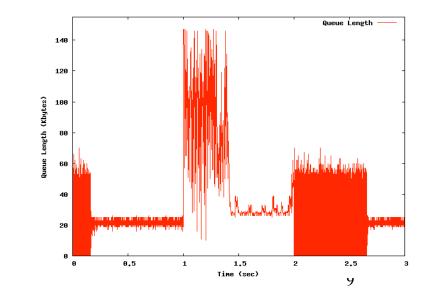
BCN v2.0

100 us

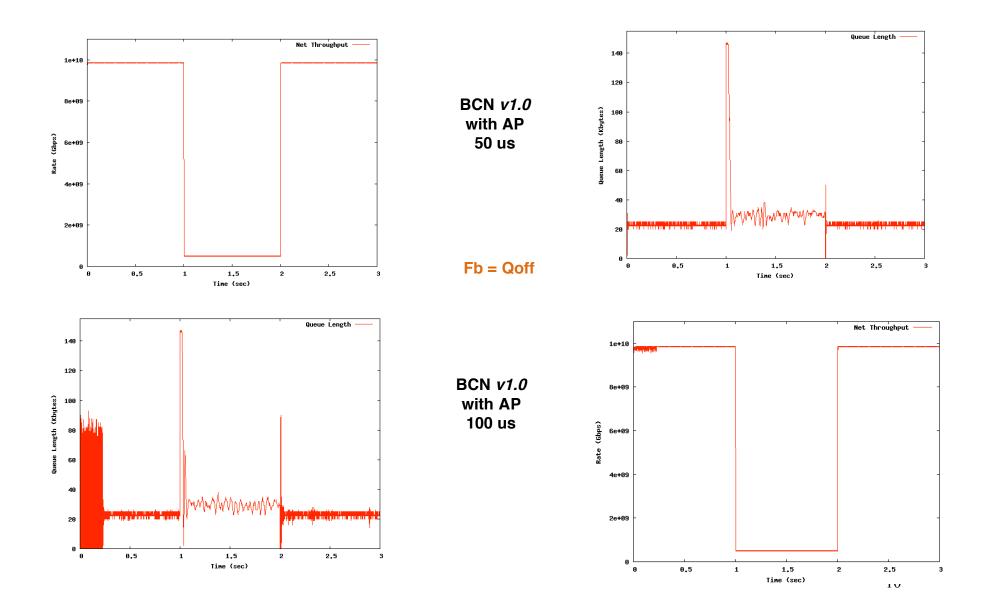
BCN v2.0

50 us





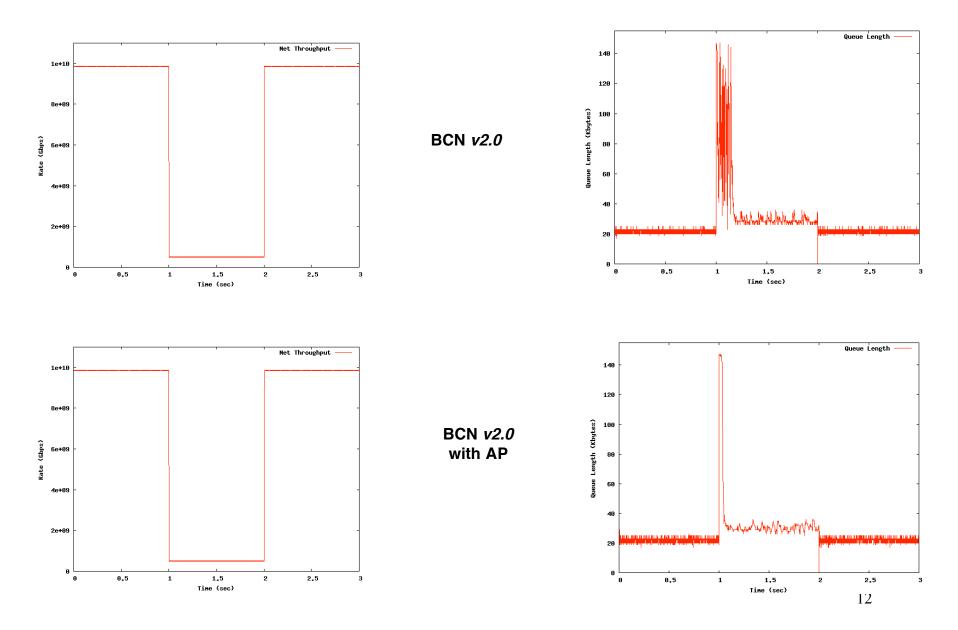
BCN v1.0 with AP Fb = Qoff



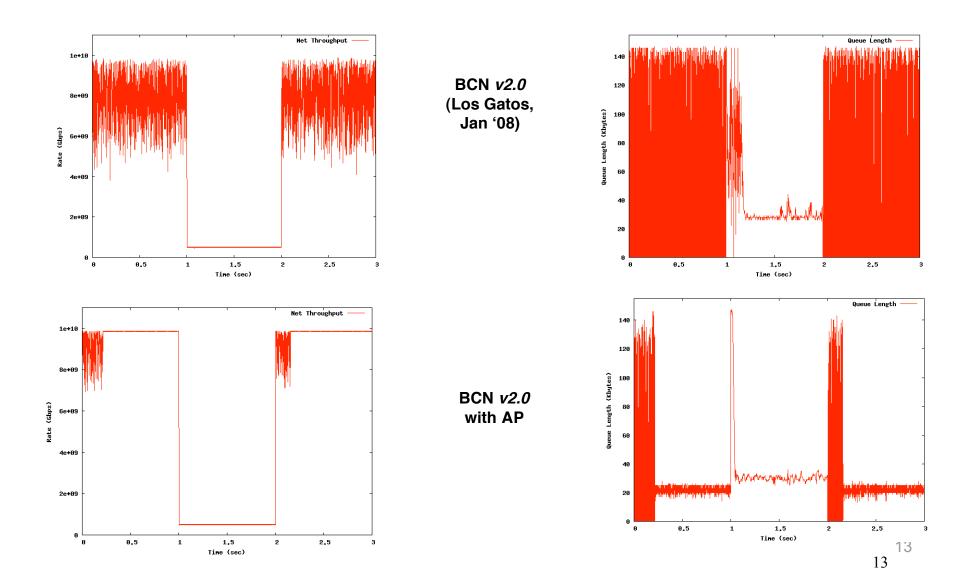
Summary of BCN v1.0 with AP

- We see that the AP provides an automatic stabilization to BCN v1.0 which is at least as good as that provided by BCN v2.0
 - The difference is that the AP does not require Qdelta
 - Qdelta requires a change at all switches, which we can avoid using the AP
- Now, suppose we take BCN v2.0, where Qdelta is already available
 - We saw in the Los Gatos meeting in Jan 08 that BCN v2.0 needs gain adjustments to be stable at large RTTs (200 us or so)
 - Can the AP be applied to BCN v2.0 to improve its stability?

BCN v2.0 vs BCN v2.0 with AP RTT = 10 us



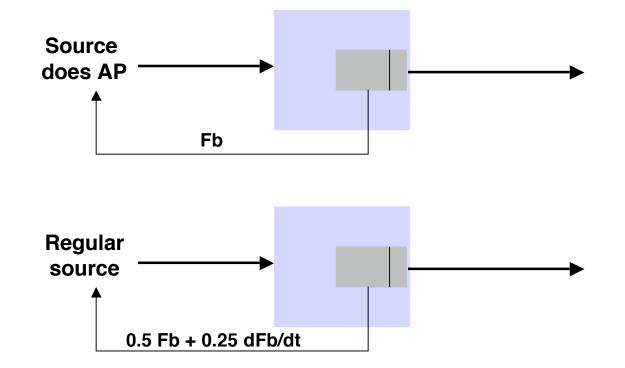
BCN v2.0 vs BCN v2.0 with AP RTT = 250 us



Understanding the AP

- As mentioned earlier, the two major flavors of feedback compensation are:
 - 1. Determine lags, chose appropriate gains
 - 2. Feedback higher derivatives of state
 - We prove that the AP is in a sense equivalent to the second option above!
 - This is great because we don't need to change network routers and switches
 - And the AP is really very easy to apply; no lag-dependent optimizations of gain parameters needed

AP Equivalence: Single Source Case



- Systems 1 and 2 are discrete-time models for an AP enabled source, and a regular source respectively.
- *Main Result:* Systems 1 and 2 are algebraically equivalent. That is, given identical input sequences, they produce identical output sequences.
 - Therefore the AP is equivalent to adding a derivative to the feedback!
 - This is exactly what was done to BCN from v1.0 to v2.0

Conclusion

- The AP is a simple method for making many control loops (not just congestion control loops) more robust to increasing lags
- Gives a clear understanding as to the reason why the BIC-TCP and QCN algorithms have such good delay tolerance: they do averaging repeatedly
 - There is a theorem which deals explicitly with the QCN-type loop
- Variations of the basic principle are possible; i.e. average more than once, average by more than half-way, etc
 - The theory is fairly complete in these cases