# Submission to: <br> IEEE P802.11 <br> Wireless LANS 

## Title: Proposed Modifications to M-ary Bi-Orthogonal Waveform Presented in doc:IEEE P802.11-97/144

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## Introduction

In document IEEE P802.11-97/144[1], an M-ary Bi-Orthogonal Keyed waveform was proposed. This document proposes some modifications to this waveform. First, we propose that the I and Q channels be offset in time by $1 / 2$ a chip period, similar to Offset Quadrature Phase Shift Keying (OQPSK). Second, we propose that the Quadrature form of this modulation be used for both the "full-datarate" and "half-data-rate" implementations of this waveform. Third, we propose adding three chips to each "Walsh symbol", to facilitate FCC approval of the waveform. The reasons for these suggestions are given next.

## Offsetting the I and Q Channels by $1 / 2$ Chip Period

The waveform proposed in [1] requires RF power amplifier backoff (page 4 of [1]). We at Raytheon feel operation of the transmitter's RF power amplifier at saturation is preferable for two reasons. First, dc power efficiency is improved. Second, it is not necessary to precisely control the gain throughout the transmitter RF chain in order to precisely control RF transmitter output power. Instead, only the saturated power output of the power amplifier need be controlled.

It is well known [2] that Offset Quadrature Phase Shift Keying exhibits less spectral growth through a saturated power amplifier than Quadrature Phase Shift Keying. This principle can be applied to the proposed waveform by delaying the Q channel $1 / 2$ a chip period more than the I channel. This is shown in Figure 1A. (Compare this with page 15 of [1].) Since the waveform proposed in [1] already requires the receiver process the signal coherently, it can distinguish the I from the Q channel, and re-align them.

We ran a simulation to determine the performance of the transmitter proposed in Figure 1 A . Both the I and Q baseband "rails" were filtered by a $5^{\text {th }}$ order Butterworth Low Pass Filter of -3 dB bandwidth F3. We determined the spectrum on the hard limiter output from the FFT of the RF waveform with random data applied to the modulator. Figure 2 shows how the bandwidth between the two points 20 dB below the peak of the signal varied as F3 was changed. We selected F3 $=9 \mathrm{MHz}$. (A bandwidth slightly less than "optimum" was selected to simulate implementation tolerances.) The spectrum that a spectrum analyzer would give in "peak hold" mode was estimated from the simulation output spectrum. This is shown in Figure 3. From this, it is obvious that 3 or 4 channels would fit into the 83 MHz band, even though this is the output of a hard limiter. This spectrum does not meet the present IEEE802.11 spectral mask requirements for the 1 and $2 \mathrm{Mb} / \mathrm{s}$ Direct Sequence waveforms. However, there is no reason a new mask could not be used for the new waveform, as long as FCC requirements are met.

For the sake of comparison, the case of I and Q aligned in time was simulated. The same procedure to find the best bandwidth for the single I-channel $5^{\text {th }}$ order Butterworth LPF was repeated. The best bandwidth was 5.5 MHz . Figure 4 shows the resulting spectrum, again at the hard limiter output. The bandwidth between the -20 dBc points is 60 MHz . Only one channel would fit in the allocated band.

## Using the Above Quadrature Mode for Half-data-rate

In [1] binary, rather than quadrature, modulation was proposed for the half-data-rate case. Binary modulation exhibits more spectral growth through a saturated power amplifier than does offset quadrature modulation. This is because it goes through the origin of the I/Q plane, so has a high amplitude variation. We simulated this modulation. The same procedure to find the best bandwidth for the single I-channel $5^{\text {th }}$ order Butterworth LPF was repeated. The best bandwidth was 5.5 MHz . Figure 5 shows the resulting spectrum, at the hard limiter output. The bandwidth between the two -20 dBc points is approximately 60 MHz . (Even thought the data rate was halved, this method still uses a chipping rate of 11 MHz .) Only one channel would fit in the allocated band.

This is one reason to also use offset quadrature modulation for the half-data-rate case. The transmitter implementation is shown in figure 1B. (Compare this with page 17 of [1].) Another reason is to reduce the occupied bandwidth, even with a linear power amplifier, to allow for more channels. In a three-dimensional office environment, modeling cells as cubes, there are often up to six other networks which can interfere with the network being used. (The power level for interference is lower than the power level for reliable reception.) For this reason, at least seven different frequency channels are desired. With 11 MHz chipping, only 3 or 4 channels are achieved. By halving the chipping rate and data rate, the spectrum of Figure 3 is halved. The bandwidth between -20 dBc points is then 11 MHz . (This is approximately one-fifth the bandwidth of the binary approach.) We achieve 7 distinct channels, with a saturated power amplifier.

To change between modes, the transmitter and receiver would have to switch filter bandwidths. Receiver sensitivity also degrades by $\approx 1 \mathrm{~dB}$, due to less tolerance of phase error. Because indoor propagation range typically varies as power raised to -3.4, this gives only a $7 \%$ reduction in range. We feel it is more important to avoid interference between networks

## Appending Chips to the Walsh Functions

There has been some question if the waveform proposed in [1] will meet FCC requirements with only 8 chips in each symbol. To eliminate this question, we propose adding 3 chips to each Walsh function. This is shown in Figures 6 (A) and 6 (B). One of eight possible symbols is still transmitted. Each symbol now has eleven, rather than eight, chips. In order to keep enough frequency channels in the allocated band, we propose keeping the $11 \mathrm{Mb} / \mathrm{s}$ chipping rate, and decreasing the data rates to $8 \mathrm{Mb} / \mathrm{s}$ (full rate) and $4 \mathrm{Mb} / \mathrm{s}$ (half rate).

## References:

[1] Carl Adren (Harris); "Proposed 802.11 High Rate PHY Technique;" doc:IEEE P802.1197/144; November 11, 1997
[2] R. Ziemer and R. Peterson; Digital Communications and Spread Spectrum Systems; Macmillan, New York; 1985 (Section 3-3.2; "Quadrature and Offset Quadrature Phase-Shift Keying").


Figure 1 (A) Proposed Transmitter for "full-data-rate"

(B) Proposed Modulation for "half-data-rate"

Effect of LPF BW on RF BW


Figure 2 Effect of LPF -3dB BW (F3) on - 20 dBc to $-\mathbf{- 2 0} \mathrm{dBc}$ BW of Hardlimiter Output; Fchip = 11 MHz ;

I and Q offset by $1 / 2 \mathbf{C h i p}$ (waveform as proposed in this document).

Hard Limiter Output; Fchip = 11 MHz


Figure 3 Spectrum of Hardlimiter Output. I and Q Offset by $1 / 2$ Chip; F(chip) $=11 \mathrm{MHz}$ (full-data-rate as proposed in this document)

Hard Limiter Output; Fchip = $\mathbf{1 1} \mathbf{~ M H z}$


Figure 4 Spectrum of Hardlimiter Output. I and Q Aligned in time; F(chip) = 11 MHz (full-data-rate as proposed in reference [1])

Hard Limiter Output; Fchip = $\mathbf{1 1} \mathbf{~ M H z}$


Figure 5 Spectrum of Hardlimiter Output. I Channel Only used; F(chip) $=5.5 \mathrm{MHz}$ (half-data rate as proposed in reference [1])


Figure 6 (A) Transmitter with Appended Walsh for full-data-rate.

(B) Transmitter with Appended Walsh for half data rate.

