

**Project: IEEE P802.15 Working Group for Wireless Personal Area Networks**

**Submission Title:** [A New Shadow Fading Model For 60 GHz]

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**Re:** []

**Abstract:**[A new shadow model that predicts mean path loss, standard deviation of the mean path loss and angular correlation of the path loss using circular polarization.]

**Purpose:** [Contribution to mmW SG3c at November 2004 plenary in San Antonio]

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# Outline

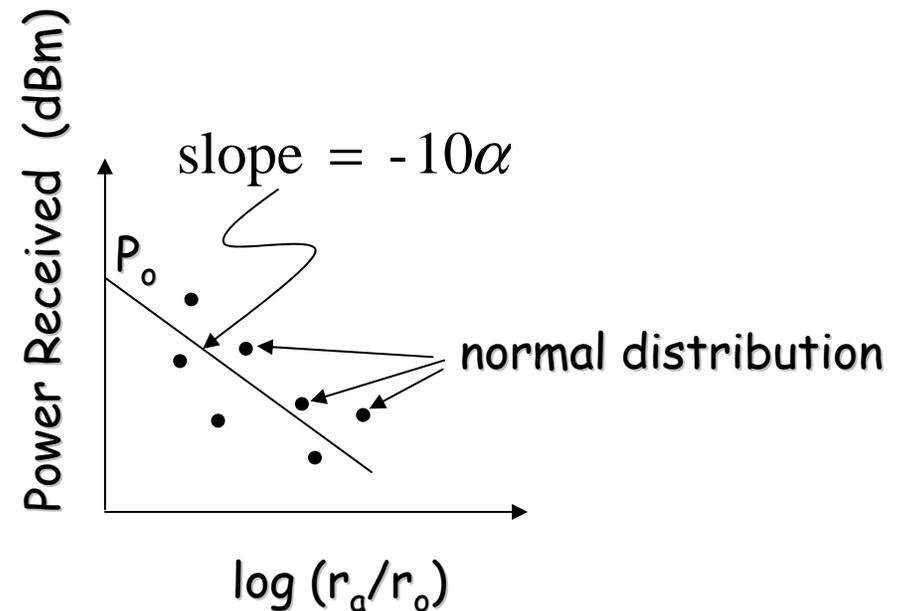
- 1. Summary of Previous Work at 60 GHz**
- 2. New Shadow Fading Model**
- 3. Analytical Formulas and Numerical Results**
- 4. Conclusions**

# Existing Shadow Models

## Log-normal fading:

$$P_{\text{rec}}(r_a) = P_{\text{rec}}(r_o) - 10\alpha \log\left(\frac{r_a}{r_o}\right) + \sigma X_n$$

- **Mean received power versus distance**  $P_{\text{rec}}(r_a)$
- **Power intercept**  $P_o = P_{\text{rec}}(r_o)$
- **Path loss exponent**  $\alpha$
- **Standard deviation of loss**  $\sigma$



# Data on Existing Log-Normal Models

Smulders and Correia [1997]:  $\alpha = 4.4$  (NLOS < 15 m, 90° sector)

Xu, Kukshya, Rappaport [2002]:  $\alpha = 1.88 - 2$ ,  $\sigma = 8.6$  dB (LOS < 70 m, Omni)

Hansen, Reitzner [2004]:  $\alpha = 1.5 - 2$  (LOS Corridors < 50 m, Omni)

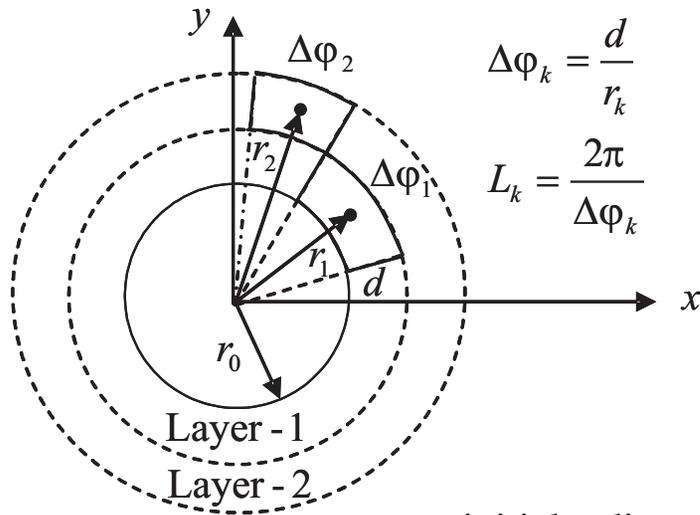
Matic, Harada, Prasad [1998]:  $\alpha = 0.78 - 2.54$  (LOS, Omni - Dir)

Moraitis, Constantinou [2002]:  $\alpha = 1.75$  (LOS Corridors < 44 m, Omni)

# New Shadow Model

- **Log-normal model**  $P_{rec}(r_a) = 20 \log \frac{4\pi r_a}{\lambda} + \langle L_{ex}(r_a) \rangle + \sigma(r_a) X_n$
- **LOS and NLOS, larger ranges**
- **Random (uniform) locations of non-reflective obstacles**
  - **Circular Polarization**
- **Random (Gaussian) distribution of obstacle loss**
- **Diffraction loss ignored, propagation in a 2D plane**
- **Input Parameters:**
  - **mean obstacle loss, dB**
  - **Standard deviation of obstacle loss, dB**
  - **Obstacle spatial density**
- **Output Parameters:**
  - **Mean path loss versus distance**
  - **Standard deviation of path loss versus distance**
  - **Angular correlation of path loss versus distance**

# New Shadow Model



$r_0$  = initial radius of obstacle - free region

$r_a$  = distance from transmitter

$d$  = subcell size containing an obstacle

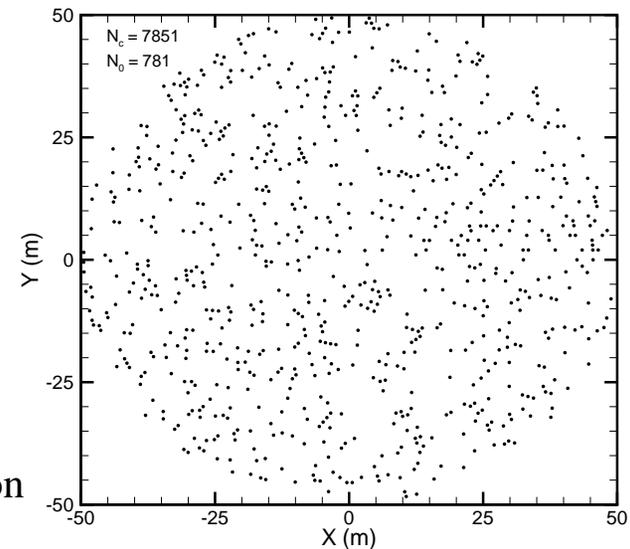
$\mu_L$  = mean loss of obstacle, dB

$\sigma_L$  = standard deviation of obstacle loss, dB

$N_c$  = Total number of subcells in region

$N_0$  = Total number of obstacles in region

$p_0$  = Obstacle density =  $N_0 / N_c$



# Mean Loss & Equivalent Path Loss Exponent

$$\langle L_{ex}(r_a) \rangle = \mu_L p_0 N_a, \quad N_a = \frac{r_a - r_0}{d}, \quad n_0 = \frac{r_0}{d}$$

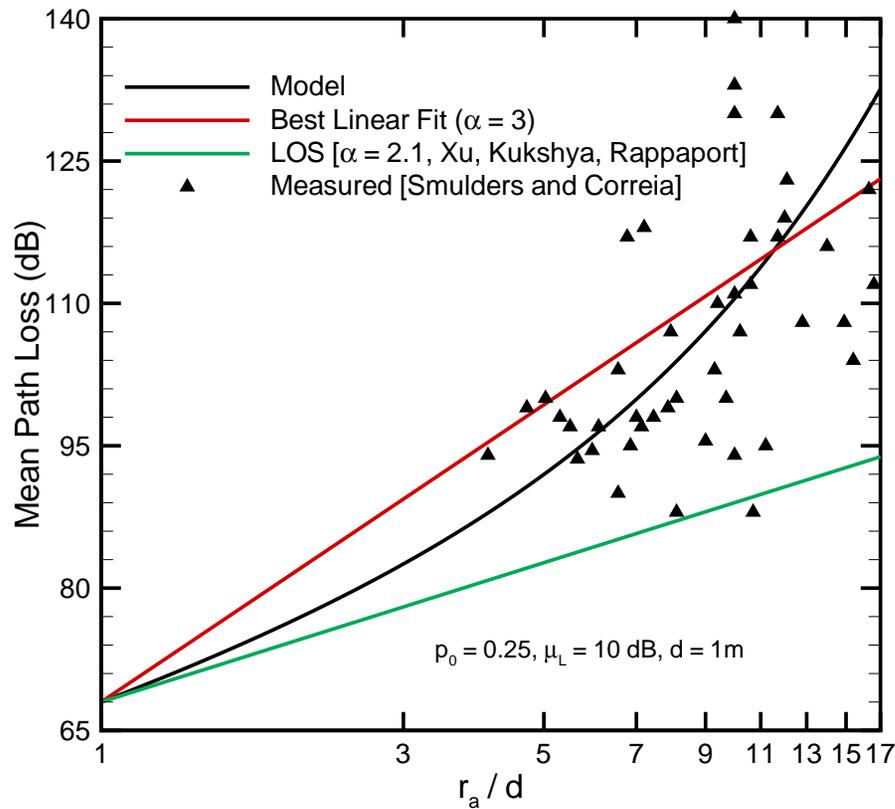
Mean excess loss increases lineary with distance and not logarithmically as in the previous models.

Least square linear fit to model produces an equivalent path - loss exponent model :

$$\alpha(r_a) = 2 + \frac{\mu_L p_0 \sum_{n_a=1}^{N_a} (n_a - n_0) \log(n_a)}{10 \sum_{n_a=1}^{N_a} [\log(n_a)]^2}$$

= Equivalent path loss exponent for total mean loss in a cell of radius  $r_a$ .

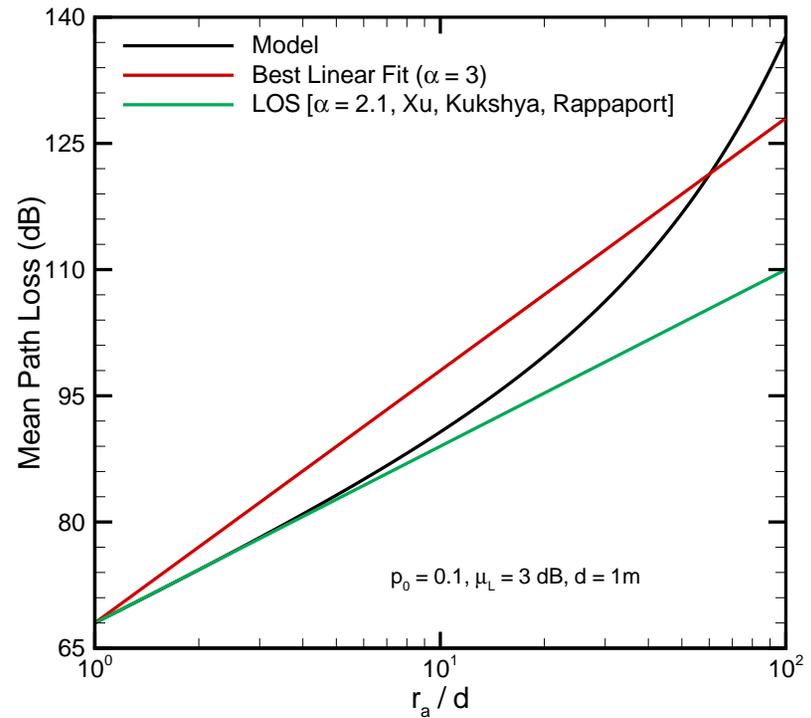
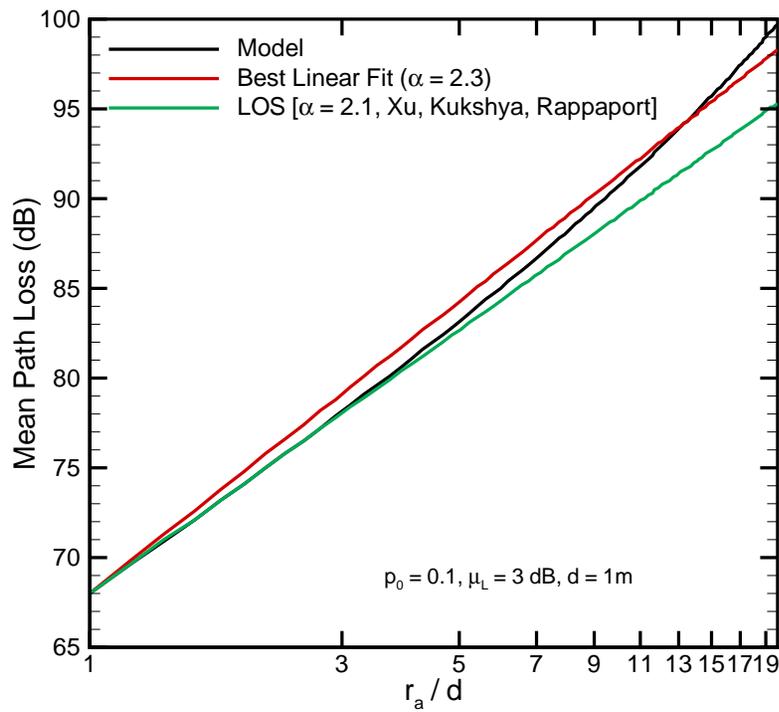
# Measured and Model Mean Loss



STD Dev of Error =  $\begin{cases} 12 \text{ dB with model} \\ 11.6 \text{ dB with linear fit} \end{cases}$

$$p_0 \mu_L / d = 2.5 \text{ dBm}^{-1}$$

# Mean Loss & Equivalent Path Loss Exponent



$$p_0 \mu_L / d = 0.3 \text{ dBm}^{-1}$$

# Variance & Angular Correlation of Loss

$$\text{Variance } \sigma^2(r_a, \phi_a) = p_0 N_a \left[ \sigma_L^2 + \mu_L^2 \frac{N_c^2 - N_0 N_c - N_a N_c + N_0 N_a}{N_c(N_c - 1)} \right]$$

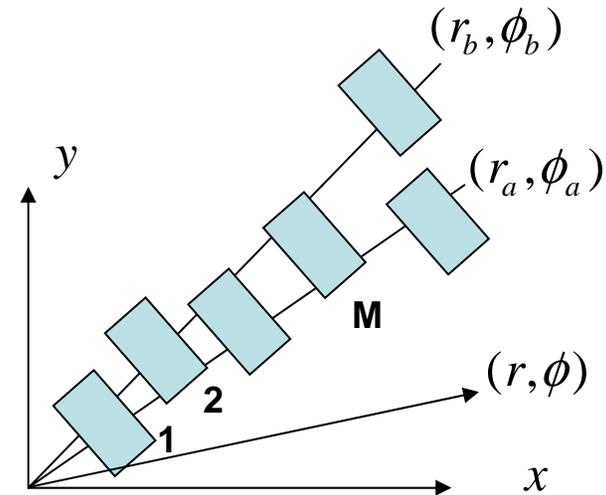
$$\sim p_0 N_a \left[ \sigma_L^2 + \mu_L^2 (1 - p_0) \right] \quad N_c \rightarrow \infty$$

Variance of loss increases linearly with distance from transmitter

$$\text{Angular Correlation } \rho_{ab}(r_a, \phi_a; r_b, \phi_b) \sim \frac{M}{\sqrt{N_a N_b}}, \quad N_c \rightarrow \infty$$

$$N_a = \frac{r_a - r_0}{d}, \quad N_b = \frac{r_b - r_0}{d}$$

$M$  = Number of layers with common cells. Depends on  $n_0$  and  $|\phi_a - \phi_b|$



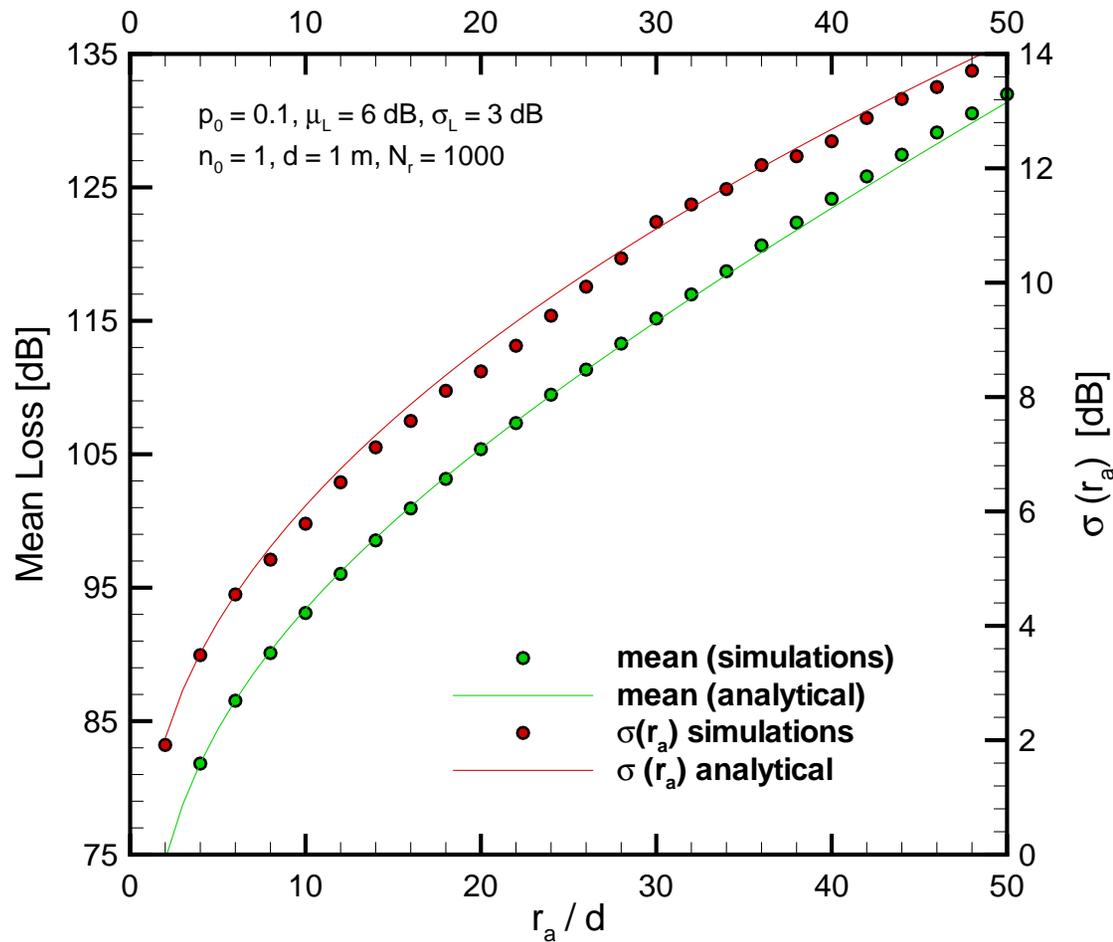
# Angular Correlation of Shadow Loss

$\rho_{ab}$  = correlation coefficient of the signal received two points  $(r_a, \phi_a)$  and  $(r_b, \phi_b)$  due to a transmitter placed at the origin.

= correlation coefficient of the signal received at the origin due to two transmitters at  $(r_a, \phi_a)$  and  $(r_b, \phi_b)$ .

If the width of a typical obstacle is  $W$  and if the nearest distance of it to the receiver is  $d_0$ , then the correlation angle  $\sim W / d_0$ . For example, if  $2W = d_0 = 1$  m, then correlation angle  $\approx 0.5$  radian

# Comparison of Analytical vs Monte Monte Carlo Simulation



# Sample Link Calculation

Uplink :

$$P_T = 10 \text{ dBm}, G_T = 10 \text{ dB}, H_T = 2 \text{ m}, \text{Pol.} = \text{Cir}$$

$$G_R = 22 \text{ dB}, H_R = 2 \text{ m}, \text{MDS} = -50 \text{ to } -60 \text{ dBm}, r_0 = 1 \text{ m}$$

$$p_0 \mu_L / d = 6.5 \text{ dBm}^{-1} \text{ (Very high loss, home environment, Akeyama)}$$

$$P_R = P_T + G_T + G_R - \left( 68 + 20 \log \frac{r_a}{r_0} \right) - \frac{p_0 \mu_L}{d} (r_a - r_0) \geq \text{MDS}$$

$$\Rightarrow 20 \log r_a + 6.5 r_a \leq 30.5 \text{ to } 40.5 \Rightarrow r_a \leq 3.2 \text{ m to } 4.3 \text{ m}$$

# Conclusions

- **New log-normal shadow fading model valid both for LOS and NLOS situations**
  - **Non-reflective obstacles**
  - **Diffraction effects ignored**
  - **Gaussian distribution of obstacle loss (mean and std. dev. of obstacle loss)**
  - **Uniform distribution of obstacle locations**
  - **Density of obstacles**
  
- **Mean excess loss in dB increases linearly with distance.**
  
- **Variance of loss increase linearly with distance.**
  
- **Angular correlation of loss increases linearly with number of common cells  $M$ .**
  
- **Model recovers previous shadow fading models for low loss.**

# References

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