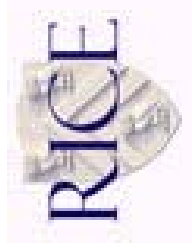


Unbalanced Traffic and the RPR Fairness Algorithm

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<http://www.ece.rice.edu/networks/>



Outline

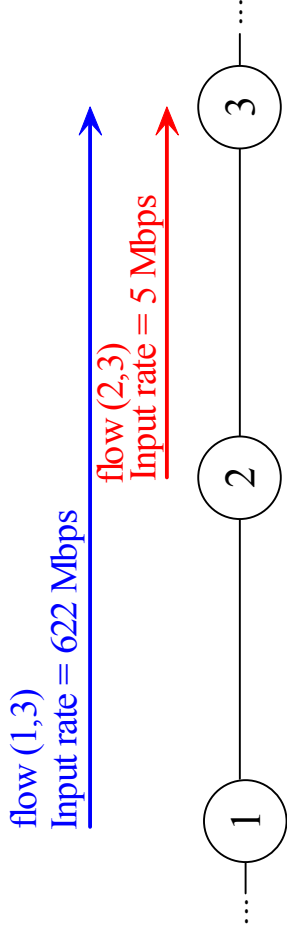
- Unbalanced traffic
 - What is it, why should we care?
- Throughput oscillations
 - Conditions
- Modeling RPR under unbalanced traffic
- Throughput loss due to oscillations
- Ongoing research
 - Impact of TCP

Should we try to
avoid oscillations?
Are they worth
avoiding?

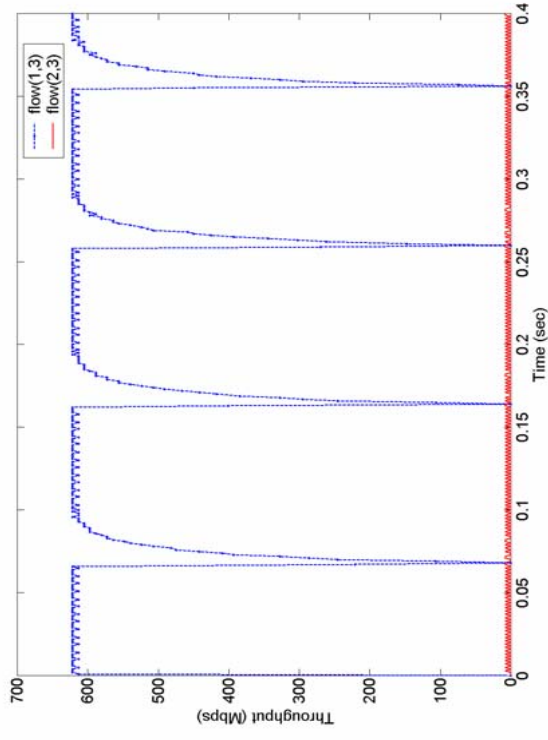
Unbalanced Traffic

(Unbalanced Traffic with Unbalanced Inputs)

Permanent oscillations with constant rate unbalanced inputs



Throughput loss is 15%

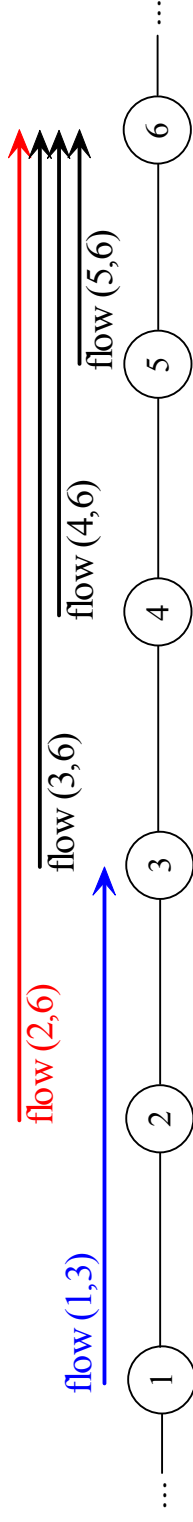


RPR-Aggressive Mode

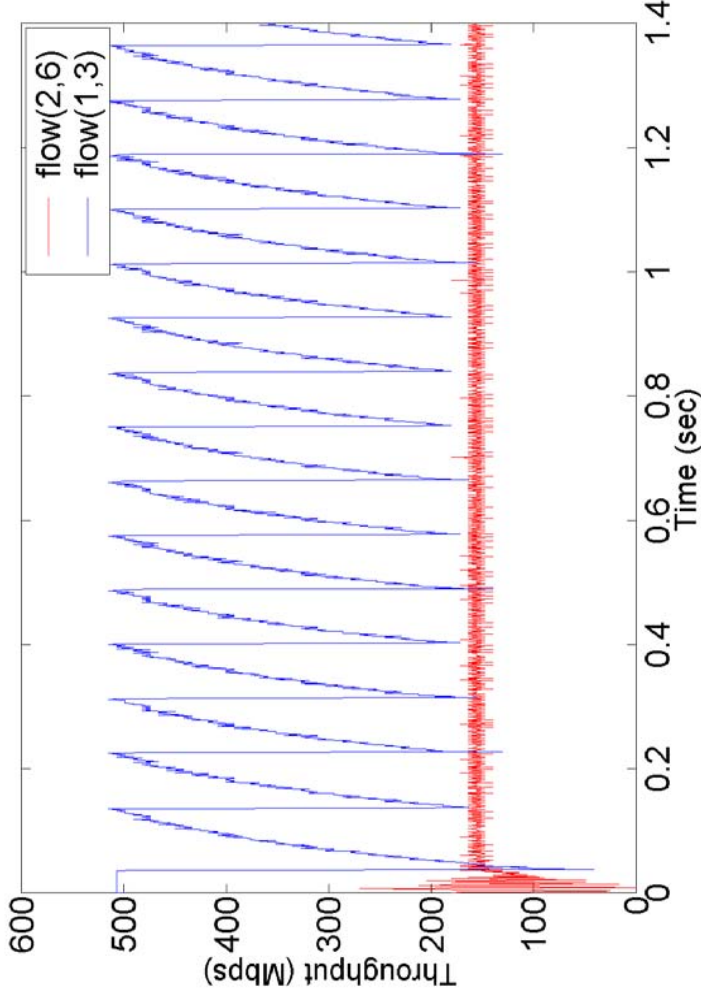
Unrealistic scenario

Upstream Parallel Parking Lot

(Unbalanced Traffic with Balanced Inputs)



- Permanent oscillations
 - Even with identical input rates
 - Throughput loss is 14%
- Many scenarios can result in traffic imbalances, thus permanent oscillations



RPR-Aggressive Mode



RPR Oscillations

- Permanent oscillations for many scenarios with unbalanced traffic

- Unbalanced targeted fair rates

- Adverse effects

- Throughput degradation
 - Increased delay jitter

- Key issue

AM: *add_rate*

CM: *C/number_of_active_stations*

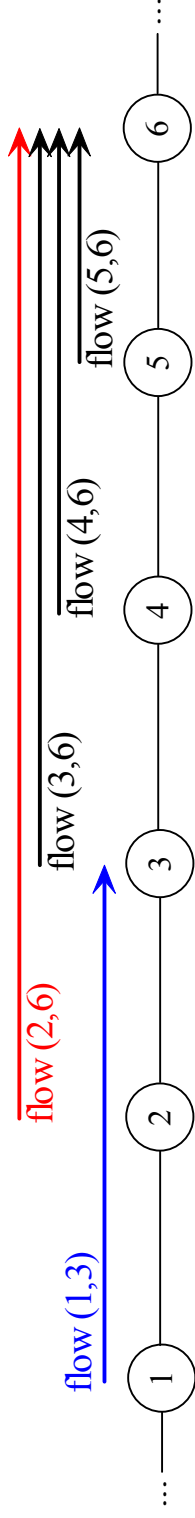
} does not accurately
reflect the congestion
status

Illustrations: Annex I.3 Fairness scenarios

Precise definition:

<http://www.ece.rice.edu/networks/RIAS>

Oscillation Conditions – Aggressive Mode



Flow (1,3) demand = 1

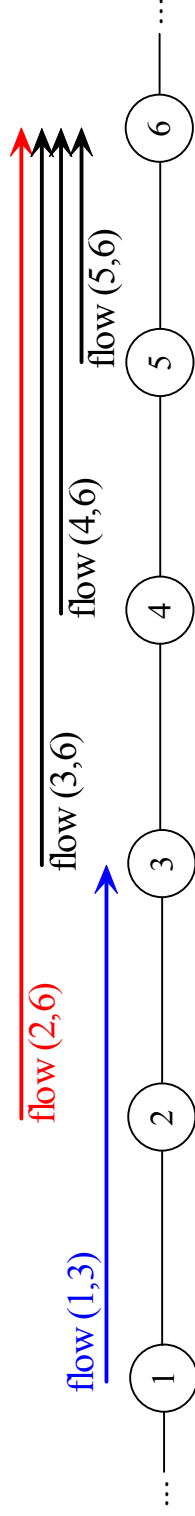
Flow (1,3) fair rate = $\frac{3}{4}$

Flow (2,6) demand = 1

Flow (2,6) fair rate = $\frac{1}{4}$

Flow (1,3) has demand and fair rate larger than minimum fair rate (demand) at congested link with unbalanced traffic

Oscillation Conditions – Aggressive Mode

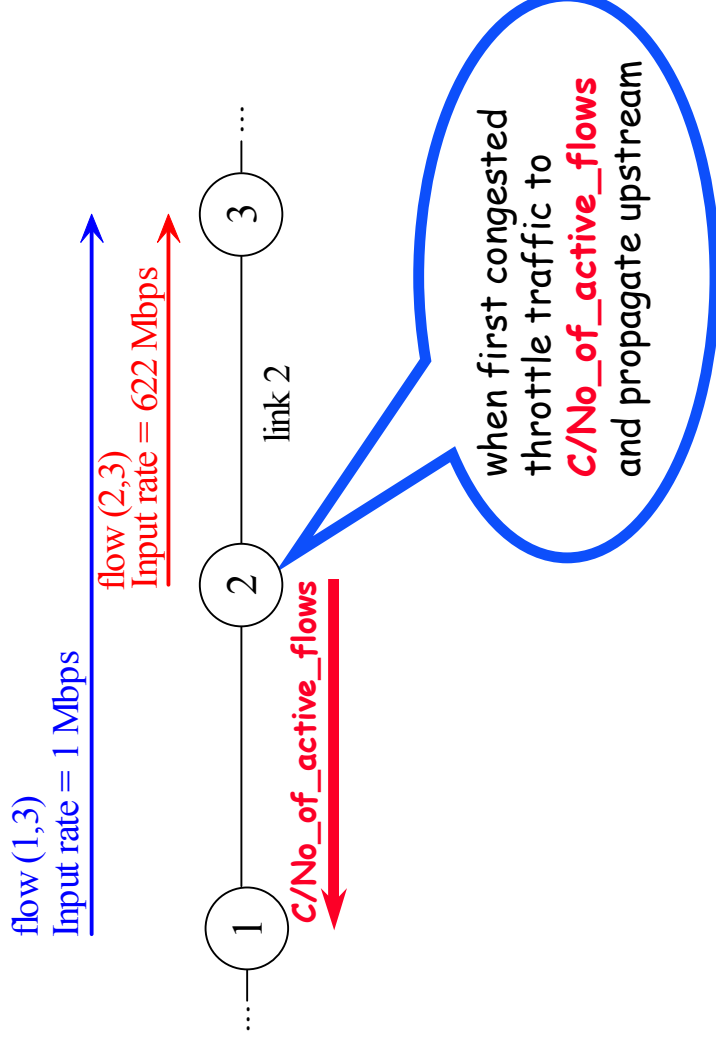


Proposition 1: For a given fair rate matrix R , demanded rates r , and congested link j , permanent oscillations will occur in RPR-AM if there is a flow (n,i) crossing link j such that following two conditions are satisfied:

$$r_{osc} = \min_{n < k \leq j, l > j} \min(r_{kl}, R_{kl}) < R_{ni}$$

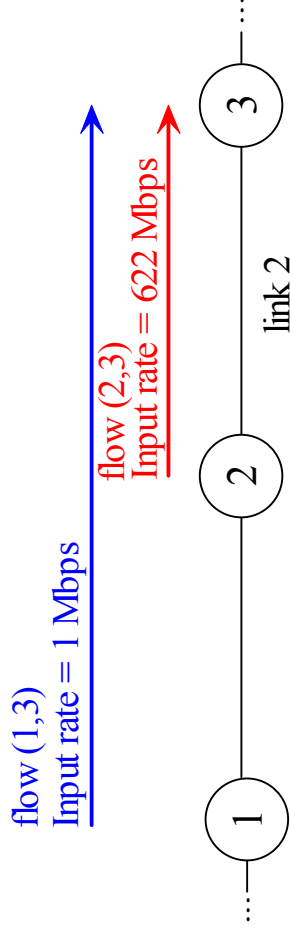
$$r_{osc} < r_{ni}$$

Oscillation Conditions – Conservative Mode (Example)



Oscillation Conditions – Conservative Mode

(Example)



Flow (1,3) demand = 1 Mbps < $C/2$

Rate at link 2 after first congestion:
 $622/2 + 1 \text{ (Mbps)} < \text{low_threshold}$

Oscillation Conditions – Conservative Mode

Proposition 2: For a given fair rate matrix R , demanded rates r , and congested link j , let n_a denote the number of active flows on link j , and n_g denote the number of flows crossing link j that have both demand and targeted fair rate greater than C/n_a . Ignoring low pass filtering and propagation delay, permanent oscillations will occur in RPR-CM if there is a flow (n, i) crossing link j such that the following two conditions are satisfied

$$\min(r_{ni}, R_{ni}) < \frac{C}{n_a}$$

$$n_g \frac{C}{n_a} + S_s < low_threshold$$

where $S_s = \sum_{k \leq j, l > j, \min(R_{kl}, r_{kl}) < \frac{C}{n_a}} \min(r_{kl}, R_{kl})$

Oscillation Conditions – Conservative Mode

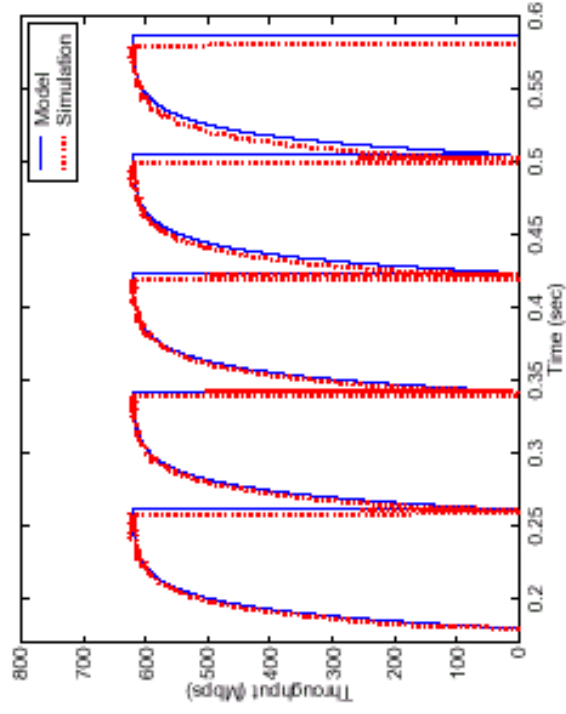
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V. Gambiroza, P. Yuan, L. Balzano, Y. Liu, S. Shearfor, and E. Knightly, ``Design, Analysis, and Implementation of DVSR: A Fair, High Performance Protocol for Packet Rings," to appear in *IEEE/ACM Transactions on Networking*.

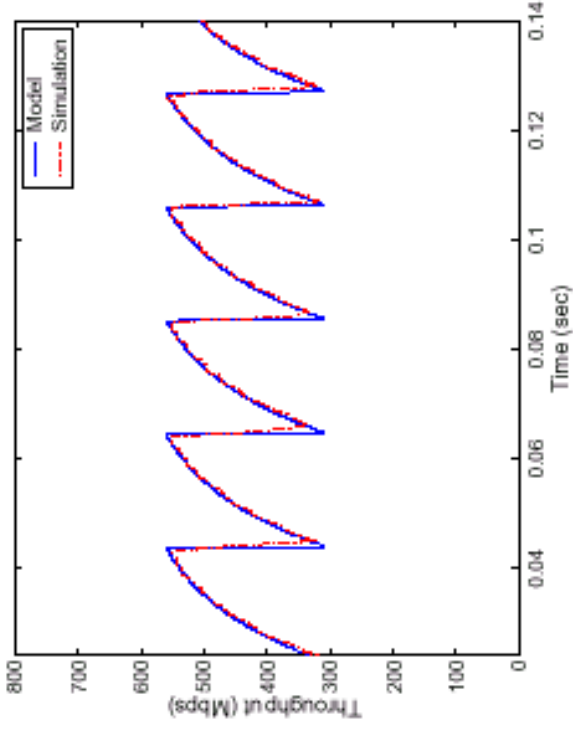
Modeling RPR Oscillations

(Analytical and Simulation Results)

Model accurately matches simulation



Aggressive Mode

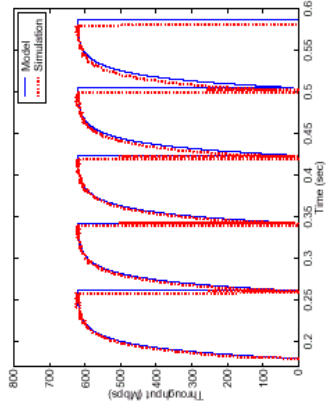


Conservative Mode



Modeling Throughput Loss

- Oscillation results in throughput loss
- Knowing exact rates during one cycle we can write expression for throughput loss



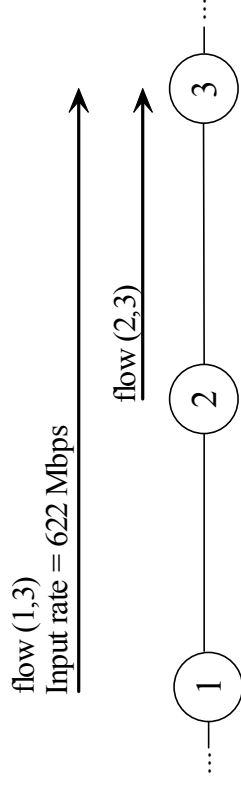
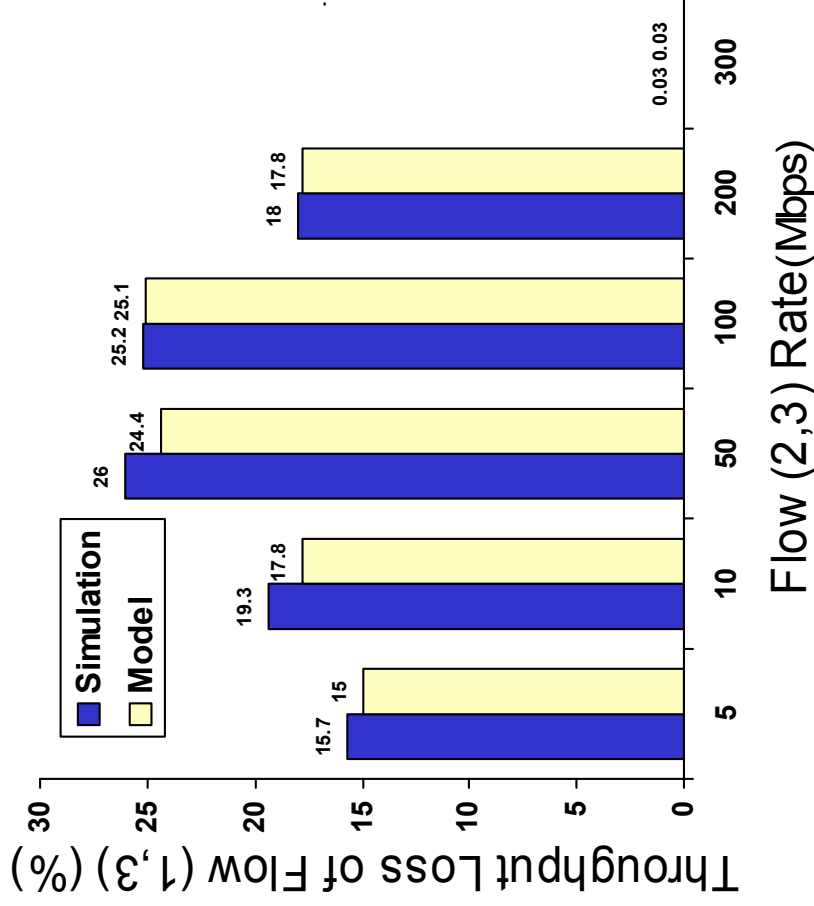
$$\rho_{loss} = \frac{1}{N} \sum_{k=0}^{k=N} (R - r_k)$$

where N is the number of rate updates in one cycle

Throughput Loss – Analytical and Simulation Results

(RPR - Aggressive Mode)

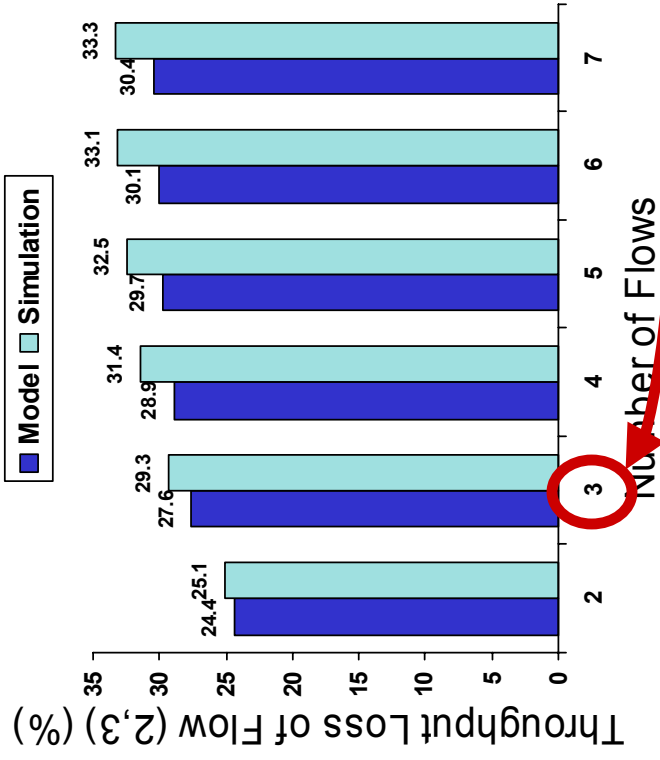
Model matches simulation within 2%



Throughput loss as high as 26%

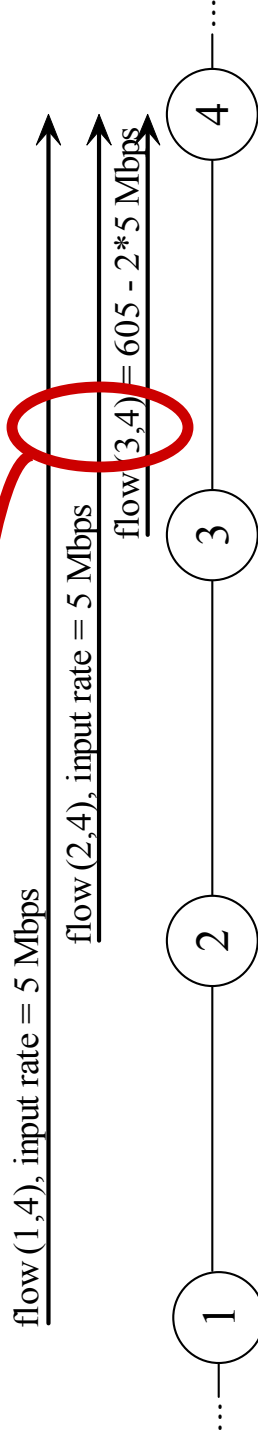
Throughput Loss – Analytical and Simulation Results

(RPR – Conservative Mode)



Model matches simulation within 3 %

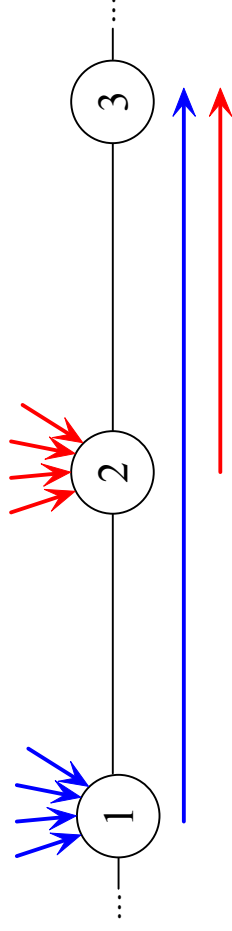
Throughput loss is more than 30%



Ongoing Research

Impact of TCP

- Similar oscillations occur with TCP
- Parameters of interest
 - Maximum window size - number of packets source is allowed to send without ACK
 - STQ size
 - Ingress buffers
 - Level of aggregation



Conclusions

- RPR can permanently oscillate in a wide range
 - Root cause is unbalanced traffic (fair rates)
- Throughput loss more than 30% with constant rate flows
 - We need to address the problem
 - Similar oscillations with TCP flows
 - Problem much more complex
- Possible solutions
 - Generalize RPR feedback information
 - Avoid unbalanced traffic with careful traffic engineering

Future Work

- Modeling RPR
 - What other aspects of the RPR-fa can we model?
 - Convergence time
 - Feedback control with non-FIFO scheduling?

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