

10GEPON Burst Receiver Simulation

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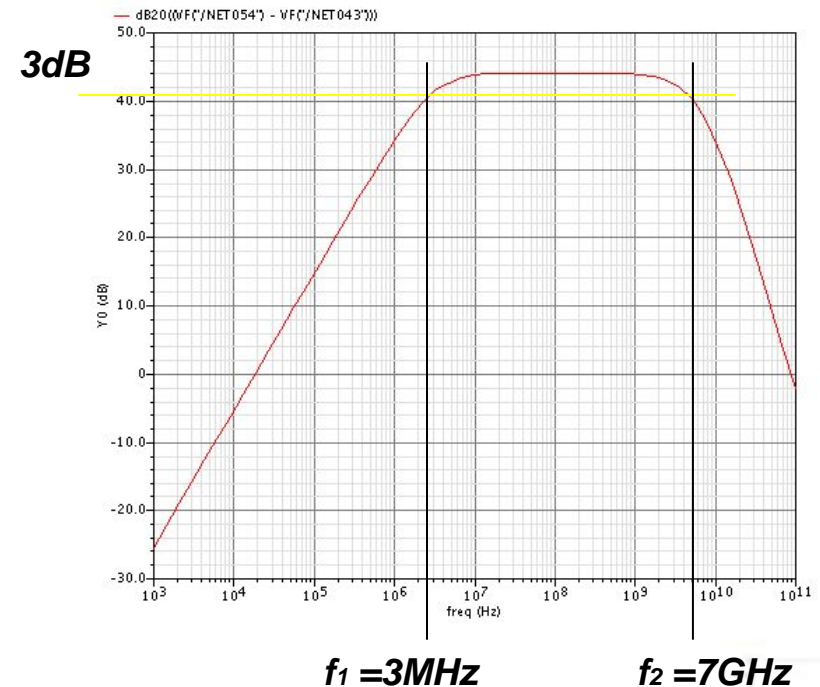
Outline

- The LIA Model
 - AC Coupled
 - DC Coupled
- Results
- Conclusions

10GE PON AC Coupled

10G LIA – Transfer Function

- A 10G AC coupled LIA has been simulated by the following Transfer Function
- The lower cut-off pole (f_1) determines the CID length, while the higher cut-off pole (f_2) determines the Bandwidth
- For the lower frequency pole set to be 3MHz
- For the higher frequency pole set to be 7GHz



$$H(s) = \frac{s}{2\pi f_1} \cdot \frac{1}{1 + \frac{s}{2\pi f_1}} \cdot \frac{1}{1 + \frac{s}{2\pi f_2}}$$

Considerations in choosing the frequency poles

- The higher frequency determines the Bandwidth of the LIA
 - Therefore the higher frequency pole set to be 7GHz as it should be $0.7B$, where $B = 10\text{Gbps}$
- The lower frequency determines the CID length and how much DC droop from the baseline is allowed
 - The lower frequency set to be 3MHz to support 64 bits of CID and maximum 6% DC droop
- If the lower frequency cut-off will be too low than the optimum level, it will cause Jitter due to Flicker Noise
- If it will be too high then it will cause too large DC droop

Considerations in choosing the Coupling Capacitor

- In AC Coupled applications with long CID the coupling capacitor generates Pattern Dependent Jitter
- In order to minimize this Jitter, the low frequency cut-off should be optimal as possible
- In one hand, the low frequency cut-off must be as close to DC as possible to avoid baseline DC droop and ISI (which close the Eye Diagram Vertically).
- In other hand, if the low frequency cut-off will be too low than the optimum it cause to long preamble

Coupling Capacitor – Calculation

$$\Delta V = 6\% V_{P-P}$$

$$\Delta V = \frac{6}{100} V_{P-P}$$

$$\frac{6}{100} V_{P-P} = \frac{V_{P-P}}{2} (1 - e^{-\frac{t}{\tau}})$$

$$e^{-\frac{t}{\tau}} = 1 - \frac{\frac{6}{100} V_{P-P}}{\frac{V_{P-P}}{2}}$$

$$e^{-\frac{t}{\tau}} = 0.88$$

$$t = -\tau \ln 0.88$$

$$t = 0.12\tau$$

$$\tau = 7.8t$$

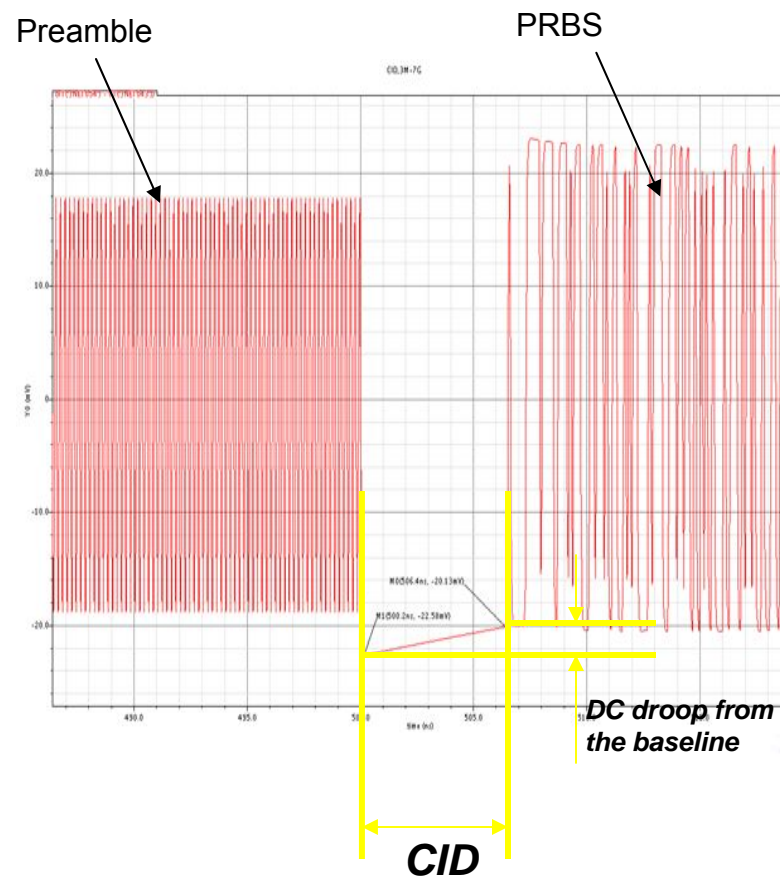
$$t = N_{CID} T$$

$$\tau = RC$$

$$C = \frac{7.8 N_{CID} T}{R}$$

LIA with CID

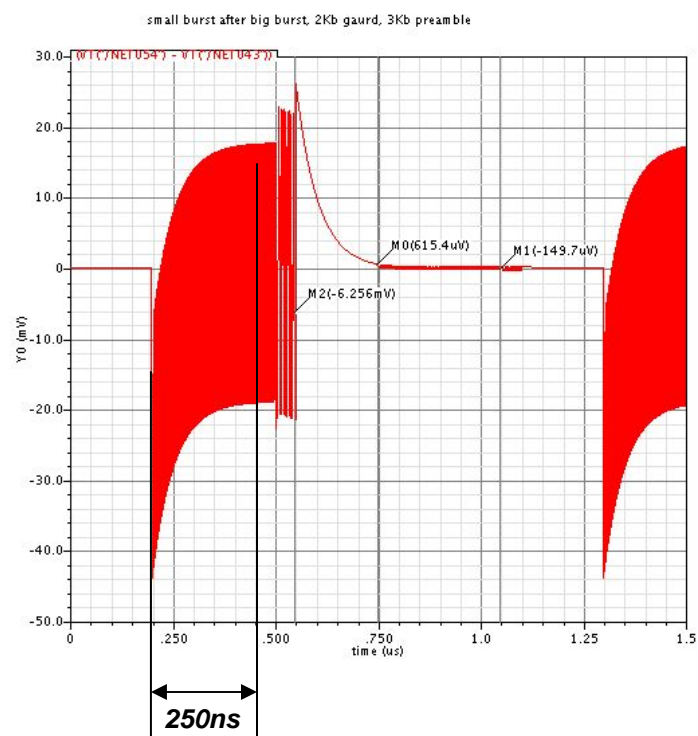
- 64 bits of CID have been generated through the Transfer Function



LIA – Conclusion

- We have found, by the simulation, that 3MHz as a low frequency cut-off is the optimum value to maintain CID of 64 bits
- This low frequency cut-off has about **2500bits** (250ns) preamble length

20dB Dynamic Range

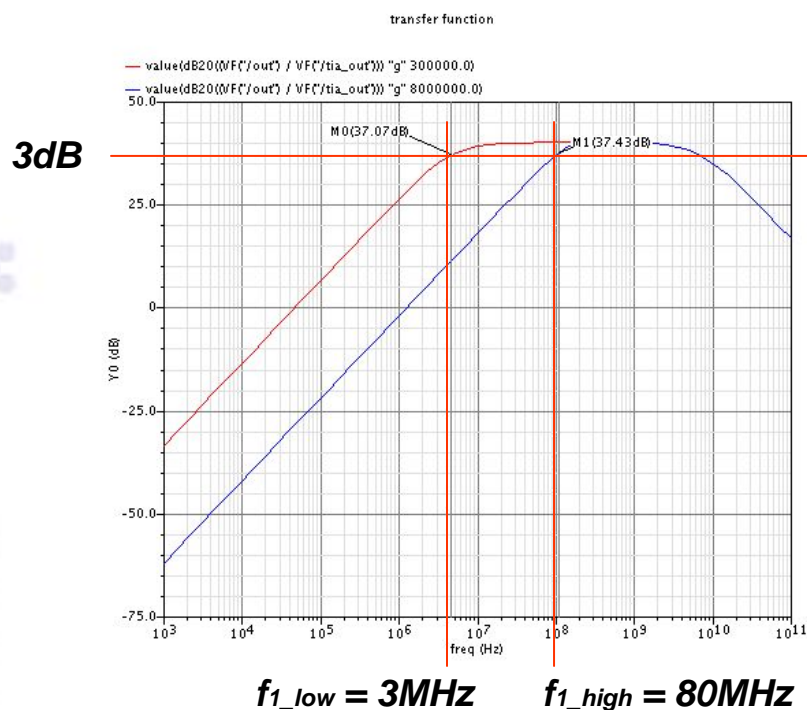


10GE PON DC Coupled

10G LIA – DC Coupled

- In DC Coupled the $\tau_{(RC)}$ determined by internal 2 Capacitors
- One capacitor for “fast” acquisition, during preamble, and the second for CID support
- During Preamble, the threshold acquisition done by “Middle” frequency cut-off pole
- Once the threshold acquired then it switch to “low” frequency cut-off pole to support CID

Transfer Function



- f_1 and f_2 determine how much DC droop from the baseline is allowed and to maintain 64bits CID
- During preamble the f_{1_high} is active then after a “short” time f_{1_low} becomes an active to support CID

$$\frac{V_{out}}{V_{in}} = \frac{AS \left(1 + \frac{S}{W_L} \right)}{S \left(1 + \frac{S}{W_L} \right) \left(1 + \frac{S}{W_H} \right) + AK}$$

A: forward gain.

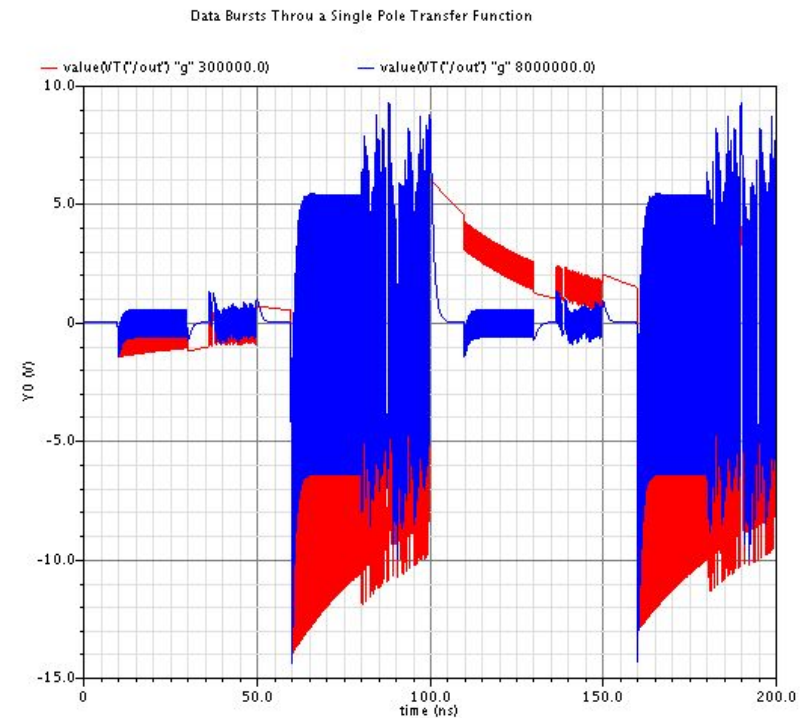
K: feedback gain.

W_L : low pass frequency pole (in feedback loop).

W_H : high pass frequency pole (in forward path).

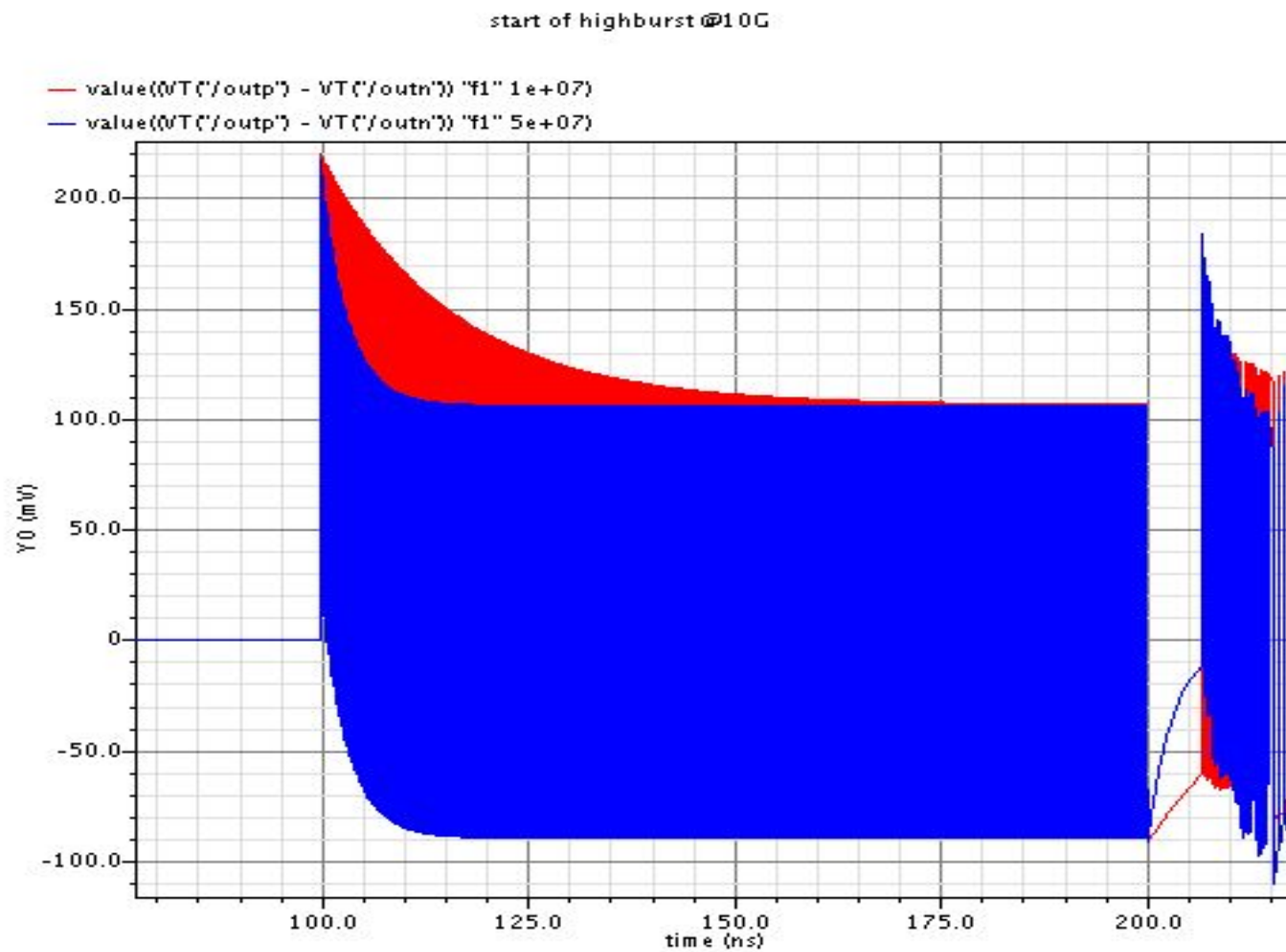
Transfer Function response

- 2 Burst packets (weak and high) have been transmitted through the 2 poles Transfer Function (Red and Blue)
- The Red model has a low frequency cut-off in 3MHz, which is very good for CID but has long preamble
- The Blue model has a low frequency cut-off in 80MHz, which is good for short preamble but bad for CID



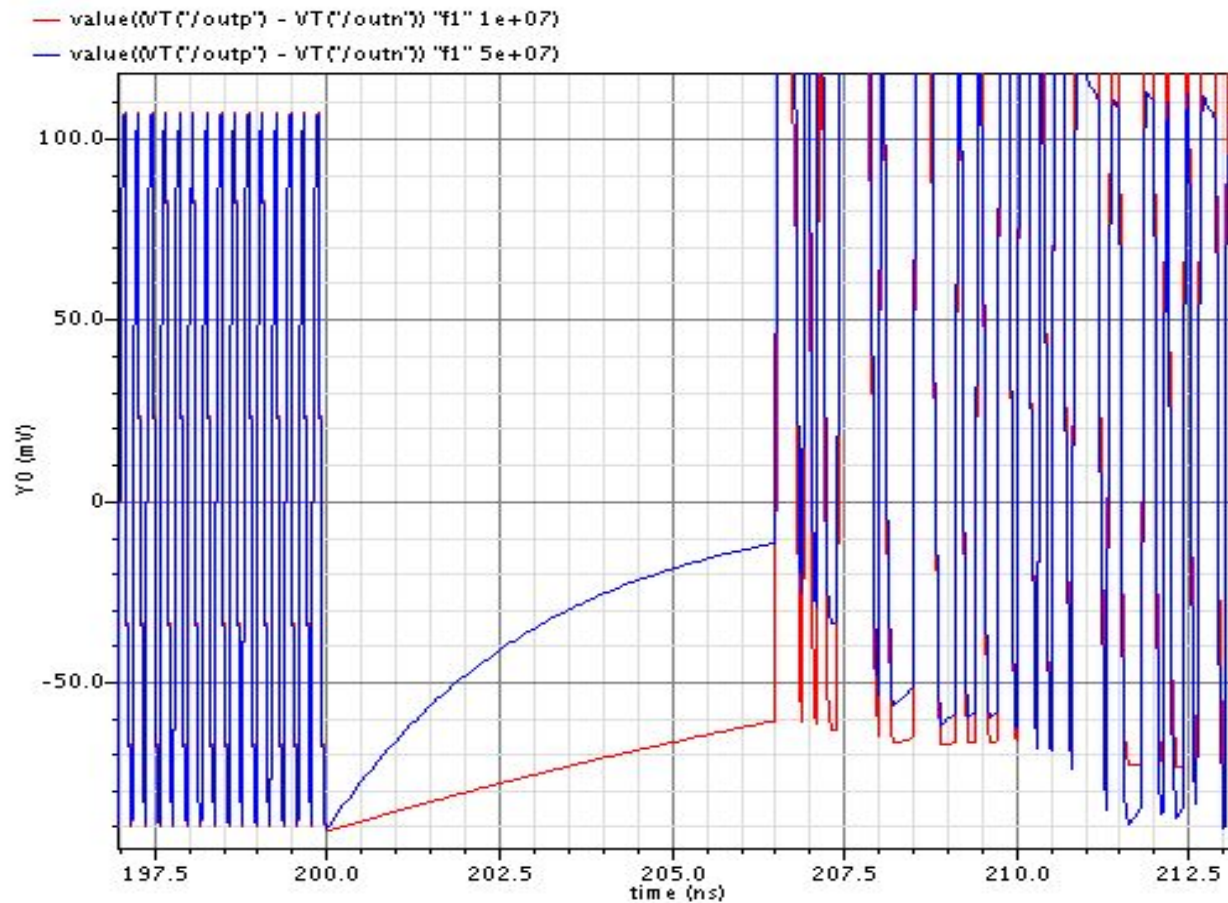
DC Coupled is mixed between the 2 Transfer Function models

Simulation – Start of High Burst



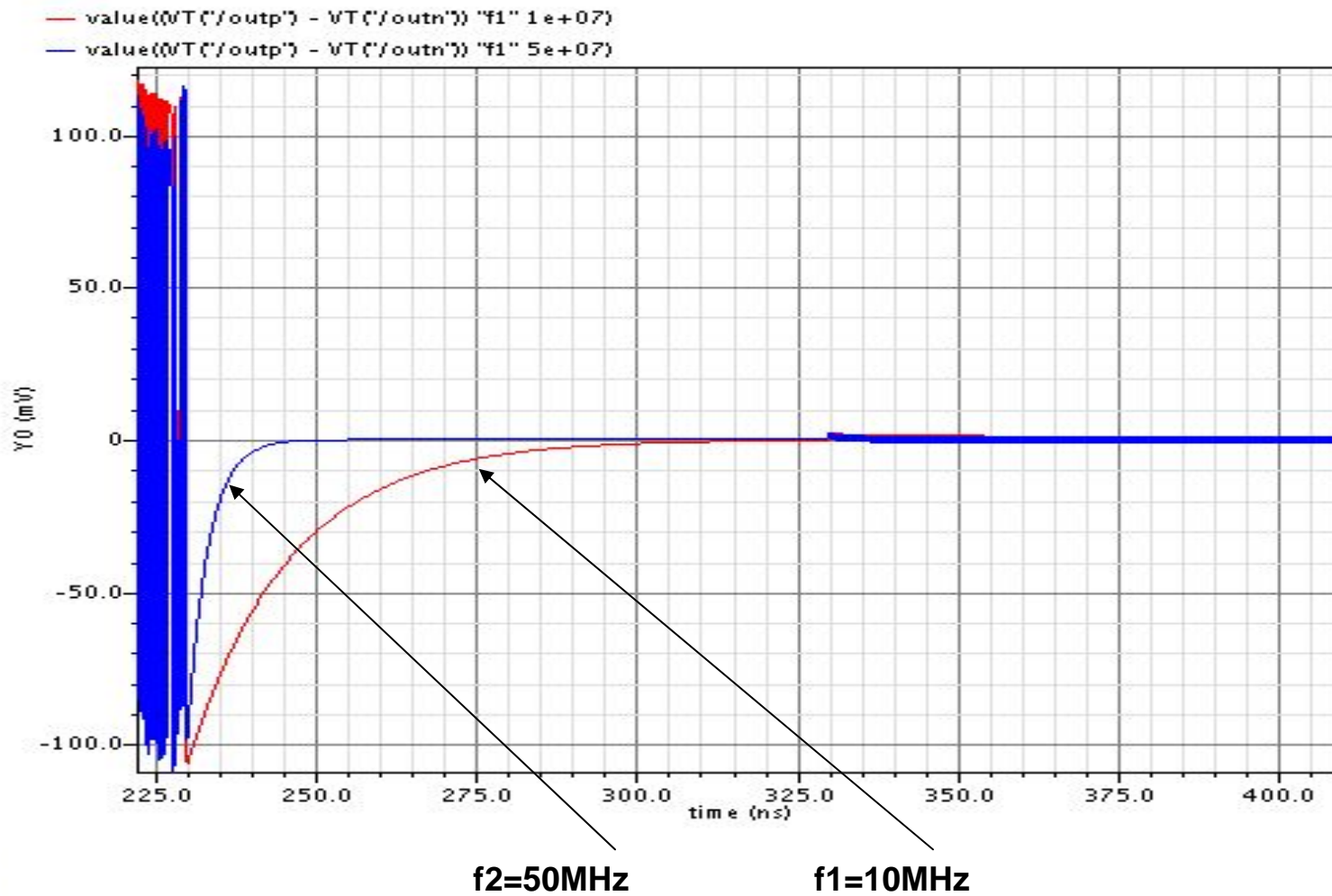
Simulation – CID

64 bit CID@10G

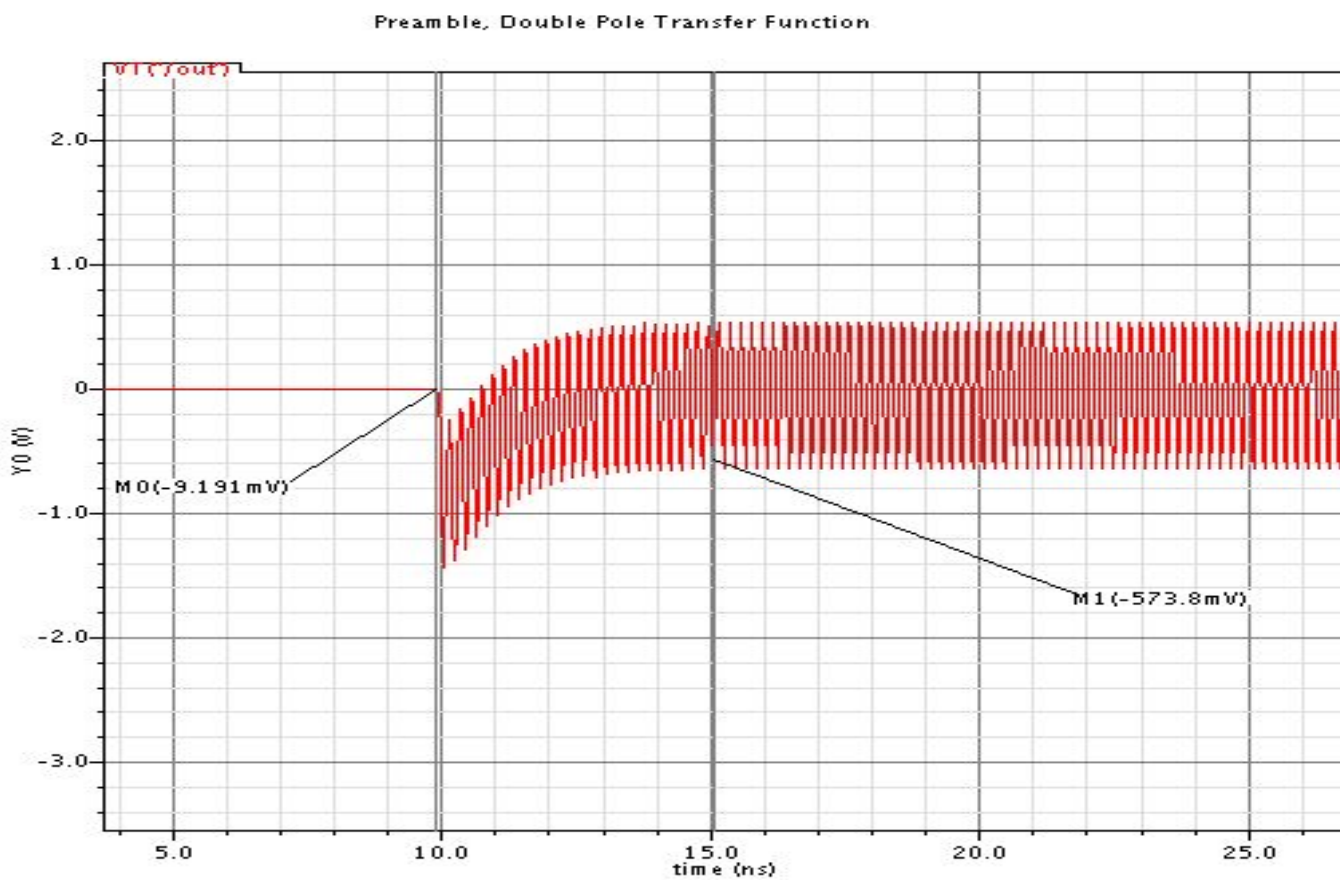


Simulation – End of High Burst

end of high burst @10G

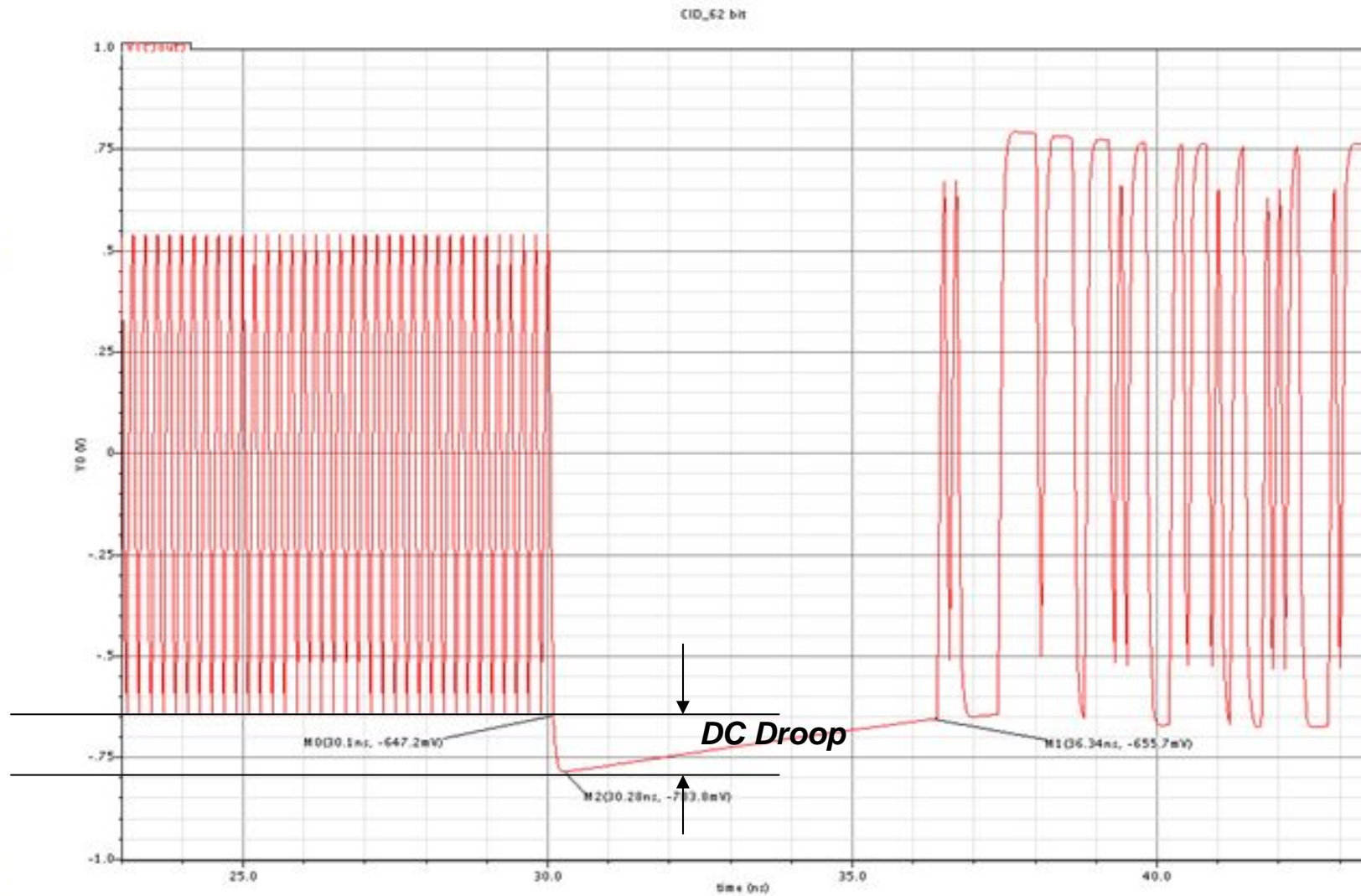


Preamble Length

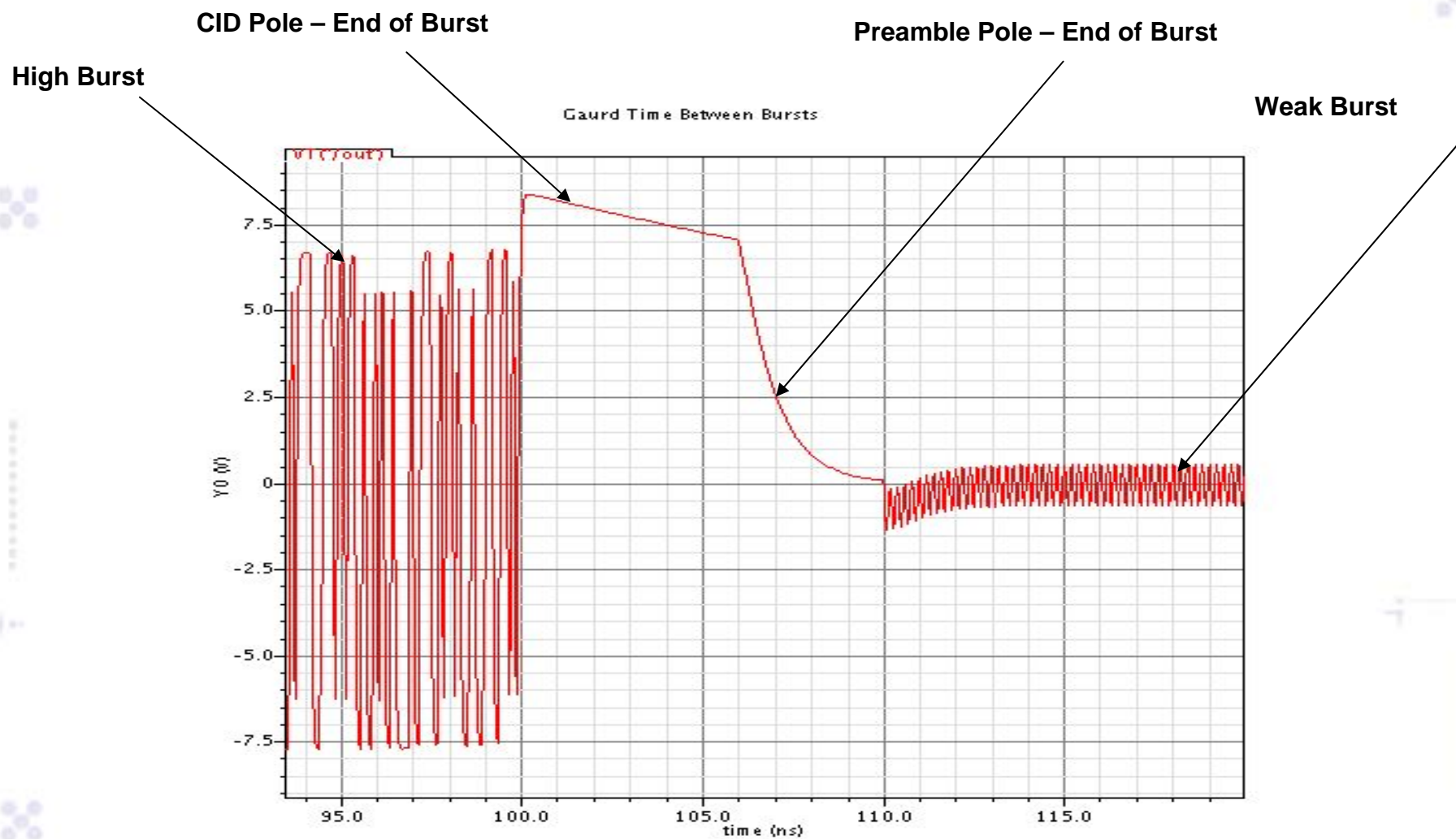


Preamble is stable after **5ns!**

CID

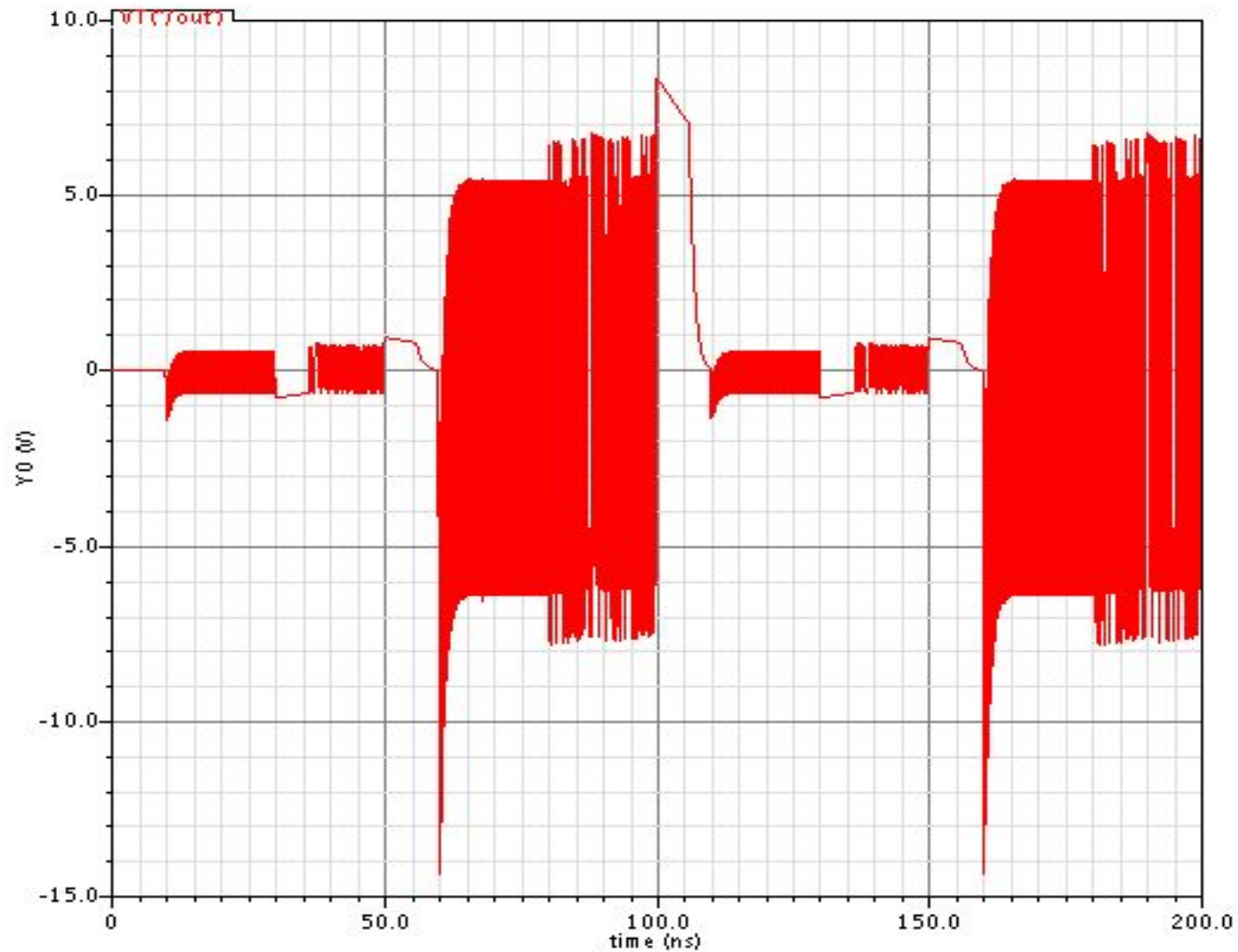


Guard Time



Dynamic Range – 20dB

Burst Data Through a Double Pole Transfer Function



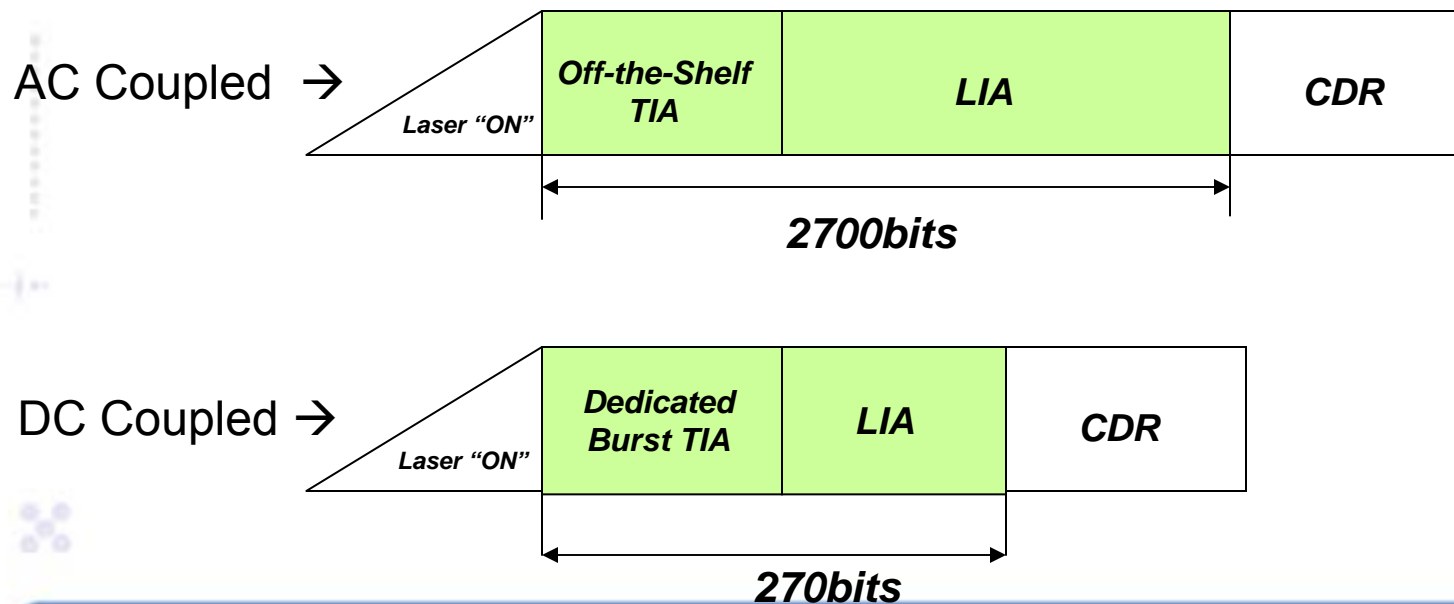
Conclusion – Preamble Length

LIA

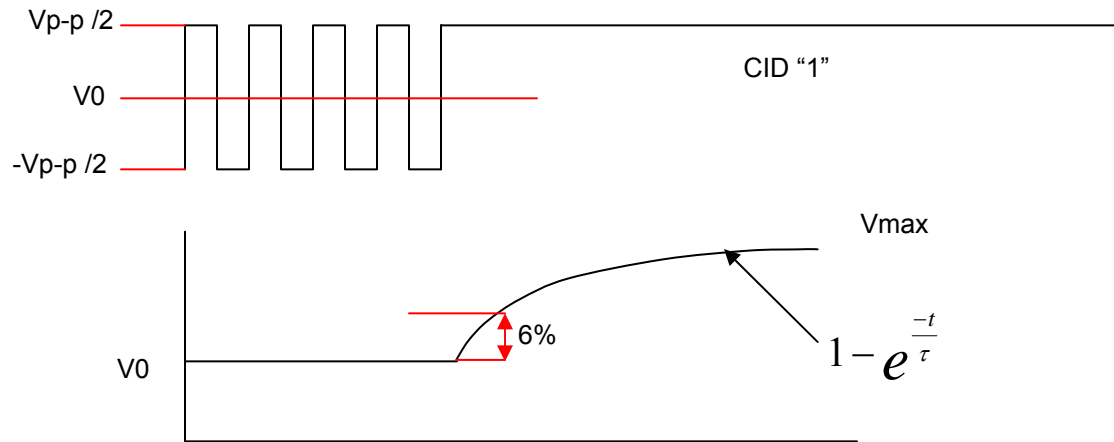
- We have assumed 6% DC droop from the baseline
- In AC coupled the preamble length is:
 - 2600bits
- In DC coupled the preamble length is:
 - 50bits

Conclusion

- DC coupled method is the preferable choice over AC Coupled
- A dedicated TIA for Dual Rate Burst Receiver is needed
- Too tight preamble length is not needed (don't like to be 2nd GPON)
- The recommended preamble length is following:



Back up



When consecutive "1" bits pass through AC coupled optical receiver, it behaves like

$$1 - e^{-\frac{t}{\tau}}$$

Where:

t = CID length

τ = RC

When

$t \rightarrow \infty$ the function equals to 1

$t \rightarrow 0$ the function equals to 0

An Example:

Assumptions:

$$V_{p-p} = 400\text{mV}$$

$$\Delta V [k] = 6\%$$

$$t = 5.2\tau$$

$$\Delta V = \frac{k}{100} V_{p-p} = \frac{V_{p-p}}{2} (1 - e^{-\frac{t}{\tau}})$$

$$\frac{k}{100} V_{p-p} = \frac{V_{p-p}}{2} (1 - e^{-\frac{t}{\tau}})$$

$$e^{-\frac{t}{\tau}} = 1 - \frac{\frac{k}{100} V_{p-p}}{\frac{V_{p-p}}{2}}$$

Eq 1 $t = -\tau \ln(1 - \frac{k}{50})$

Eq 2 $t = N_{CID} T$

Eq 1 + Eq 2 $N_{CID} T = -\tau \ln(1 - \frac{k}{50})$

$$\tau = \frac{-N_{CID} T}{\ln(1 - \frac{k}{50})}$$

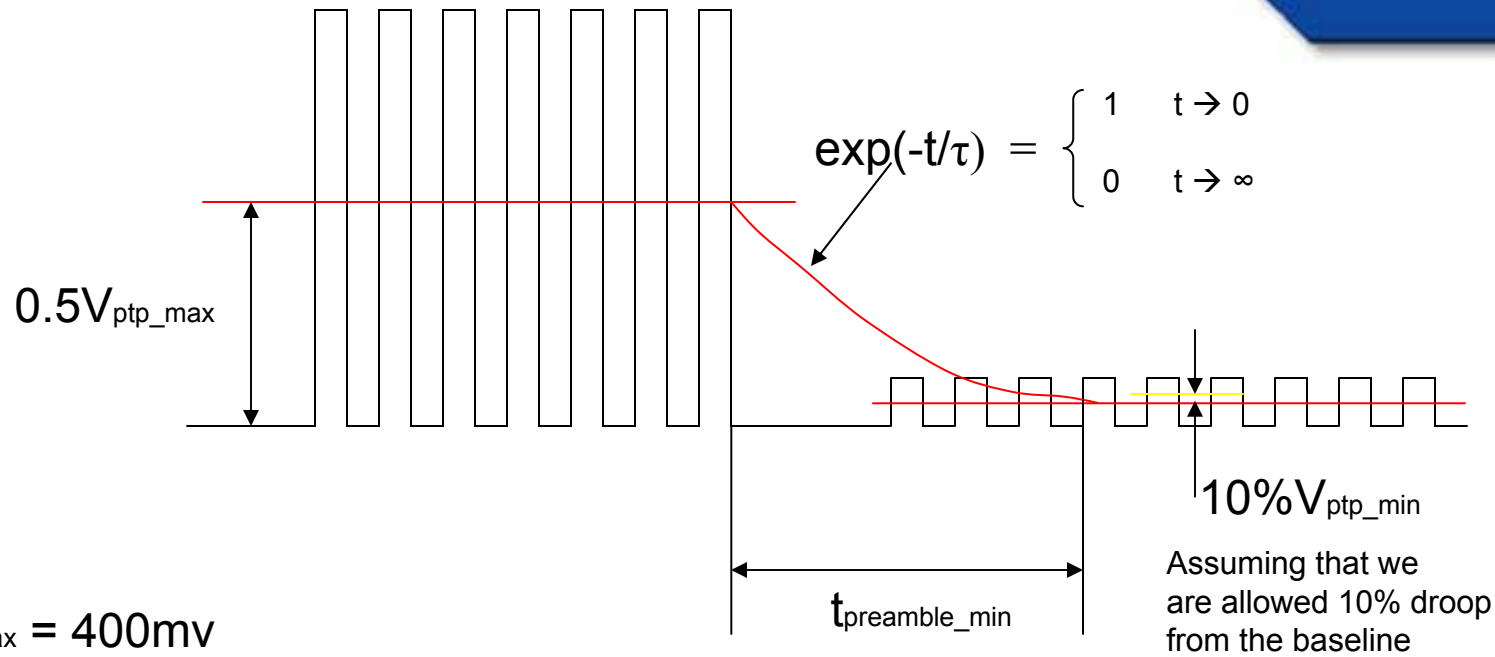
$$N_{PREAMBLE} = \frac{5.2\tau}{T}$$

$$N_{PREAMBLE} = \frac{-5.2 * N_{CID}}{\ln(1 - \frac{k}{50})}$$

For :

k=6%

$N_{Preamble} = 2600$ bits



$$V_{\text{ptp_max}} = 400\text{mv}$$

$$V_{\text{ptp_min}} = 10\text{mv}$$

$$\exp(-t/\tau) * 0.5V_{\text{ptp_max}} < 0.1V_{\text{ptp_min}}$$

$$\exp(-t/\tau) * 200 = 1$$

$$\exp(-t/\tau) = 1/200$$

$$t = -\tau * \ln(1/200)$$

$$t = 5.2\tau$$

A Formula – Preamble_(CID)

- Assuming that 5 time constants is needed

$$N_{preamble} = \frac{-5 \cdot N_{cid}}{\ln(1 - X)}$$

Where:

N_{cid}

$N_{preamble}$ = Number of CID

X = Required Preamble length [bits]

= Deviation of baseline permitted during CID

An example:

CID = 64

$X = 0.1$ (10%)

N =

$$\frac{-5 \cdot 64}{\ln(1 - 0.1)} = \mathbf{2430bits}$$

For 6% droop

$$N = \frac{-5 \cdot 64}{\ln(1 - 0.06)} = \mathbf{5170bits}$$

Straw poll #2

Do we maintain the sensitivity of the 1G OLT receiver (PX10 and PX20) ?

Yes: 29

No: 0

No opinion: 2