



IEEE P802.3ba  
New ICR fitted line methodology required

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- Current ICR fitted line equation does not do a good job at fitting ICR data for certain channels
- In some cases, raw ICR data meets the ICR requirements but fitted line does not
- Fitting results using a typical connectors shown
  - Link1 is a typical of mezzanine connector system
    - 20 inch trace → Vias → TwinMezz™ Connector → Vias → 20 inch trace*
  - Link2 is a backplane connector system with 4 connectors
    - 3" trace → Vias → AirMax® connector → Vias → 7" trace → Vias → AirMax® connector → Vias → 7" trace → Vias → AirMax® connector → Vias → 3" trace*
- Alternate ICR fitting equations explored and presented

## Typical LMS linear fit

■  $y = a + b \log x$ , where

■  $y = \text{ICR}(\text{fit})$

■  $x = \text{frequency}$

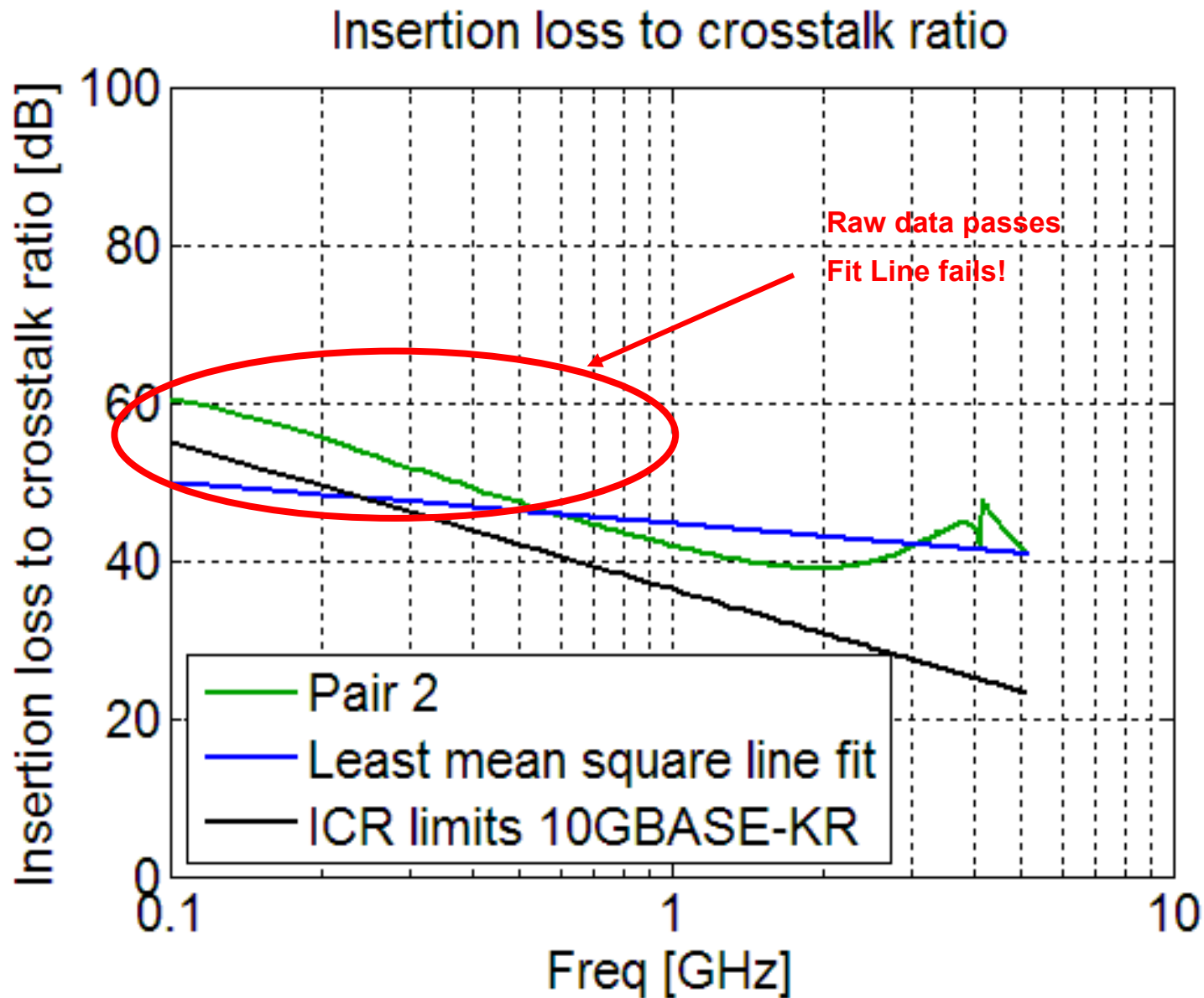
■  $a = b_{\text{ICR}}$

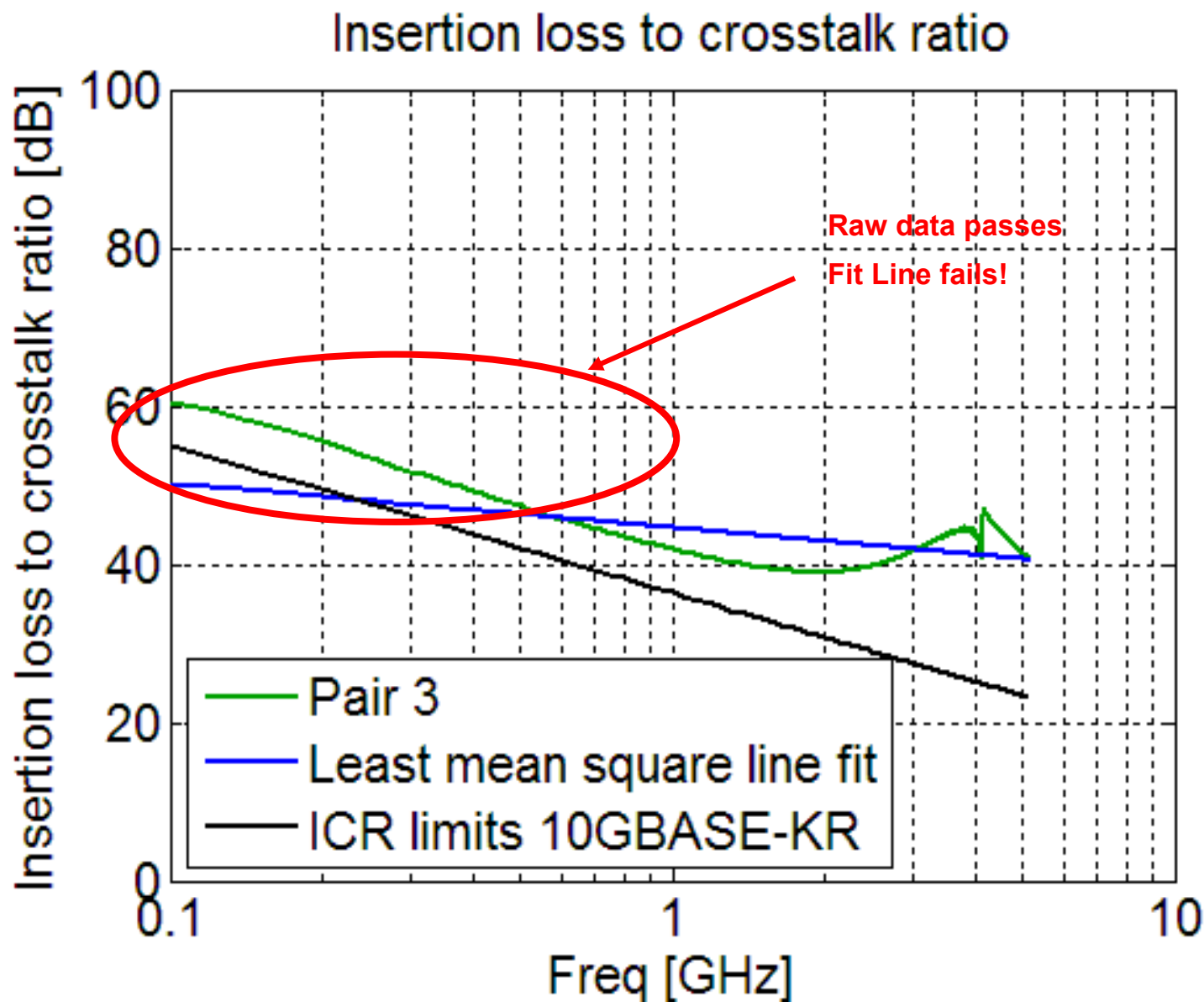
■  $b = m_{\text{ICR}}$

■  $a$  &  $b$  are determined by solving the following matrix equation:

$$\begin{bmatrix} a \\ b \end{bmatrix} = \begin{bmatrix} N & \sum \log (f) \\ \sum \log (f) & \sum (\log (f))^2 \end{bmatrix}^{-1} \begin{bmatrix} \sum \text{ICR}(f) \\ \sum \text{ICR}(f) \log (f) \end{bmatrix}$$

■ This is the current method used to generate the LMS fit line





## ■ Use a second order LMS fit

■  $y = a + b \log x + c (\log x)^2$

■ where  $y = \text{ICR}(\text{fit})$  and  $x = \text{frequency}$

■ The coefficients  $a$ ,  $b$ , &  $c$  can be determined by solving the following matrix equation:

$$\begin{bmatrix} a \\ b \\ c \end{bmatrix} = \begin{bmatrix} N & \sum \log (f) & \sum (\log (f))^2 \\ \sum \log (f) & \sum (\log (f))^2 & \sum (\log (f))^3 \\ \sum (\log (f))^2 & \sum (\log (f))^3 & \sum (\log (f))^4 \end{bmatrix}^{-1} \begin{bmatrix} \sum \text{ICR}(f) \\ \sum \text{ICR}(f) \log (f) \\ \sum \text{ICR}(f) (\log (f))^2 \end{bmatrix}$$

## Use a third order LMS fit

■  $y = a + b \log x + c (\log x)^2 + d (\log x)^3$

■ where  $y = \text{ICR}(\text{fit})$  and  $x = \text{frequency}$

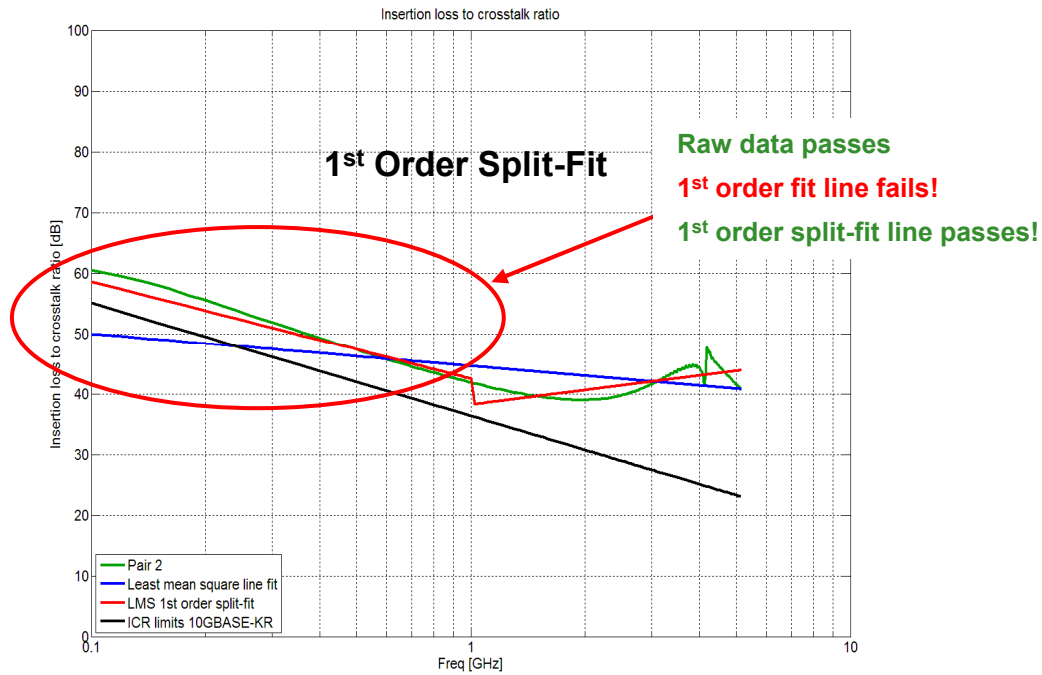
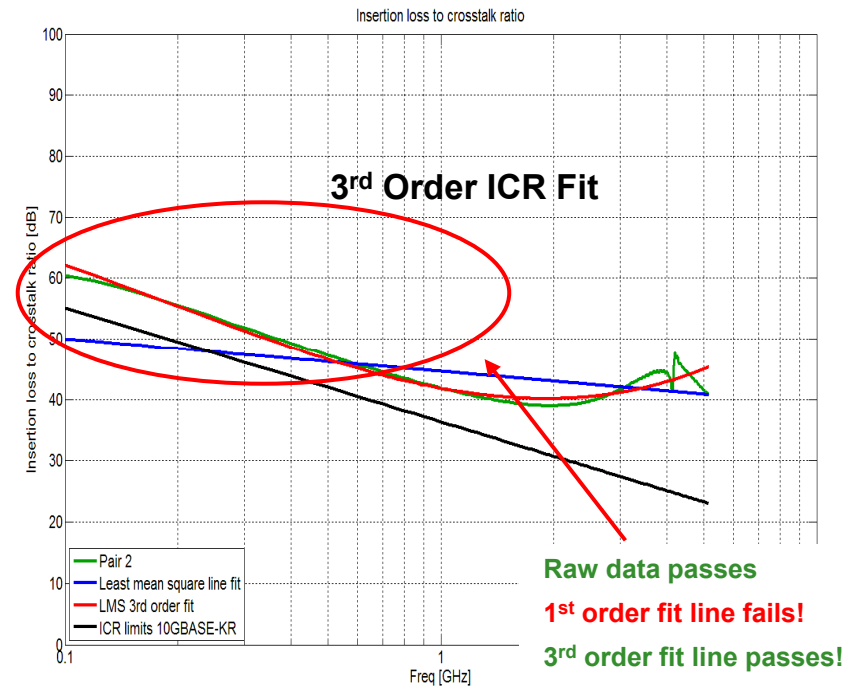
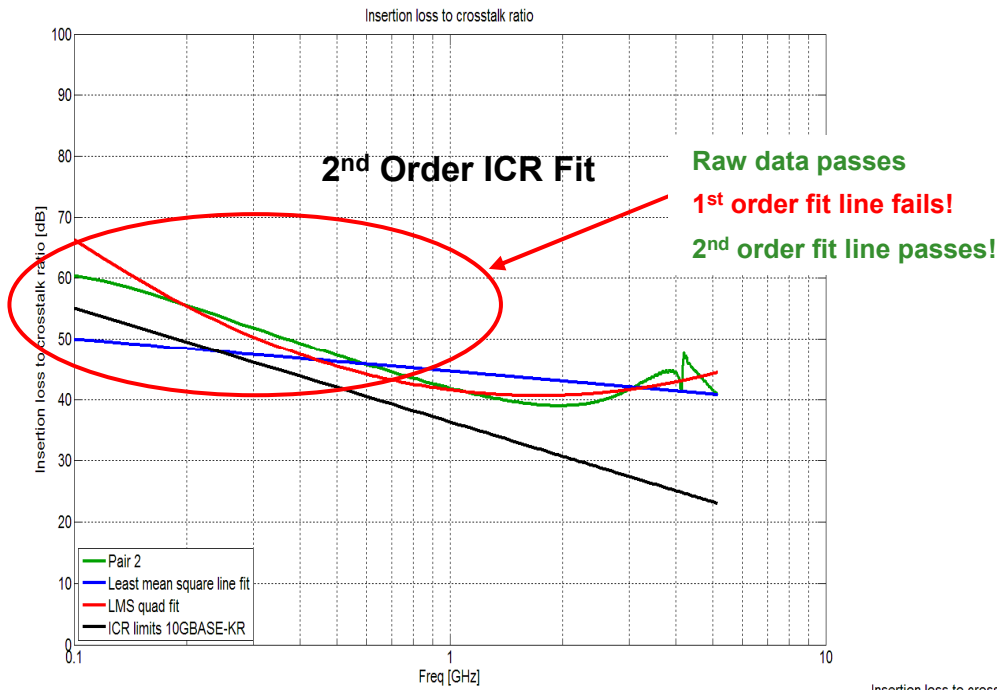
■ The coefficients  $a$ ,  $b$ , &  $c$  can be determined by solving the following matrix equation:

$$\begin{bmatrix} a \\ b \\ c \\ d \end{bmatrix} = \begin{bmatrix} N & \sum \log(f) & \sum (\log(f))^2 & \sum (\log(f))^3 \\ \sum \log(f) & \sum (\log(f))^2 & \sum (\log(f))^3 & \sum (\log(f))^4 \\ \sum (\log(f))^2 & \sum (\log(f))^3 & \sum (\log(f))^4 & \sum (\log(f))^5 \\ \sum (\log(f))^3 & \sum (\log(f))^4 & \sum (\log(f))^5 & \sum (\log(f))^6 \end{bmatrix}^{-1} \begin{bmatrix} \sum \text{ICR}(f) \\ \sum \text{ICR}(f) \log(f) \\ \sum \text{ICR}(f) (\log(f))^2 \\ \sum \text{ICR}(f) (\log(f))^3 \end{bmatrix}$$

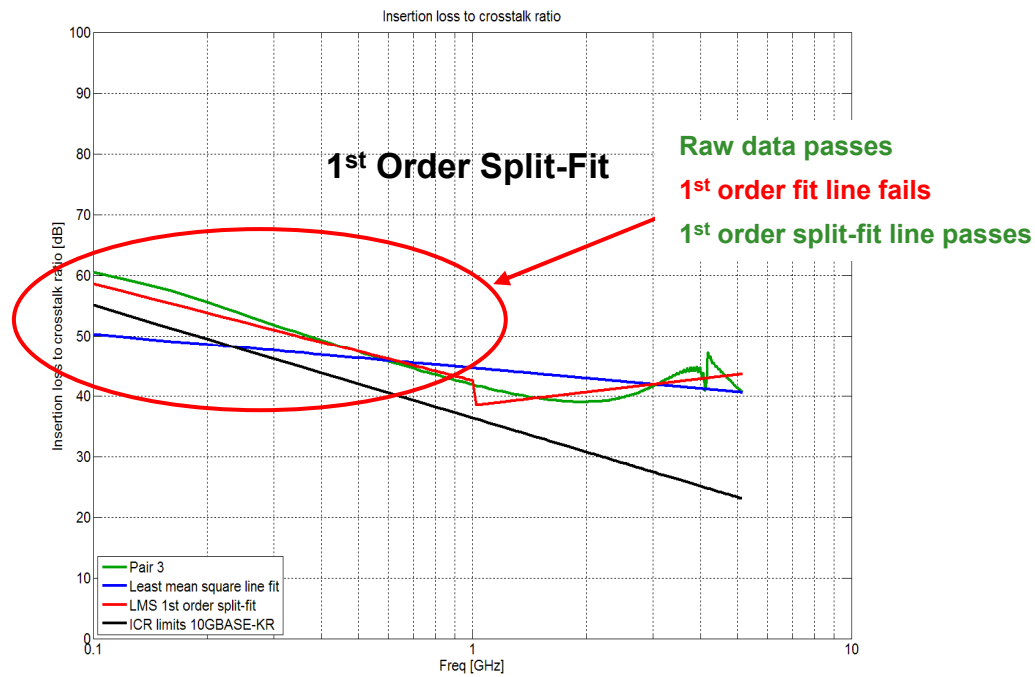
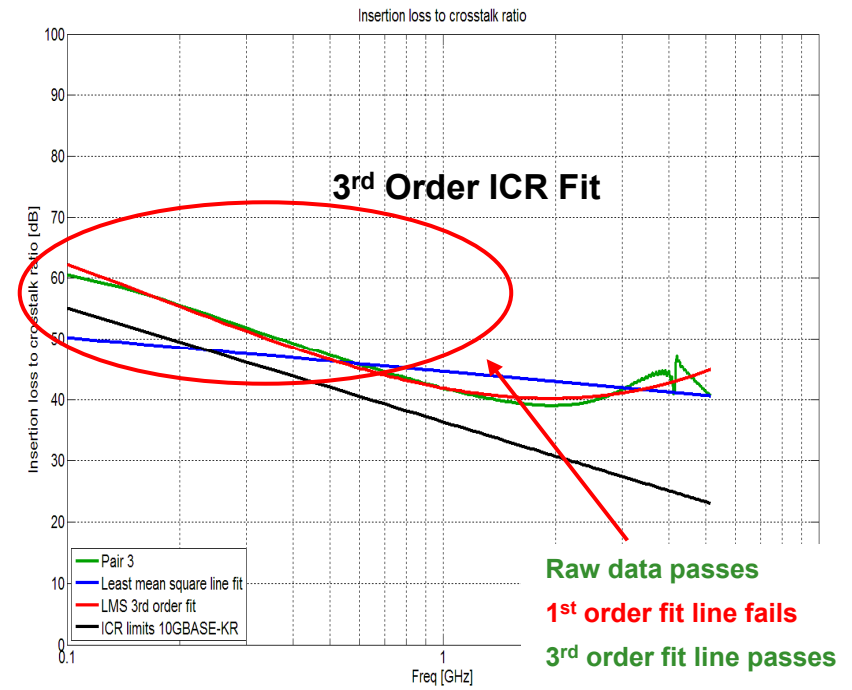
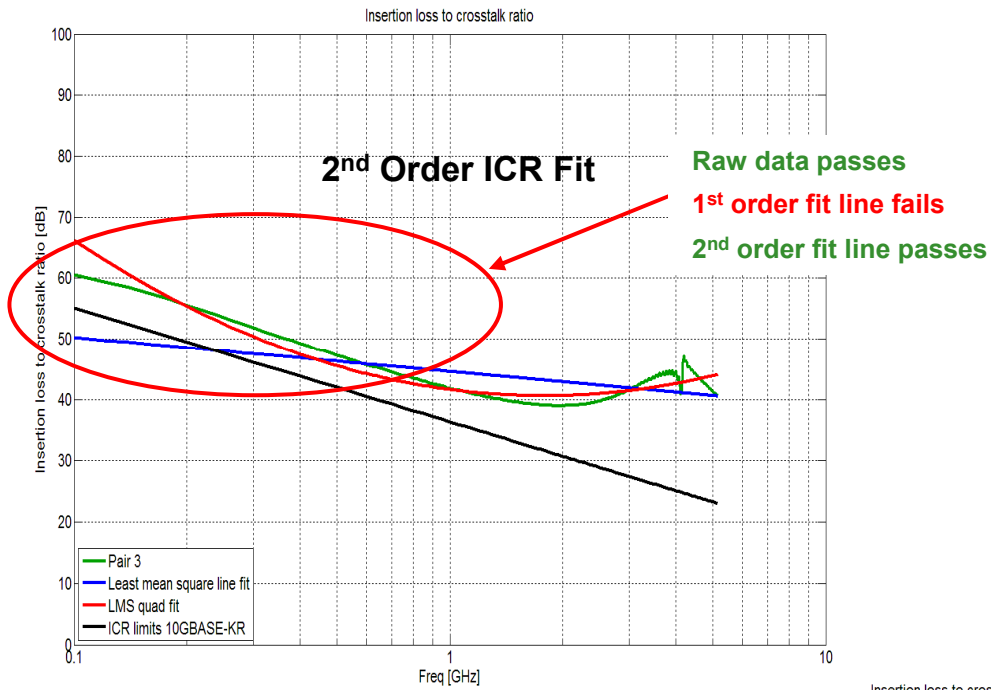
- Use current ICR equations – with two distinct linear segments for different frequency ranges
  - $y = a + b \log x$ 
    - where  $y = \text{ICR}(\text{fit})$  and  $x = \text{frequency}$
  - Frequency ranges
    - $100 \text{ MHz} \leq f \leq 1 \text{ GHz}$
    - $1 \text{ GHz} < f \leq 5.15625 \text{ GHz}$
- This requires the following changes
  - Eqn. 69B-15 changes to:
    - $PSNEXT_1(f) = -10\log\left(\sum 10^{-NEXT_n(f)/10}\right)$  for  $100 \text{ MHz} \leq f \leq 1 \text{ GHz}$
    - $PSNEXT_2(f) = -10\log\left(\sum 10^{-NEXT_n(f)/10}\right)$  for  $1 \text{ GHz} < f \leq 5.15625 \text{ GHz}$
  - Eqns. 69B-16 through 69B-24 are changed similarly to accommodate for two linear segments



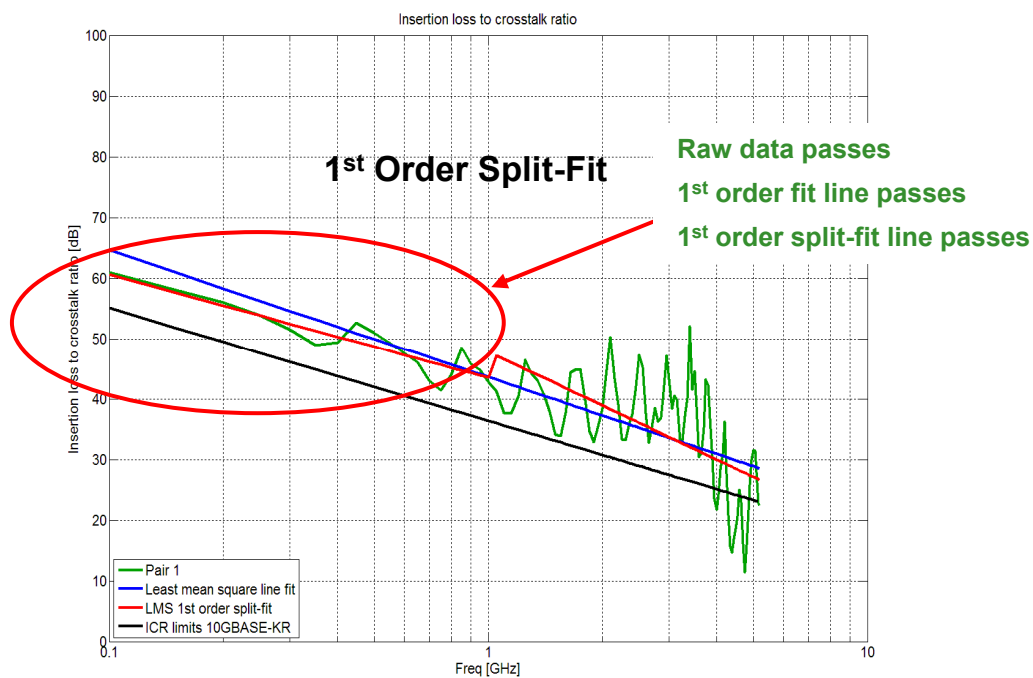
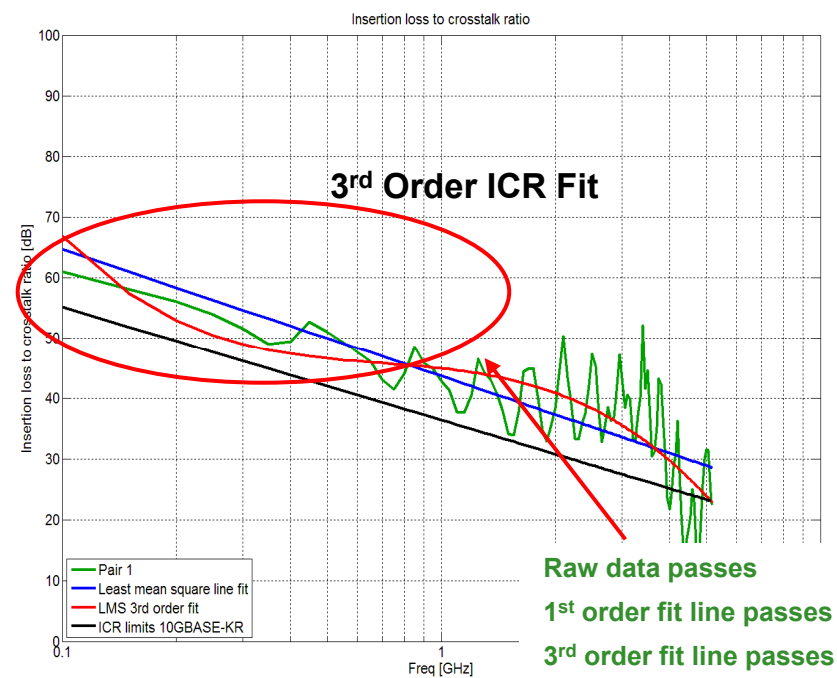
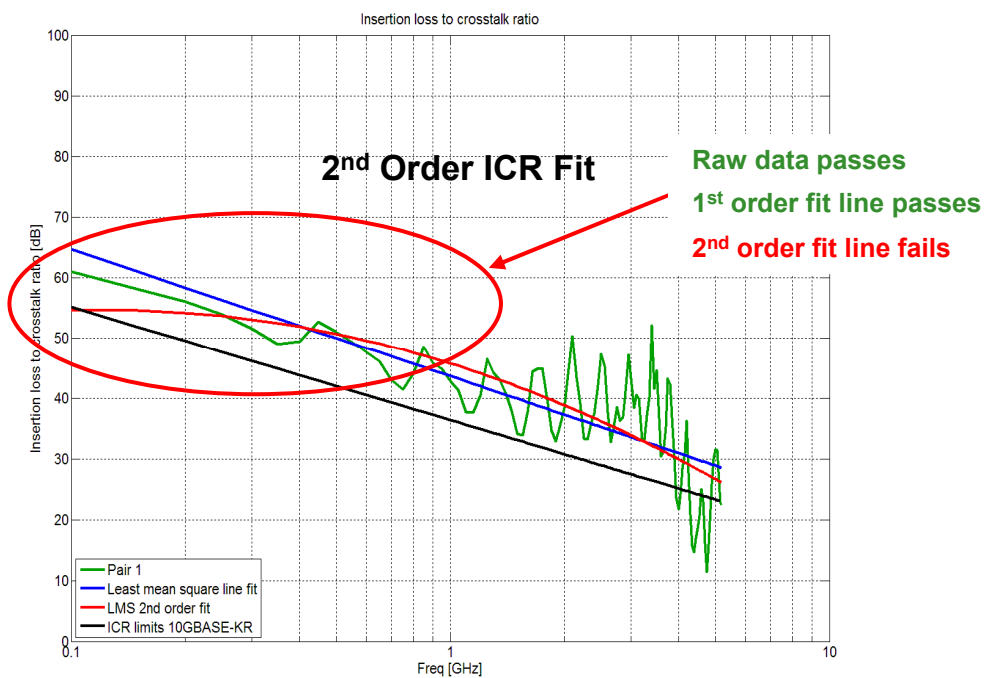
# TwinMezz – Long Link – Pair 2



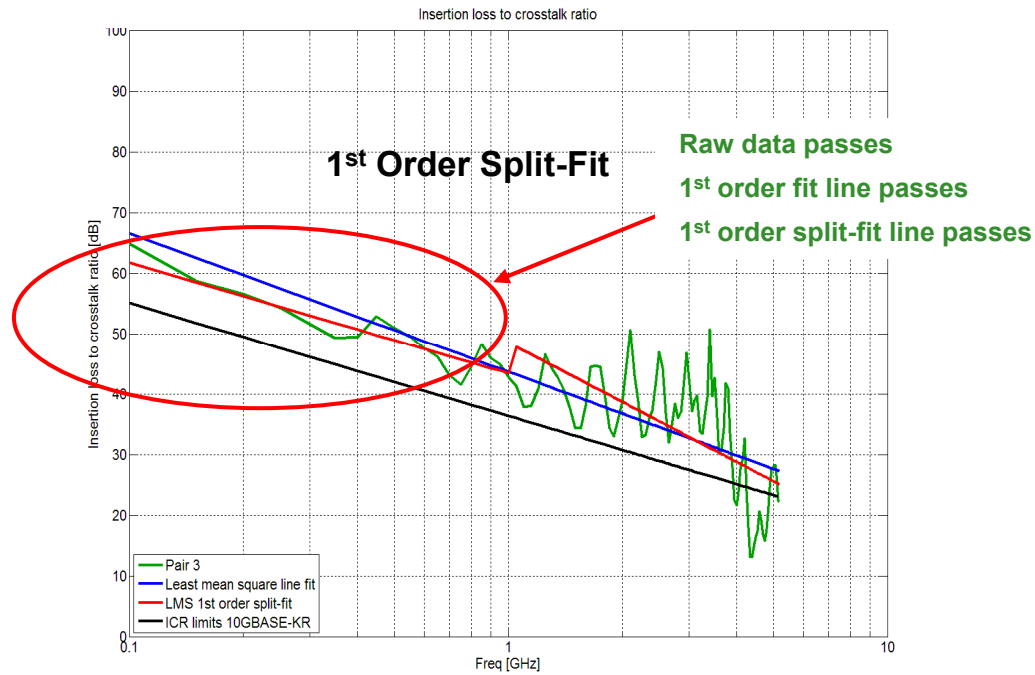
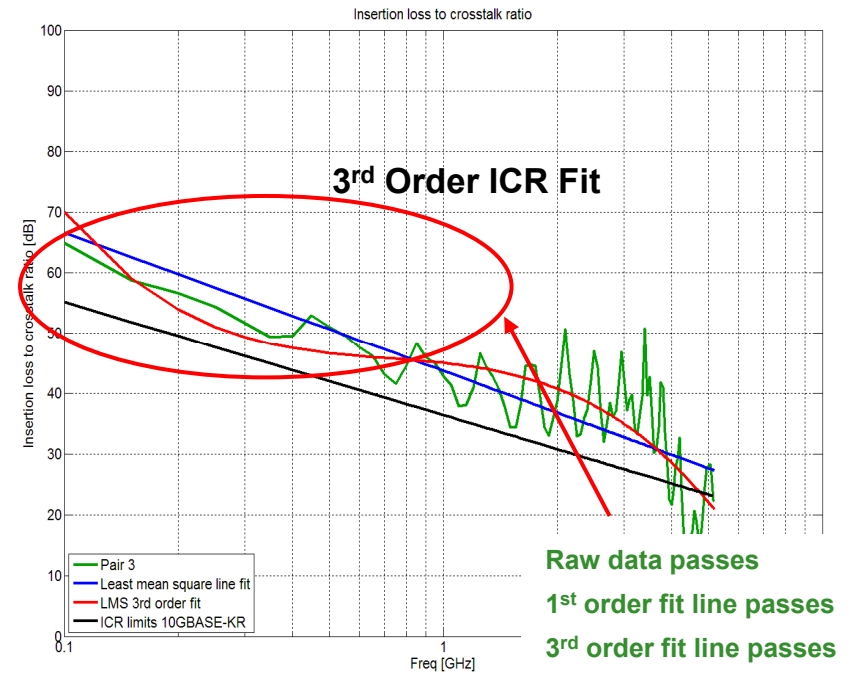
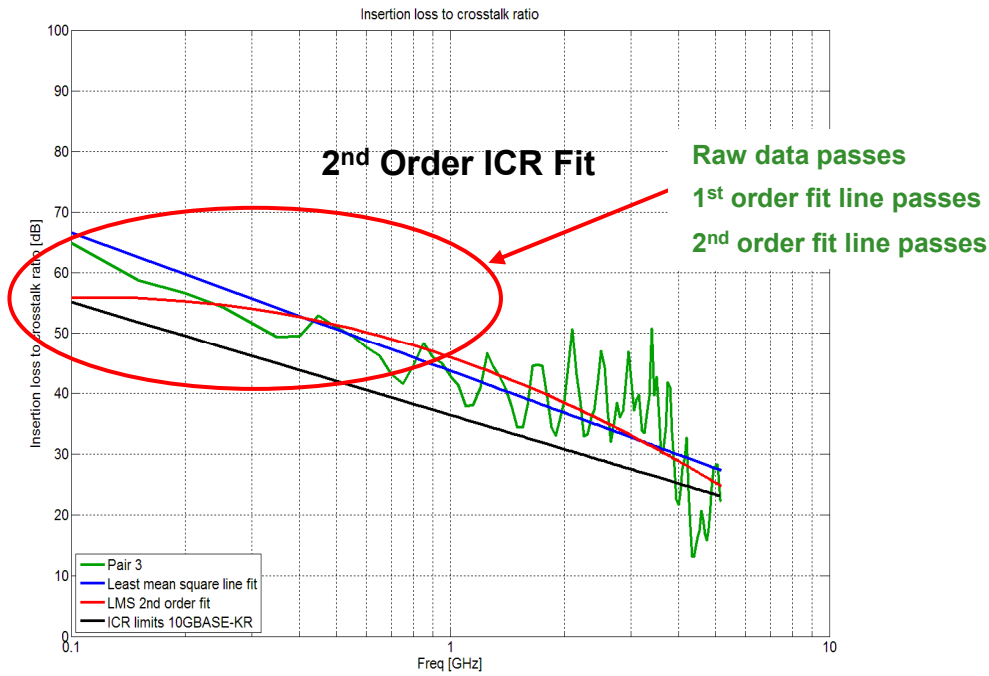
# TwinMezz – Long Link – Pair 3



# AirMax Link – Pair 1 ICR



# AirMax Link – Pair 3 ICR



- Current linear least-mean-squares fit curve does not correctly fit all cases
- Possible Options
  - 2<sup>nd</sup> order least-mean-squares fit curve improves some but has errors in other cases
    - Not desirable
  - 3<sup>rd</sup> order least-mean-squares fit curve is accurate, but mathematically very involving
    - Not desirable
  - Propose changing the ICR fit line to a two-segment linear least-mean-squares fit
    - Best solution
- Change needs to be made to both backplane and copper cable assembly ICR fit equations