

# 100GBASE-KP4 jitter and distortion specification proposal

(Regarding comment #255 on D1.1)

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# Supporters

- Richard Mellitz, Intel
- Kent Lusted, Intel
- Liav Ben-Artzi, Marvell
- Rick Rabinovich, Alcatel-Lucent
- Vasudevan Parthasarathy, Broadcom
- Arash Farhood, Cortina Systems
- Mike Dudek, QLogic

# Background

- Existing jitter specifications rely on zero crossing measurements
  - Two electrical levels create two possible transitions –  $0 \rightarrow 1$  and  $1 \rightarrow 0$
  - In an ideal transmitter, all crossings occur at the same phase
  - Low frequency jitter is filtered and (in clause 85) DDJ is excluded
    - Receiver is assumed to handle both
- This method has some drawbacks – but seems to work for NRZ.
- For 100GBASE-KP4 (PAM-4), a new method is required.

# Consensus group

- 4 conference calls were conducted to discuss jitter specification ideas.
- 29 individual participants: Yasuo Hidaka, Magesh Valliappan, Kent Lusted, Richard Mellitz, Mike Li, Mohammad Kermani, Beth Kochuparambil, Scott Irwin, Hiroshi Takatori, Vittal Balasubramanian, Joel Goergen, Wheling Cheng, John Wang, Albert Vareljian, Michael Altmann, Liav Ben-Artzi, Matt Brown, Vasudevan Parthasarathy, Will Bliss, Mike Dudek, Rick Rabinovich, Pavel Zivny, Piers Dawe, Oren Ganon, Adam Healey, Arash Farhood, Charles Moore, Greg Lecheminant, Adele Ran
- Thanks for attending, sharing thoughts and reviewing ideas!

# Reasoning for new proposal for PAM4

- In PAM4, there are 3 separate level at which “crossings” can be defined; therefore
  - Many transitions exist in a data signal; each transition has its own mean phase
  - DDJ analysis as done in NRZ is not practical
- **Proposed replacement – intended to be both simple and predictive:**
  1. Use simple 2-level patterns to measure PLL-related “jitter” (phase noise) separated into random and deterministic components, and even-odd jitter (EOJ); specify maximum values
  2. Use distortion analysis with a rich signal to measure jitter-induced noise; specify a minimum ratio of signal to noise and distortion (SNDR).

# Proposal – part 1

- Define two new jitter test patterns (denoted as repetitive sequences, each symbol for 1 UI)
  1. JP03: 03 (periodical at 2 UI – Nyquist frequency)
  2. JP03a: 15 repetitions of “03” and then 16 repetitions of “30” (periodical at  $2 \times (15+16) = 62$  UI → 219 MHz)
    - In both cases, 0 denotes the -1 PAM4 symbol, and 3 denotes the +1 PAM4 symbol
- Use JP03 to measure RJ and deterministic clock jitter (DCJ)
  - Method described below (based on well-known Dual-Dirac)
  - DDJ doesn't exist, so need not be excluded
- Use JP03a to measure EOJ
  - Enables measuring both duty cycle and rise/fall time distortion
  - Total length is  $2 \times 31$  UI – 31 is prime, so all internal busses are “challenged” equally (with reasonable implementations)
- Specifications shall be met with any valid equalization setting

# RJ and DCJ measurement procedure

## #1

- Use JP03 to measure RJ and DCJ.
  - All 4 lanes active and transmit same sequence
- Capture a waveform of N UI ( $N \geq 10^7$ ) e.g. using a real-time scope.
- Calculate the zero-crossing times  $T_{ZC}(i)$ ,  $i=1..N$  (interpolate if necessary).
  - Align so that  $T_{ZC}(1)=0$
- Calculate the average pulse width:  $\Delta T_{AVG} = \frac{\sum_{i=2}^N T_{ZC}(i) - T_{ZC}(i-1)}{N-1}$
- Calculate the phase jitter series:  $\tau(n) = T_{ZC}(n-1) - (n-2)\Delta T_{AVG}$ ,  $n = 2..N$
- Apply a 1<sup>st</sup>-order discrete high-pass filter  $H_{CDR}(z)$  to the phase jitter series  $\tau(n)$ .
  - Denote the result  $\tau_{HPF}(n)$

# RJ and DCJ measurement procedure #2

- Sort the values of  $\tau_{HPF}(n)$  in increasing order
  - Denote the result  $\tau_{sorted}(n)$
- Determine the values  $J_5$  and  $J_6$  (in units of time) as follows (with either  $B=5$  or  $B=6$ )
  - $J_B^-$  is the maximum time that satisfies
$$\tau_{sorted}(0.5 \times 10^{-B} \times N) \leq J_B^-$$
(typically negative)
  - $J_B^+$  is the minimum time that satisfies
$$\tau_{sorted}(N - 0.5 \times 10^{-B} \times N) \geq J_B^+$$
(typically positive)
  - $J_B = J_B^+ - J_B^-$
- Similar to clause 86.8.3.3 definitions



# RJ and DCJ measurement procedure #3

- Calculate  $RJ_{RMS}$  and DCJ according to:

$$\begin{bmatrix} RJ_{RMS} \\ DCJ \end{bmatrix} = \begin{bmatrix} 2Q^{-1}(0.5 \times 10^{-6}) & 1 \\ 2Q^{-1}(0.5 \times 10^{-5}) & 1 \end{bmatrix}^{-1} \begin{bmatrix} J_6 \\ J_5 \end{bmatrix}$$

Where  $Q^{-1}$  is the inverse Q-function.

# EOJ measurement procedure

- Use JP03a to measure EOJ
  - All 4 lanes active and transmit same sequence
- Capture 20 full cycles of JP03a
- Interpolate if necessary and calculate the average zero-crossing time for each of the 60 transitions in JP03a, relative to start of pattern
  - Average is calculated across the 20 full pattern cycles
  - Denote the average values by  $T_{zc}(i)$ ,  $i=1..60$ , where  $i=1$  is the first transition following the two consecutive “3” symbols
- Calculate the widths of 40 pulses from 41 transitions excluding the “repeated symbols” vicinity:
$$\Delta T(i) = \begin{cases} T_{zc}(i+10) - T_{zc}(i+9), & 1 \leq i \leq 20 \\ T_{zc}(i+19) - T_{zc}(i+18) & 21 \leq i \leq 40 \end{cases}$$
- EOJ is half of the magnitude of the difference between the mean width of the even pulses and the mean width of the odd pulses:

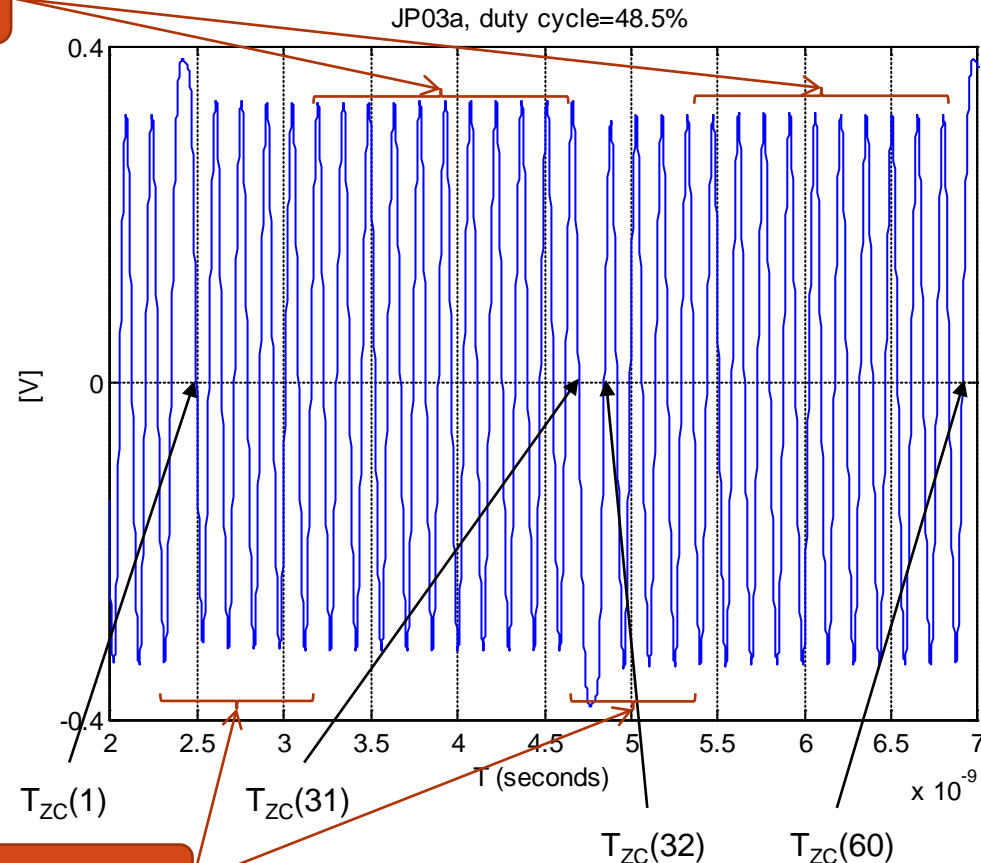
$$EOJ = \frac{\left| \sum_{i=1}^{20} \Delta T(2i) - \sum_{i=1}^{20} \Delta T(2i-1) \right|}{40}$$

# Example: EOJ measurement using JP03a

Measure widths of 10 “3” and 10 “0” pulses in each half-pattern

Clock duty cycle error is 3% PTP

- This is the voltage signal resulting from simulation of JP03a driven through a risetime filter + sample package and test fixture (provided by Liav Ben-Artzi).
- The clock driving the signal has a slight duty cycle mismatch, in addition to DJ and RJ.
- From this signal, calculation of EOJ is straightforward. Results are shown in next slide.



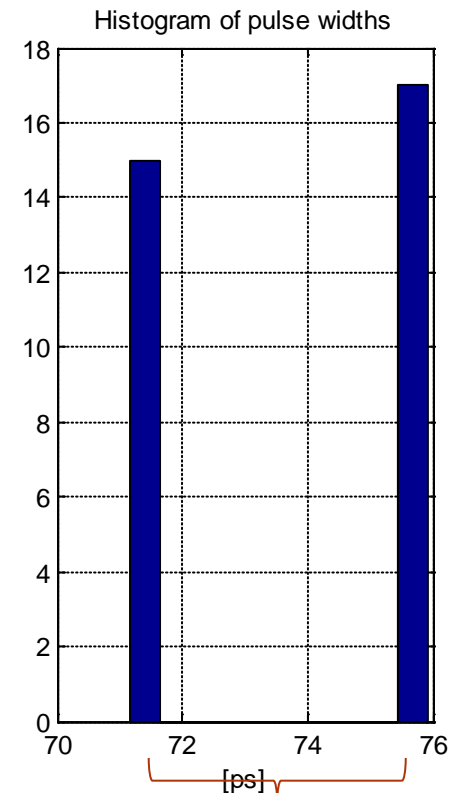
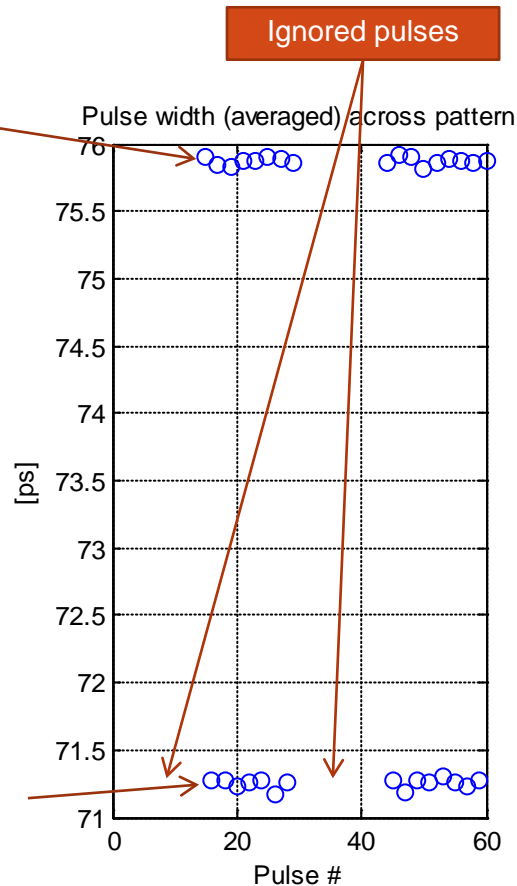
Ignore “repeated symbols” area

# Example: EOJ measurement using JP03a

Even pulses are longer

- Measured EOJ is 2.4 ps  $\approx$  3.2 % UI.
- Compare to applied duty cycle of 3%.

Odd pulses are shorter



EOJ=2.4 ps

# Proposal – part 1 – summary

- Changes to clause 94.3.11.9 “Transmitter output jitter”:
  - Specify  $RJ_{RMS}$ , DCJ and EOJ measurement method as defined above
    - Instead of current definitions based on BER terms (BER is not defined at the transmitter...)
    - Enables avoiding definitions like “TJ at BER”, “TJ excluding DDJ” and “TJ minus DJ”
    - No need to refer to old methods (e.g. annex 48B)
  - Specify two new test patterns and management functions: JP03 to measure  $RJ_{RMS}$  and DCJ, JP03a to measure EOJ
  - Remove references to clause 92.8.3.8 which currently uses the old method
- Examples and proposed limits in next slides...

# Proposal – part 1 – suggested limits

Parameter	Notes	Value	Units
RJ <sub>RMS</sub>	1	< 0.37 < 0.5%	ps UI
DCJ (including EOJ)	1	< 3.68 < 5%	ps UI
EOJ	2	< 2.21 < 3%	ps UI

1. Use JP03
2. Use JP03a

Note: These values were used to create the worst-case distortion for part 2.  
Final values may be different. Limits proposed as TBD.

# Proposal – part 1 – Test parameters

Parameter	Notes	Value	Units
Cutoff frequency of 1 <sup>st</sup> -order high-pass filter applied to zero-crossing periods in RJ and DCJ measurement	1	≤0.005	GHz

## Notes:

1. The bandwidth limit denotes the “best case” conditions required to pass a test. A test can be conducted with lower filter bandwidth; in such case, meeting required limits shows positive margin, but failure to meet them does not disqualify the device under test.

# Proposal – part 2

- NRZ jitter measurement includes non-linear effects that occur at the zero crossing phase
  - Linear effects cause DDJ, which should be excluded
- The proposed alternative for PAM4 is TX distortion analysis
  - Captures all non-linear effects (comprehensive)
  - Also captures TX internal crosstalk (not accounted for in other tests)
- This proposal complements COM and receiver testing:
  - Noise content of TX can be accounted for in COM
  - Real TX can be used in RX testing; if it's not “worse case”, noise can be added to calibrate test conditions



# Distortion analysis – general idea

- Distortion analysis shows non-linear effects as an additive noise component. In the method described in 85.8.3.3.5, this is the signal  $e(n)$  calculated from measurement  $y(n)$ .
- Proposal is to limit the noise power at any phase, not just the average.
  - Channel can “mix phases”, so better be conservative.
  - This may penalize drivers with jitter and very short risetime (at TP0a); but with a reasonable test fixture it should not be a problem.
- Looking at  $e(n)$  at each phase separately can reveal noises at transitions.
  - Assuming the procedure in 85.8.3.3.5 is used for measuring equalization steps – existing data can be re-ordered and used.

# Distortion measurement procedure

## #1

- Transmit a rich-spectrum PAM4 test pattern, different for each lane
  - E.g. Same pattern as the one defined in the training proposal – see backup
- Capture  $N$  UI (where  $N$  is an integer multiple of the test pattern's length in UI), with  $M$  samples per UI:  
→  $y(k)$ ,  $k=0..M*N-1$
- Calculate a linear channel fit of the measurement (e.g. as done in clause 85.8.3.3.5)
- Denote the linear-fit waveform as  $f(k)$  (read column-wise from the matrix product  $PX_1$ ) and the error waveform as  $e(k)$ , so that  $y(k)=f(k)+e(k)$ ,  $k=0..M*N-1$

# Distortion measurement procedure

## #2

- Separate  $f(k)$  and  $e(k)$  into  $M$  subsets  $f_p$  and  $e_p$ ,  $p=0..M-1$ ; subset  $p$  includes samples  $p+j*M$ ,  $j=0..N-1$ 
  - Call these subsets “phase  $p$ ” of measurement and error
- For each of the  $M$  phases, calculate the RMS of the measurement and RMS of the error
- Calculate  $S$ , the minimum signal level at the “best vertical opening” phase
  - See backup for details
- Define the TX SNDR per phase  $p$  as  $\text{SNDR}_{\text{TX}}(p)=S/\text{RMS}(e_p)$
- $\text{SNDR}_{\text{TX}}(p)$  should be above a specified value for any  $p$

# Example – distortion analysis with simulated jitter

Estimated signal level  
(S)

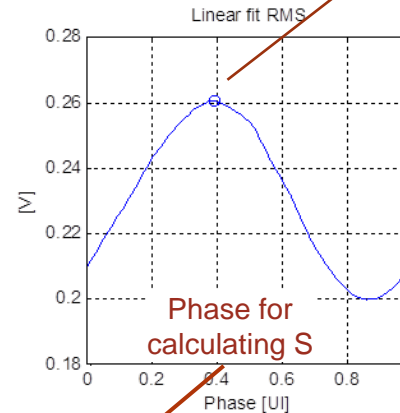
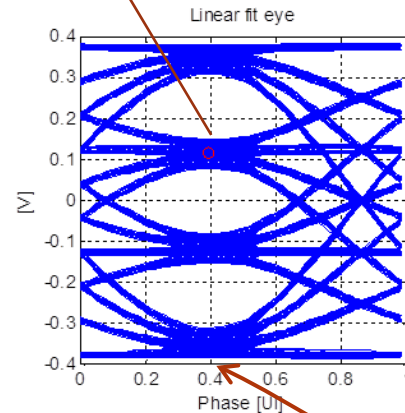
Simulated TX with:

- RJ RMS=0.37 ps
- EOJ PTP=3%
- SJ PTP =1.47 ps  
(total DJ = 3.68 ps)

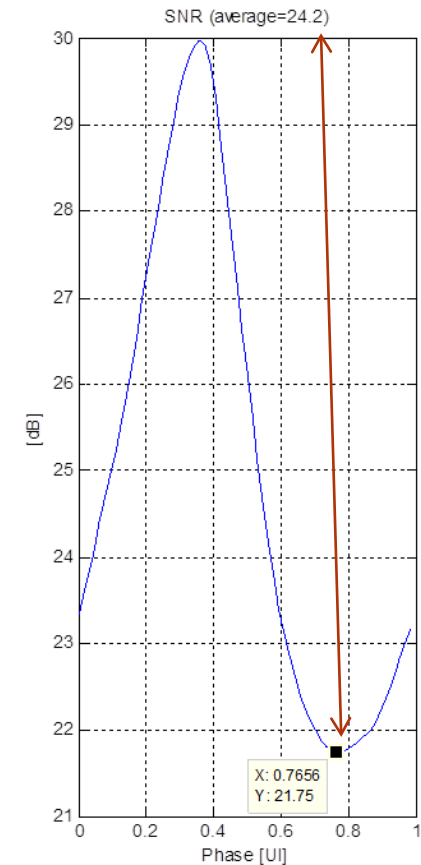
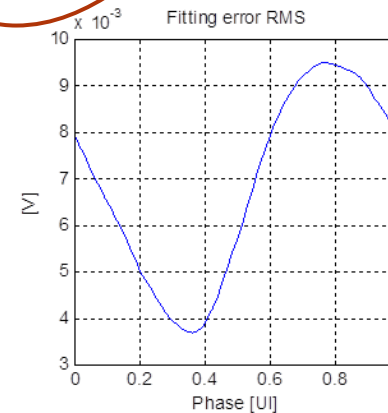
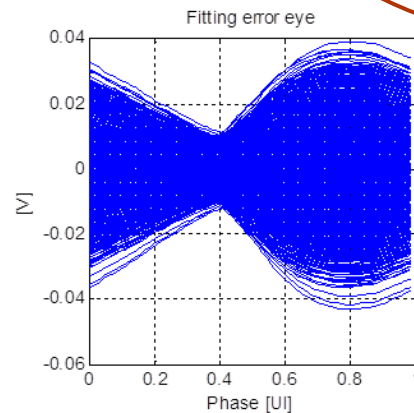
(Assumed worst case)

Risetime filter and test  
fixture

Linear fit and error  
shown as eye patterns.  
Note that error is much  
larger at the “transition  
phases” than at the  
“sampling phases”.



Signal RMS per phase;  
max RMS phase marked



SNDR per phase. Note  
minimum is ~2.5 dB lower  
than “average” SNDR.

# Proposal – part 2 – suggested limits

Parameter	Subclause reference	Value	Units
SNDR <sub>TX</sub> (at worst phase)		> 19	dB

## Notes:

- Proposed SNDR limit is intended to let TX distortion consume only a small part of the noise budget, assuming FEC coding gain, but still be realizable.
  - Under the worst-case jitter assumptions (suggested values of part 1), the TX has ~3 dB margin for other possible distortion effects.
  - This value can be applied to COM channel specification, e.g. by addition of a signal-dependent noise component.

# Proposal – part 2 – Test parameters

Parameter	Notes	Value	Units
Test pattern period	1	8372	UI
Acquisition period (N)	2	$\geq 10^6$	UI
Samples per UI (M)	2	$\geq 16$	
Linear fit pulse length ( $N_p$ )	3	10	UI
Linear fit pulse delay ( $D_p$ )	3	2	UI

## Notes:

1. Proposed test pattern described in training proposal lusted\_01\_0912.
2. The measurement length specifies the “best case” conditions required to pass a test. A test can be conducted with a longer measurement; in such case, meeting required limits shows positive margin, but failure to meet them does not disqualify the device under test.
3. Refer to Table 94-5.

# Backup

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# Details of linear fit procedure

- In clause 85.8.3.3.4, averaging multiple waveform captures is recommended. This is not allowed here, since jitter effects would be diminished.
- Applying a behavioral CDR and re-sampling to get integer oversampling are allowed.
- To estimate the signal level  $S$ :
  - a) Find the phase  $p_{\max}$  in which  $f(k)$  has maximum RMS
  - b) Divide the samples of  $f_{p_{\max}}$  into groups according to the 4 voltage levels
  - c) Define  $S_i$  to be the median of the samples in group  $i$ ,  $i=0..3$
  - d) Define  $S$  as  $\min(S_i - S_{i+1})/2$ ,  $i=0..2$



# Example – distortion analysis with 40GBASE-CR4 transmitter (lab measurement result)

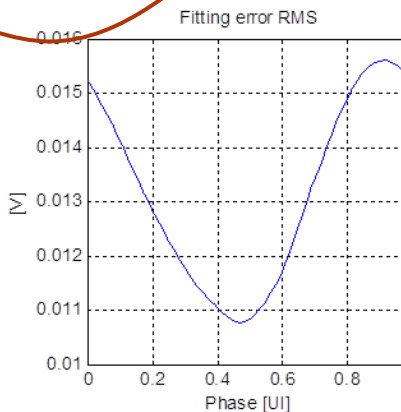
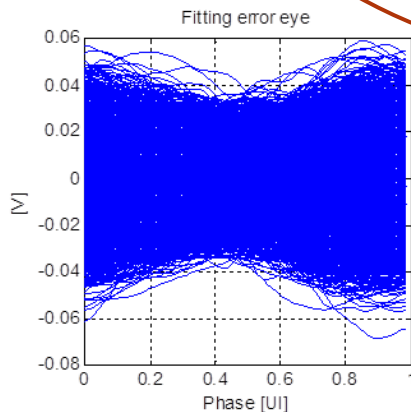
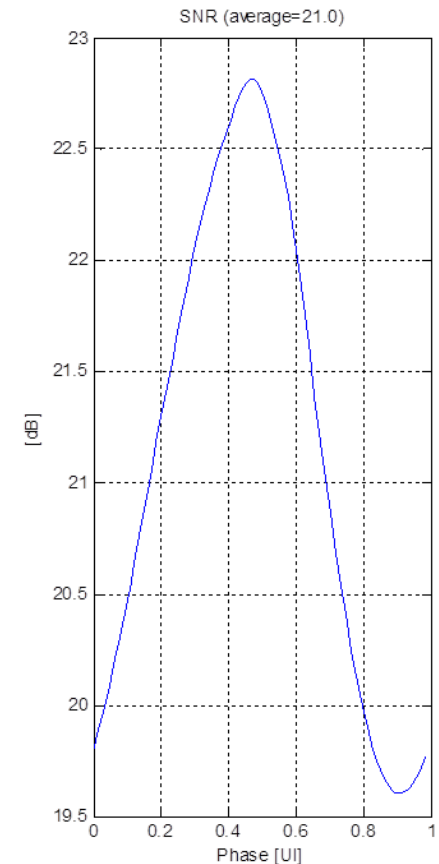
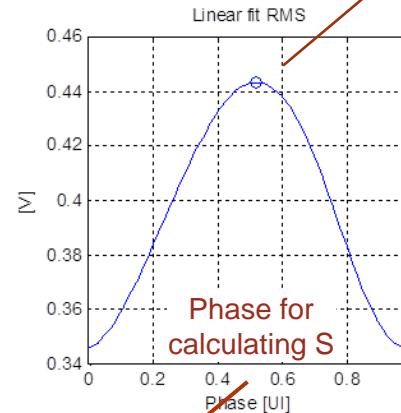
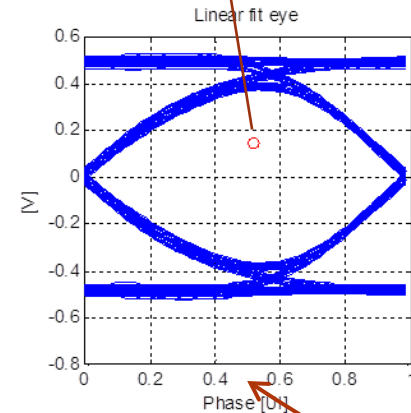
Estimated signal level (S) scaled 1/3

Transmitter in PRBS9 mode (NRZ), measured after test fixture.

Captured period is 1 ms without any CDR adjustment.

SNDR=19.6 dB (with signal scaled to PAM4 level).

Signal RMS per phase;  
max RMS phase marked



Data provided by Oren Ganon, Intel

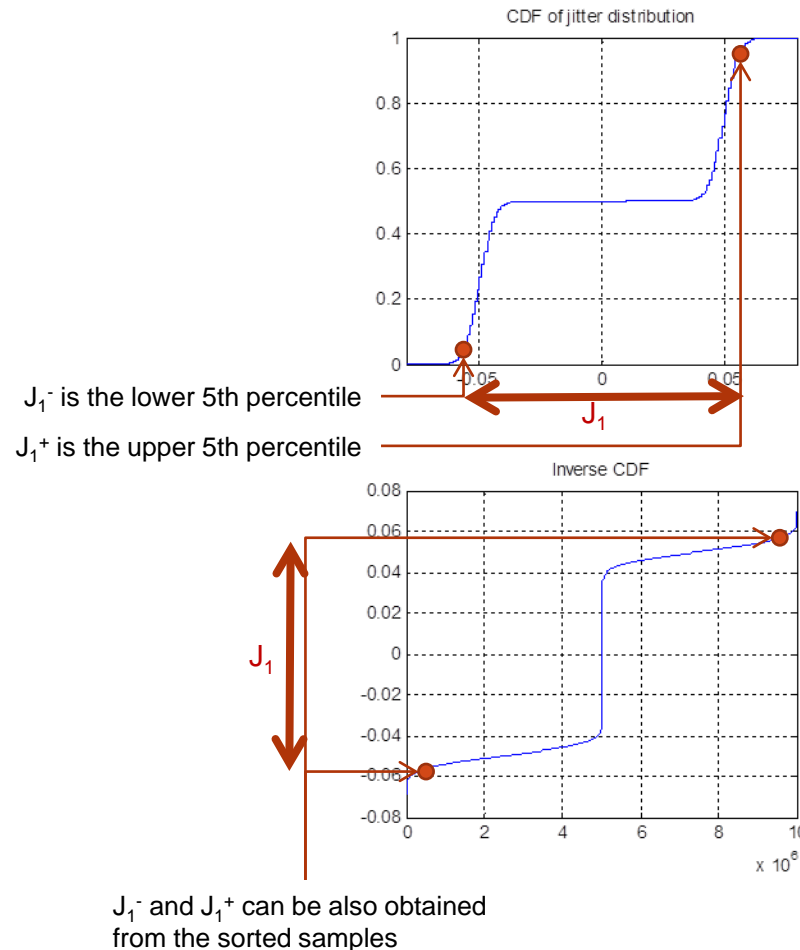
IEEE P802.3bj 100 Gb/s Backplane and Copper Cable  
September 2013, Geneva, Switzerland

# How do the suggested limits compare to 10GBASE-KR?

- Part 1 sample specifications seem tighter than clause 72 equivalents
  - RJ limit was (effectively) 0.01 UI RMS – now 0.005 UI
  - DJ limit was 0.15 UI – now (DCJ) 0.05 UI
  - DCD limit was 0.035 UI – now (EOJ) 0.03 UI
  - And new UI is 74% of clause 72...
- Part 2 has no counterpart clause 72, but can be compared to 85.8.3.3.5
  - The required “normalized RMS error” is roughly equivalent to the minimum SNDR value (with smaller S)
  - But now it is required for any phase, not just the average
  - Averaging isn’t allowed, but behavioral CDR can be applied
- **Justification**
  - Challenge is tougher – PAM4 has less margin
  - Jitter can have a big impact on RX performance; old specifications can’t be assumed to “just work” (see also part 2 example)
  - New test methods can provide margin
    - No DDJ in measurement (note: no exclusion in clause 72); DCJ is not the same as DJ
  - High volume products built with current technology meet these specifications
    - See measured example in previous slide

# Meaning of $J_5$ and $J_6$

- The procedure used to calculate  $RJ_{\text{RMS}}$  and  $DJ_{\delta\delta}$  uses the intermediate values  $J_5$  and  $J_6$ .
- The method is essentially an estimate of CDF values from samples, using the inverse CDF calculation as shown at the right (demonstrated for  $J_1$ ).



# Which test pattern to use?

- Training proposal (ref. lusted\_01\_0912) defines spectrally rich training patterns with low correlation between lanes
  - PRBS13 translated to PAM4 with termination and precoding
- These features are useful for linear fitting and distortion analysis
- The training pattern length N (excluding marker and control channel) is 8372 UI
  - Compare to the 511-UI long PRBS9 used in the past
  - Procedure requires inverting an N-by-N matrix
- Today's workstations have enough computing power to perform such computations within <1 minute