

# Test Symbol Error Extrapolation

Eric Maniloff – Ciena

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802.3dj ad-hoc

# Overview

**Clause 180.9.15 calls out extrapolation of the measured symbol errors in order to reduce test time.**

**Since the error distribution isn't likely to be linear, extrapolation beginning at 1 symbol-error/block will reduce the accuracy of the extrapolation**

**Two related comments were submitted on D3.0 with different solutions, the intent of this contribution is to facilitate comment resolution.**

NOTE—If the statistical projection is modeled accurately by a linear fit extrapolation, a means to provide statistical projection of the measured histograms (see 174A.9.3) in order to reduce test time follows. Extrapolate the measured histogram to  $H_m^{(i)}(16)$  using a line determined by a linear fit of  $\log_{10}(H_m^{(i)}(k))$ , for  $k = 1$  to  $n$ , where  $n$  is the largest value of  $k$ , where all bins from 0 to  $n$  have a count greater than 2.

# Receiver Error mask

Table 180–20—Receiver error mask

Test symbol errors per test block, $k$ (see 174A.9.5)	Probability $H_{\max}(k)$			
	$p = 1$	$p = 2$	$p = 4$	$p = 8$
1	$3.6 \times 10^{-1}$	$3.3 \times 10^{-1}$	$2.3 \times 10^{-1}$	$1.3 \times 10^{-1}$
2	$2.2 \times 10^{-1}$	$1.0 \times 10^{-1}$	$3.5 \times 10^{-2}$	$1.0 \times 10^{-2}$
3	$9.2 \times 10^{-2}$	$2.1 \times 10^{-2}$	$3.6 \times 10^{-3}$	$5.1 \times 10^{-4}$
4	$2.8 \times 10^{-2}$	$3.3 \times 10^{-3}$	$2.7 \times 10^{-4}$	$1.9 \times 10^{-5}$
5	$7.0 \times 10^{-3}$	$4.0 \times 10^{-4}$	$1.6 \times 10^{-5}$	$5.5 \times 10^{-7}$
6	$1.4 \times 10^{-3}$	$4.1 \times 10^{-5}$	$8.2 \times 10^{-7}$	$1.3 \times 10^{-8}$
7	$2.5 \times 10^{-4}$	$3.5 \times 10^{-6}$	$3.5 \times 10^{-8}$	$2.7 \times 10^{-10}$
8	$3.9 \times 10^{-5}$	$2.7 \times 10^{-7}$	$1.3 \times 10^{-9}$	$4.7 \times 10^{-12}$
9	$5.2 \times 10^{-6}$	$1.8 \times 10^{-8}$	$4.1 \times 10^{-11}$	$7.1 \times 10^{-14}$
10	$6.4 \times 10^{-7}$	$1.1 \times 10^{-9}$	$1.2 \times 10^{-12}$	$9.6 \times 10^{-16}$
11	$7.1 \times 10^{-8}$	$5.8 \times 10^{-11}$	$3.1 \times 10^{-14}$	$1.2 \times 10^{-17}$
12	$7.2 \times 10^{-9}$	$2.9 \times 10^{-12}$	$7.5 \times 10^{-16}$	$1.3 \times 10^{-19}$
13	$6.7 \times 10^{-10}$	$1.3 \times 10^{-13}$	$1.6 \times 10^{-17}$	$1.2 \times 10^{-21}$
14	$5.8 \times 10^{-11}$	$5.6 \times 10^{-15}$	$3.3 \times 10^{-19}$	$1.1 \times 10^{-23}$
15	$4.7 \times 10^{-12}$	$2.2 \times 10^{-16}$	$6.1 \times 10^{-21}$	$9.1 \times 10^{-26}$
16	$3.8 \times 10^{-13}$	$8.3 \times 10^{-18}$	$1.1 \times 10^{-22}$	$6.9 \times 10^{-28}$

Cl 180 SC 180.9.15 P491 L 18 # I-226

Maniloff, Eric Ciena Corporation

Comment Type TR Comment Status X

Current text for block error extrapolation performs a linear fit from 1 to n. Because this is unlikely to be linear, it would be more accurate to only extrapolate over the 4 highest bins with sufficient counts.

**SuggestedRemedy**

Replace: "If the statistical projection is modeled accurately by a linear fit extrapolation, a means to provide statistical projection of the measured histograms (see174A.9.3) in order to reduce test time follows. Extrapolate the measured histogram to  $H_m(i)(16)$  using a line determined by a linear fit of  $\log_{10}(H_m(i)(k))$ , for  $k = 1$  to  $n$ , where  $n$  is the largest value of  $k$ , where all bins from 0 to  $n$  have a count greater than 2."

With

"If the statistical projection is modeled accurately by a linear fit extrapolation, a means to provide statistical projection of the measured histograms (see174A.9.3) in order to reduce test time follows. Extrapolate the measured histogram to  $H_m(i)(16)$  using a line determined by a linear fit of  $\log_{10}(H_m(i)(k))$ , for  $k = n-3$  to  $n$ , where  $n$  is the largest value of  $k$ , where all bins from  $n-3$  to  $n$  have a count greater than 2." Make similar changes in Clauses 181, 182, 183.

Proposed Response Response Status O

Cl 180 SC 180.9.15 P491 L 18 # I-296

Dudek, Michael Marvell

Comment Type T Comment Status X

The note could be misinterpreted as suggesting extrapolation is also needed for higher probabilities resulting in failures with random errors where the measurements meet the requirement without extrapolation

**SuggestedRemedy**

Insert "for  $H_m(i)(k)$  less than  $10^{-6}$ " before "Extrapolate the measured histogram....." Also in 180.9.16. Make the equivalent changes in clauses 181, 182 and 183 .

Proposed Response Response Status O

# Approaches comparison

## Data points with test blocks containing $> 2$ symbol errors are used to extrapolate

- Currently this is done from 1 to n where n is the largest bin with  $> 2$  symbol errors/test block

## Comment 226 proposes using the 4 points with the highest number of symbol errors $> 2$

- Extrapolation uses bins n-3 to n.

## Comment 296 proposes using points with probability $\leq 1e-6$

- This will result in varying numbers of points
- For some BER's there may be only two points – statistical variation of last point is a concern

## ran\_3dj\_elec\_01\_240822 analyzed Symbol Error histograms with added Tx jitter versus LPF BW

- [https://www.ieee802.org/3/dj/public/adhoc/electrical/24\\_0822/ran\\_3dj\\_elec\\_01\\_240822.pdf](https://www.ieee802.org/3/dj/public/adhoc/electrical/24_0822/ran_3dj_elec_01_240822.pdf)
- Some curves have zero or one point with a probability of  $\leq 1E-6$
- With random data the slope becomes steeper as bin count increases
- With added jitter the slope can become less steep as bin count increases

# Example of current definition

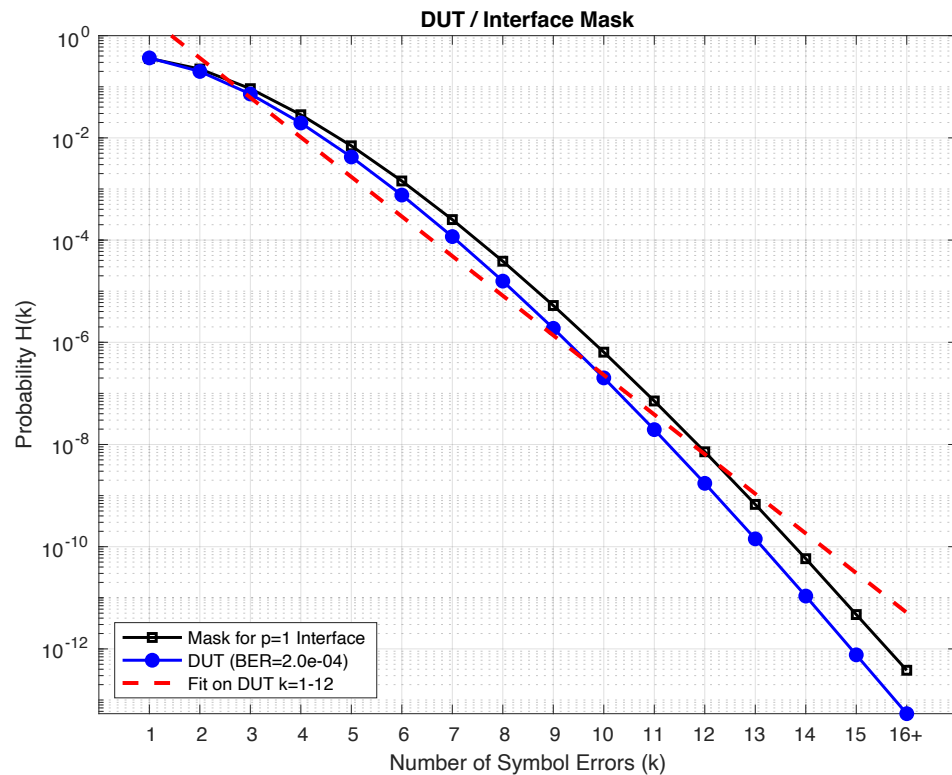
The figure shows the Symbol error mask in black

The blue line shows expected probabilities for a DUT BER of  $2e-4$  assuming random errors

- For a 1 min test  $\sim 4$  instances of 12 symbol errors are expected for a single lane 212G interface

The red line is a linear fit from 1 to 12 symbol errors

- This is the extrapolation defined in D3.0



# Options Comparison

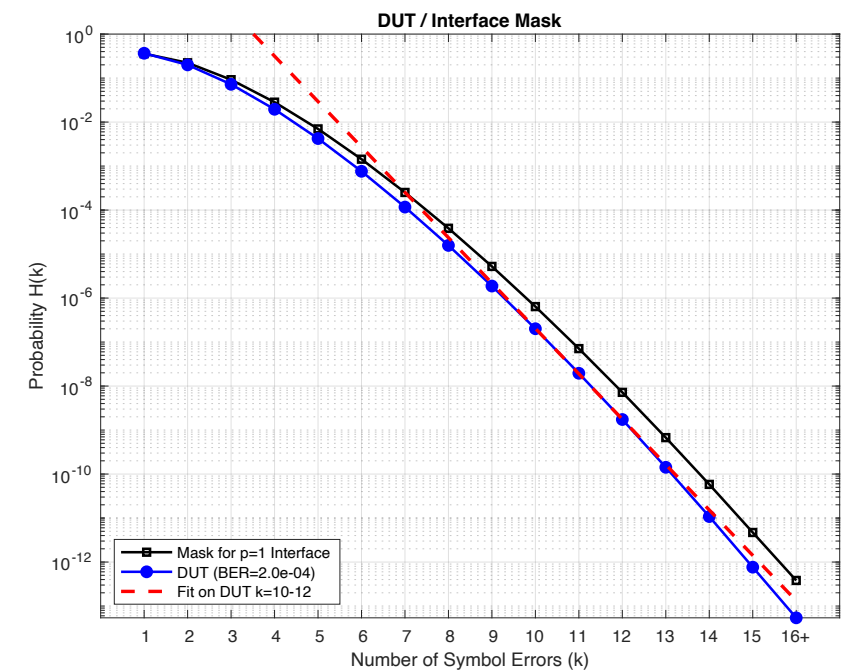
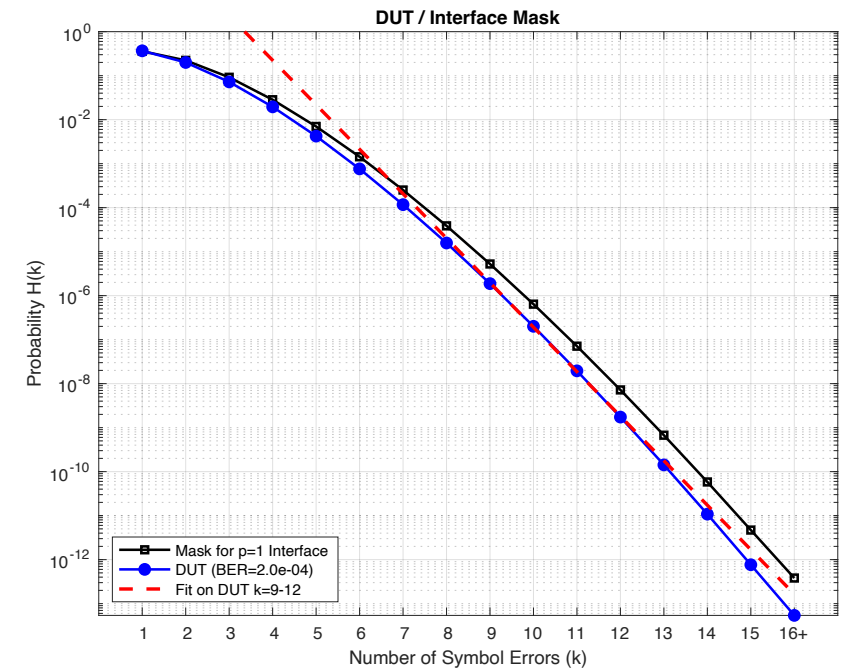
## Top plot:

- Fit using  $k = 9-12$ , based on bin 12 having  $> 2$  occurrences
- Fit will use highest 4 points

## Bottom plot:

- Fit on  $k= 10-12$ , based on bin 12 having  $> 2$  occurrences AND bin 10 being  $< 1e-6$

Both extrapolations are an improvement



# Highest Bin statistical variation

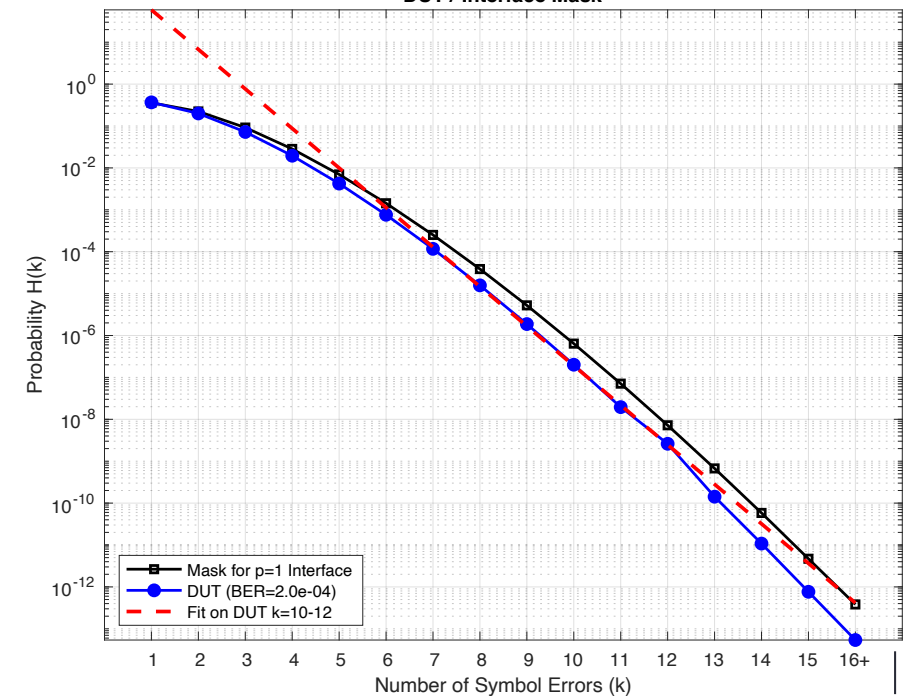
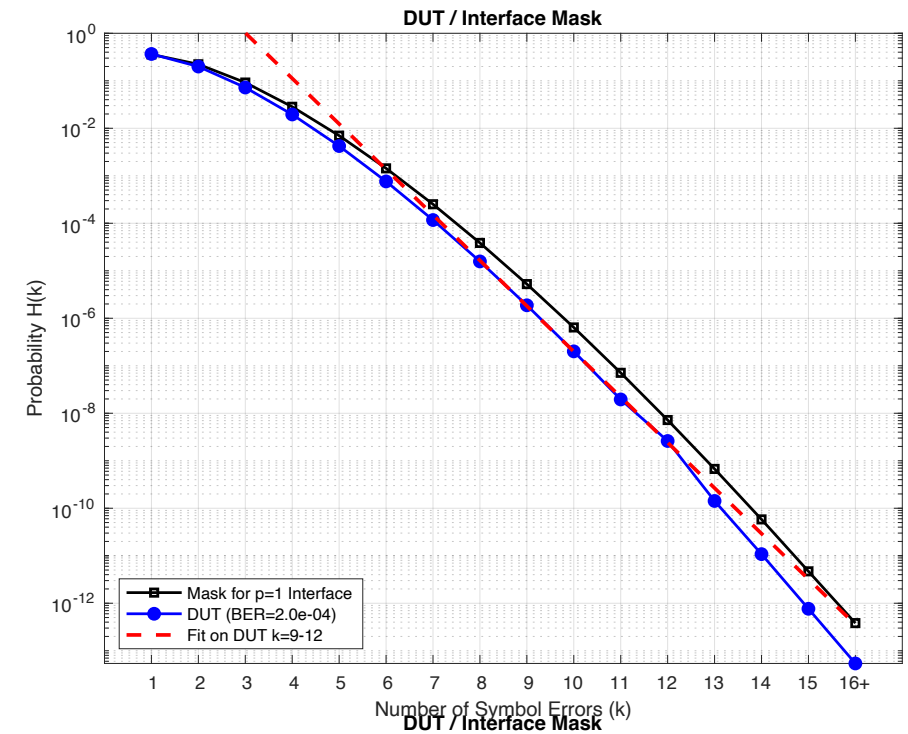
Because the points used in current definition are those with only 3 events, there will be variations in last point

On the right curves for a  $2E-4$  BER are shown, with bin 12 being a 10% probability (mean = 4, 6 counts ~10% probability)

Using two counts in highest bin may be too low

In this case probability screen to  $\leq 1e-6$  has 3 bins

Using 4 bins is slightly closer to correct.



# Summary

**The current approach to extrapolation using all bins with  $> 2$  symbol error counts does not provide accurate extrapolation**

**Two proposed approaches have been provided:**

- Using a probability screen for events with  $\leq 1E-6$  probability to exclude lower bins
- Using the four highest counts

**Concern with the probability screen is variable numbers of points, as low as 1 or 2 in some cases**

**Preference is for a fixed number of points**

- Three or Four would be options

**Including a bin with only three counts may make this approach susceptible to errors**

- There are no comments on this, but we may want to move to only using bins with  $\geq 10$  counts

**Thanks!**