



TIMING BUDGET FOR MAC AND SERDES

Haluk Aytac

High Speed IO Group

Communication Semiconductor Solutions Division

Hewlett-Packard Company

350 West Trimble Road

San Jose, CA 95131

408 435 4246

haluk_aytac@hp.com

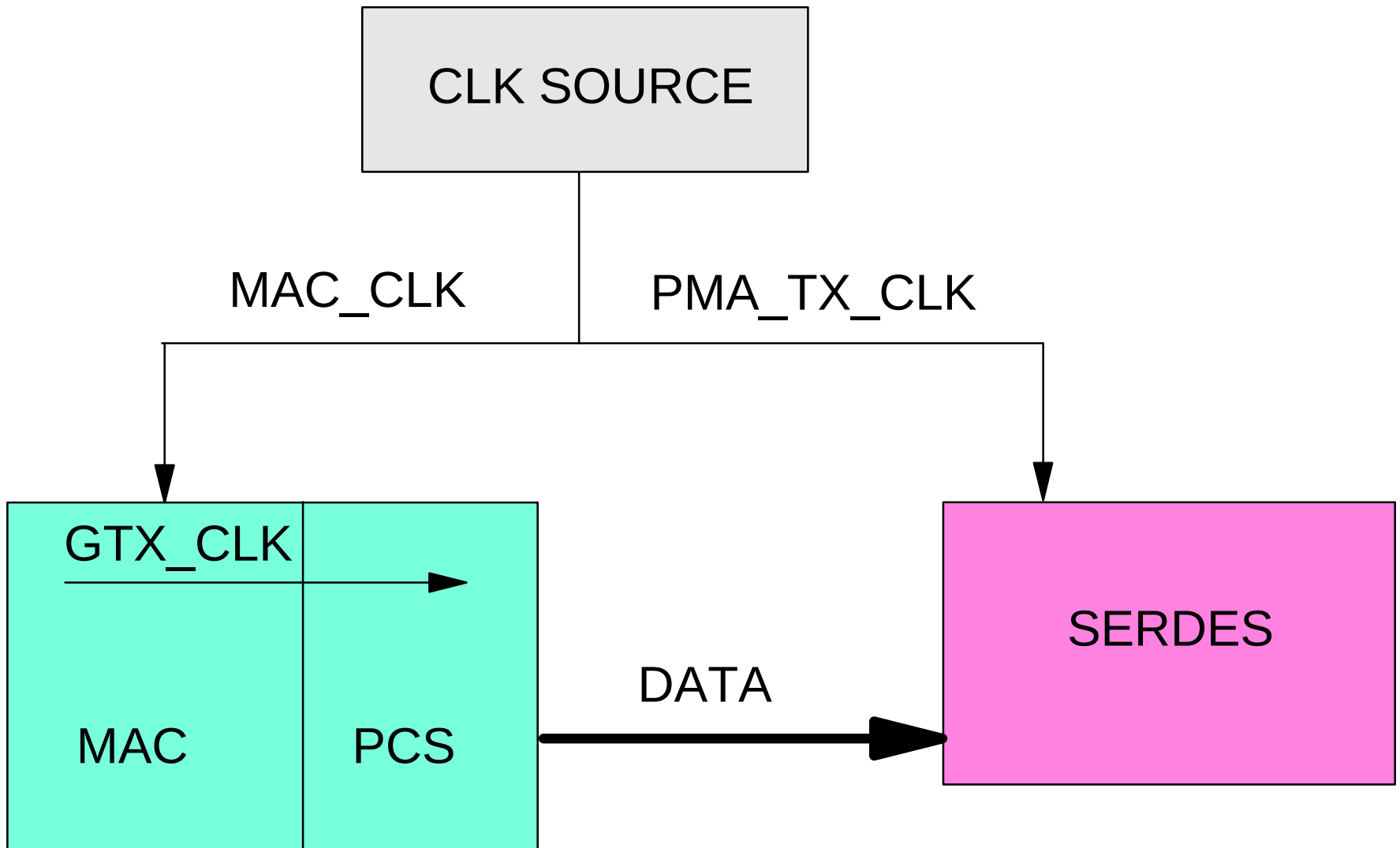
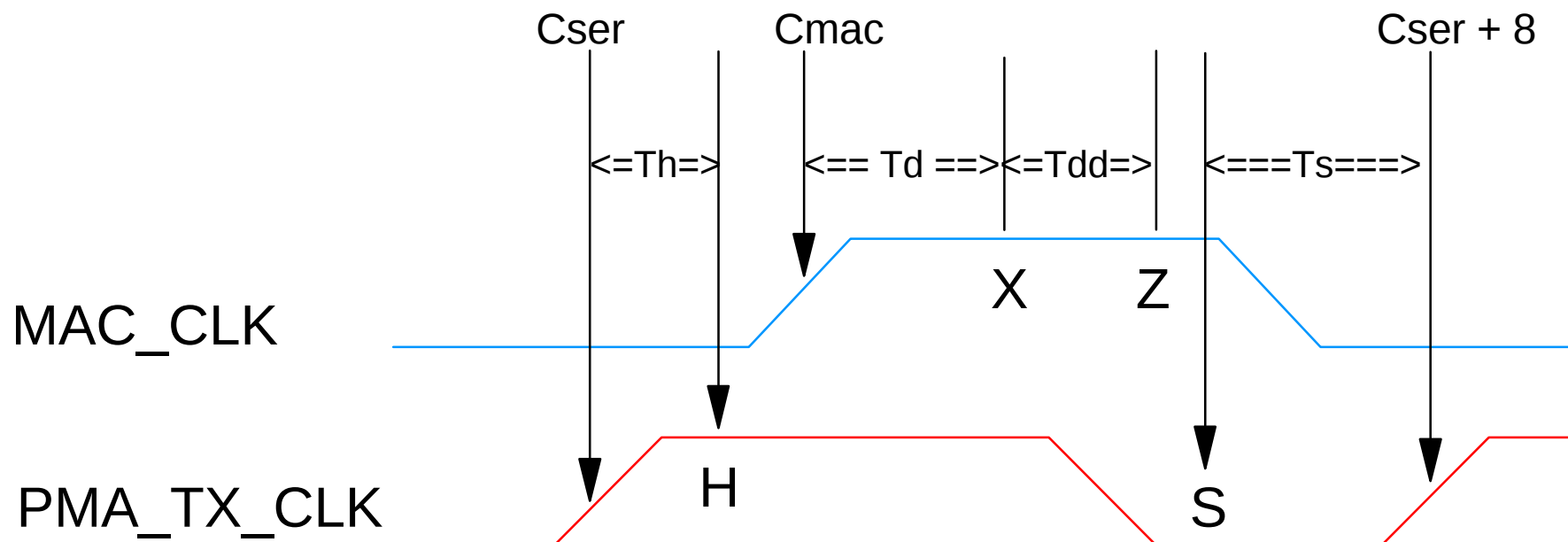


Fig. 1 Case of External Clocks for MAC and SERDES



- C_{ser} = time point for rising edge of PMA_TX_CLK at SERDES pin
- C_{mac} = time point for rising edge of MAC_CLK at MAC pin
- Td = delay from clock at MAC (C_{mac}) to data out of MAC
- Tdd = delay of data from MAC to SERDES
- Ts = setup time of SERDES
- Th = hold time of SERDES

Fig. 2 Timing Relationships for Fig. 1

Timing point Z corresponds to data entering the SERDES. Z must be after H and before S:

$$(01) \quad C_{mac} + T_d + T_{dd} + T_s < C_{ser} + 8$$

$$(02) \quad C_{ser} + T_h < C_{mac} + T_d + T_{dd}$$

Rewriting these we obtain:

$$(03) \quad (C_{mac} - C_{ser}) + T_d + T_{dd} + T_s < 8$$

$$(04) \quad (C_{mac} - C_{ser}) + T_d + T_{dd} > T_h$$

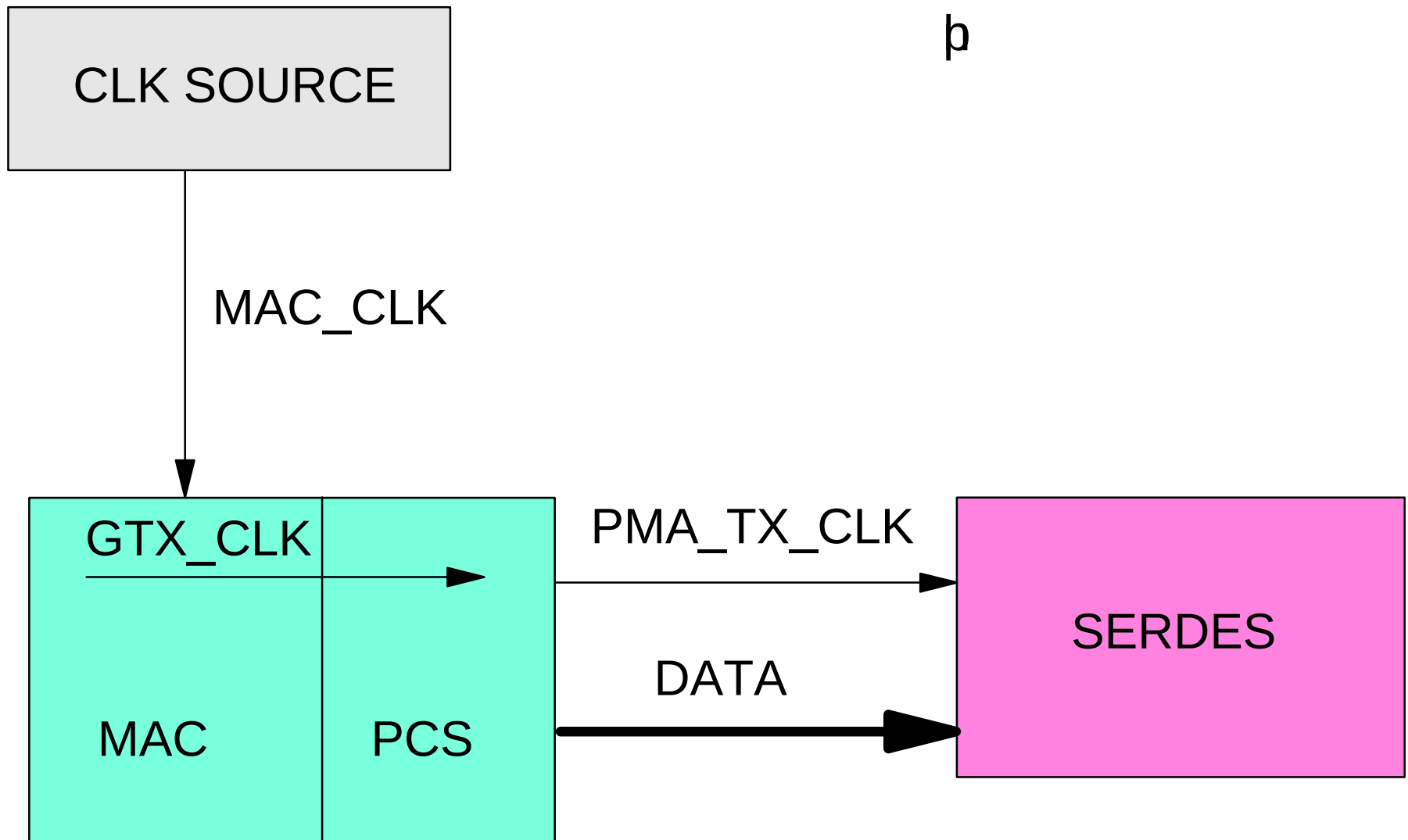
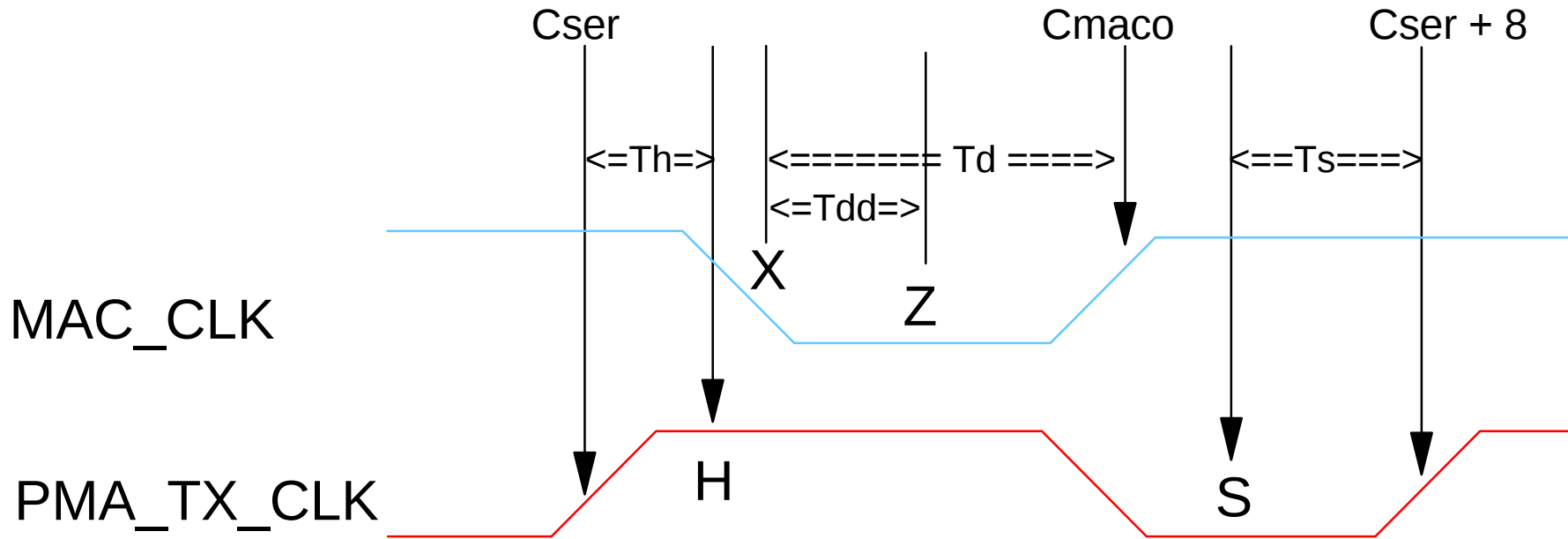


Fig. 3 Case of External Clocks for MAC and SERDES



- Cser = time point for rising edge of PMA_TX_CLK at SERDES pin
- Cmaco = time point for rising edge of PMA_TX_CLK at MAC pin
- Td = delay from data out of MAC to clock at MAC (Cmaco)
- Tdd = delay of data from MAC to SERDES
- Ts = setup time of SERDES
- Th = hold time of SERDES

Fig. 4 Timing Relationships for Fig. 2

Timing point Z corresponds to data entering the SERDES. Z must be after H and before S:

$$(05) \quad C_{\text{maco}} - T_d + T_{\text{dd}} + T_s < C_{\text{ser}} + 8$$

$$(06) \quad C_{\text{ser}} + T_h < C_{\text{maco}} - T_d + T_{\text{dd}}$$

Rewriting these we obtain:

$$(07) \quad (C_{\text{maco}} - C_{\text{ser}}) - T_d + T_{\text{dd}} + T_s < 8$$

$$(08) \quad (C_{\text{maco}} - C_{\text{ser}}) - T_d + T_{\text{dd}} > T_h$$

Note that the only difference between equations (3,4) and (7,8) is the sign of T_d .



We now try to obtain constraints for tolerances

Define

$$D = C_{\text{mac}} - C_{\text{ser}} \quad \text{for equations (3,4)}$$

$$D = C_{\text{ser}} + 8 - C_{\text{maco}} \quad \text{for equations (7,8)}$$

Equations (3,4) yield

$$(09) \quad 8 = D_{\text{max}} + T_{\text{dmax}} + T_{\text{ddmax}} + T_{\text{s}}$$

$$(10) \quad 0 = D_{\text{min}} + T_{\text{dmin}} + T_{\text{ddmin}} - T_{\text{h}}$$

Subtracting (09) - (10) we get

$$(11) \quad 8 - T_{\text{s}} - T_{\text{h}} = (D_{\text{max}} - D_{\text{min}}) + (T_{\text{dmax}} - T_{\text{dmin}}) + (T_{\text{ddmax}} - T_{\text{ddmin}})$$

Equations (7,8) yield

$$(12) \quad 8 = D_{\text{max}} + T_{\text{dmax}} - T_{\text{ddmin}} + T_{\text{h}}$$

$$(13) \quad 0 = D_{\text{min}} + T_{\text{dmin}} - T_{\text{ddmax}} - T_{\text{s}}$$

Subtracting (12) - (13) we get

$$(14) \quad 8 - T_{\text{s}} - T_{\text{h}} = (D_{\text{max}} - D_{\text{min}}) + (T_{\text{dmax}} - T_{\text{dmin}}) + (T_{\text{ddmax}} - T_{\text{ddmin}})$$

